

S35

L1) A EGYENES

L2) AK. TALAN

EGYENES

L3) UA. PÁLYA

GYORSAK

UA. IRÁNY

L4) ———

TEJST. MEGKÖRKEZÉSE

⇒ UGYANOLYAN GYORS LEHET FÉNYFEL

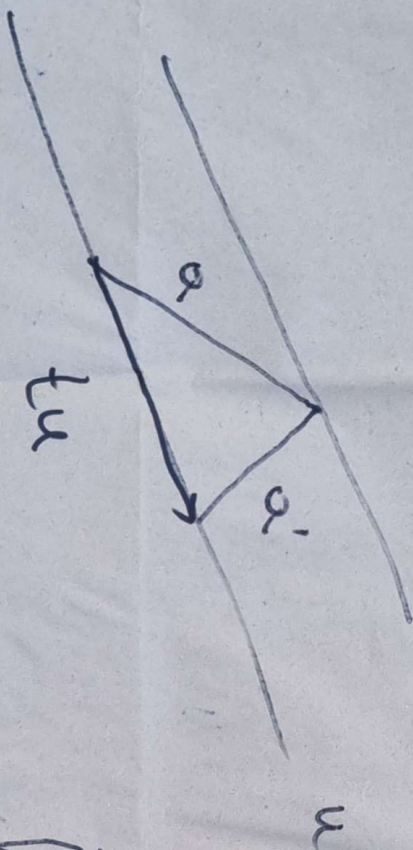
⇒
L5 KÖRUTAS GYORSAK = C

SYNGE

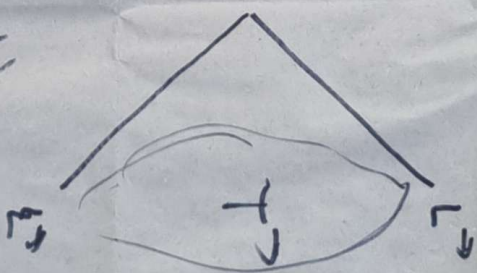
$$C=1$$

FÉNY-ÖSSZETÉRI

$$L = \partial T, \{0\}$$



$$b_u(a, a) + b_u(a', a')$$



$$t = \sqrt{b_u(a, a)} + \sqrt{b_u(a', a')}$$

$$Q_m Q_n EL^3$$

$$t = \sum_{u=1}^n \sqrt{b_u(a_u, a_u)}$$

$$t u = \sum_i a_i \Rightarrow t = \sum_i \sqrt{b_i(a_i, a_i)}$$

$$\sum_i (a_i - \sqrt{b_i(a_i, a_i)}) = 0 \quad n \geq 2$$

$$S_u := \left\{ a - \sqrt{b_u(a, a)} \mid a \in \bigcup_{i=1}^n \{v_i\} \subset M \right\}$$

$$\dim S_u = 3 \quad b_u |_{S_u \times S_u} \text{ pos. def.}$$

$$q := a - \sqrt{b_u(q, q)} \quad b_u(q, q) = b_u(a, a) > 0$$

$$a = q + \sqrt{b_u(q, q)} \quad n \geq 2$$

$S_u \neq u$

transversalisch

~~trans~~

$X \in \mathbb{R}^1$

$T_u(x)u$

$T_u: M \rightarrow T$

$$T_u(a - \sqrt{\rho_u(a)a})u = 0$$

$$T_u(a) = \sqrt{\rho_u(a)a} \quad (*)$$

$$\frac{u' S_{u'}}{S_u \cap S_{u'}}$$

$S_{u'}$

$$T(u' - T_u(u')u) \perp$$

\cap

\perp

$$T(u - T_u(u)u')$$

S_u

HA, HOMER

bl.

$$\frac{\overline{T_u(u)=1}}{\overline{T_u(q)=0}} \quad \frac{M}{T} \rightarrow \mathbb{R}$$

$$T_u(q)=0 \quad q \in S_u$$

$$q \in S_u \cap S_{u'} \quad -q \in \quad \tau q + \sqrt{b_u(q, q)} \cdot u' \in L$$

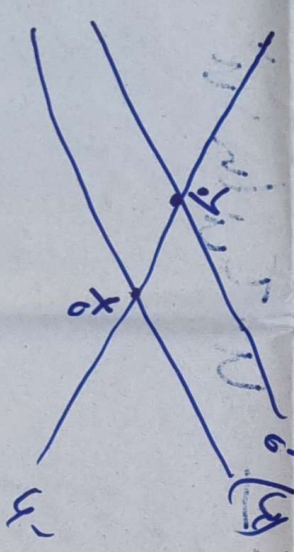
$$\tau_u \quad \text{---} \quad = \sqrt{b_u(q, q)} \tau_u(u')$$

$$b_u(q, q) \pm 2 \sqrt{b_u(q, q)} b_u(q, u') + b_u(q, u')^2$$

$$b_u(q, u' - \tau_u(u')u) = 0$$

$$b_u(u' - \tau_u(u')u, u' - \tau_u(u')u) = b_u(u', u') \doteq b_{u'}(u, u)$$

$$t'(u' - \tau_u(u')u + Ru) = (y + \tau_u) - (x + \tau_u) = (y - x) + \tau_u$$



$$V|0\rangle := \left\{ X| \in \frac{M}{T} \mid + \text{ }^+ w \in L^{\rightarrow} \right\}$$

$$X| - T_u(u)u = u' - T_u(u)u$$

$$\exists \lambda \text{ s.t. } \lambda u' = T_u(\lambda u)u' = \frac{1}{u} (u - T_u(u)u)$$

$$B_{u|u} := u'$$

$$B_{u|u} Q = Q \text{ for } Q \in S_u \cap S_{u'}$$

$$B_{u|u} \left(u' - T_u(u)u \right) = \frac{1}{u} \left(u - T_u(u)u \right)$$

$$u' + (u - u') = u'$$

$$= u' + (u - u')$$

54y

$$\frac{\partial}{\partial} \frac{\partial}{\partial} (B_{u,q} B_{u,q}) = \frac{\partial}{\partial} (q, q)$$

$$\tau_u(u) = \tau_u(u)$$

$$\tau_u \left(\sqrt{b_u(q)} \tau_u(u') \right) \neq 0$$

$$q \in \sqrt{b_u(q)} u' \quad q \in \sqrt{b_u(q)} u' + (p, u) = (x, x)$$

$$b_u \left(\frac{1}{\sqrt{b_u(q)}}, \frac{1}{\sqrt{b_u(q)}} \right) = b_u(q, q) + 2 \sqrt{b_u(q)} b_u(q, u') + b_u(q, u')$$

$$\otimes \quad b_u(q, q) \tau_u(u)^2 = b_u(q, q) + b_u(q, q) b_u(u)$$

$$\left[\tau_u(u)^2 + b_u(u, u') = -1 \right]$$

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$$X = q + t_u + t'_u$$

$$q = \frac{1}{\sqrt{2}} \begin{pmatrix} 1 \\ i \end{pmatrix}$$

$$b_u(x|x) = b_u(q|q) + 2t'_u \tau_u(u)$$

$$\tau_u(x) = t + t' \tau_u(u)$$

$$-\tau_u(x)^2 + b_u(x|x) = b_u(q|q) + t^2 - (t')^2 - 2t t' \tau_u(u)$$

$$-\tau_u(x)^2 + b_u(x|x) =$$

$$\frac{b_u(u)}{1}$$

$$[-\tau_u(x)\tau_u(y) + b_u(x|y)] = [-\tau_u(x)\tau_u(y) + b_u(x|y)]$$