# Exploring the role of initial α-clustered nuclear structure on final state flow coefficients via pC, pO and OO collisions at the LHC

#### Based on:

A. Menon Kavumpadikkal Radhakrishnan, S. Prasad, N. Mallick and R. Sahoo, Eur. Phys. J. A **61**, 134 (2025). A. Menon Kavumpadikkal Radhakrishnan, S. Prasad, N. Mallick, R. Sahoo and G. G. Barnaföldi, [arXiv:2505.22367 [hep-ph]].

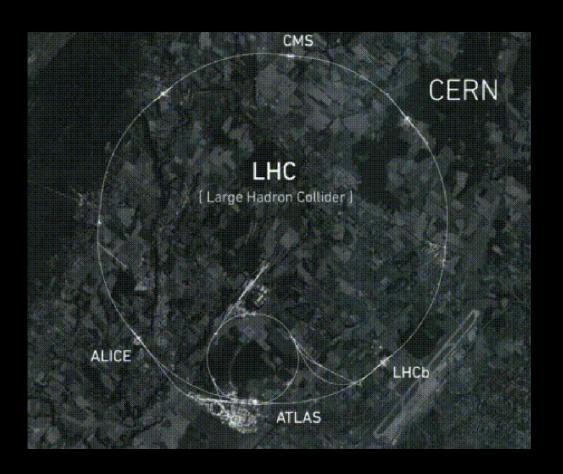


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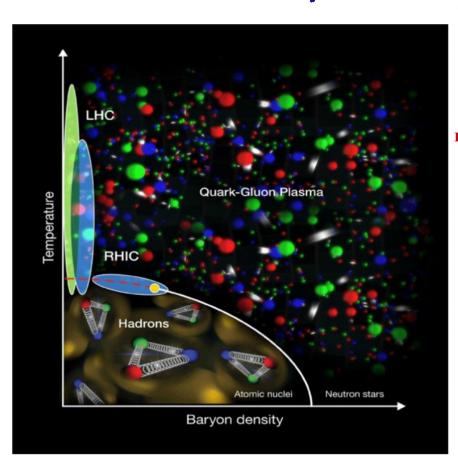
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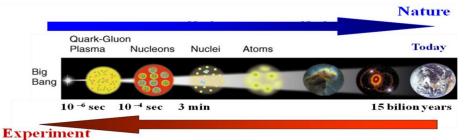
## Outline

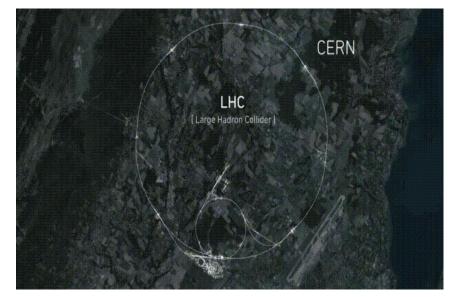
- ★ Relativistic heavy-ion collisions
- ★ Light-ion collisions
- $\star$   $\alpha$ -clustered nuclear structure
- ★ Anisotropic flow estimation
- ★ Results



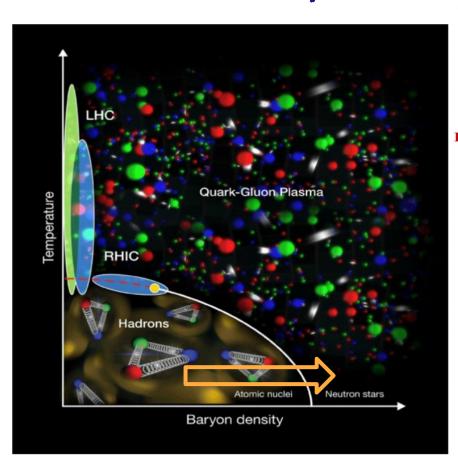
# Why Relativistic collisions?

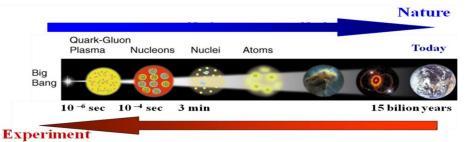


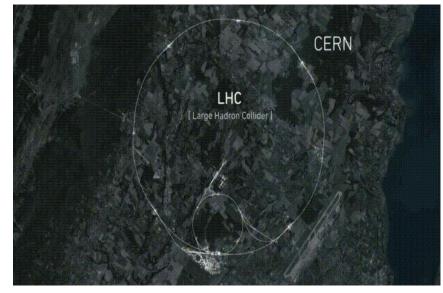




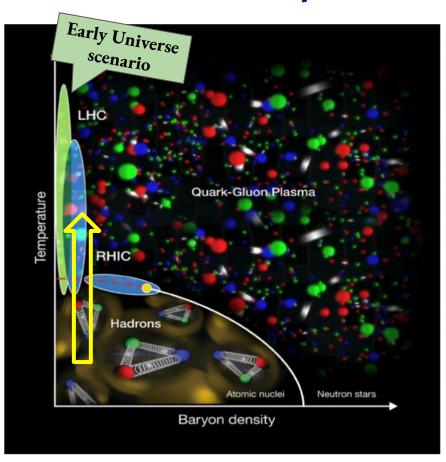
## Why Relativistic collisions?

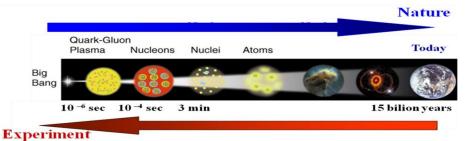


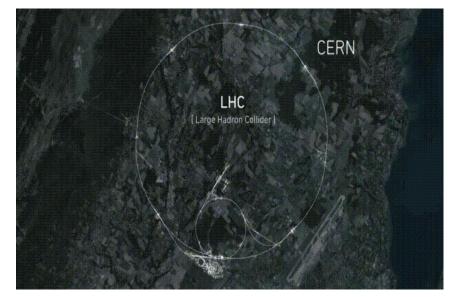




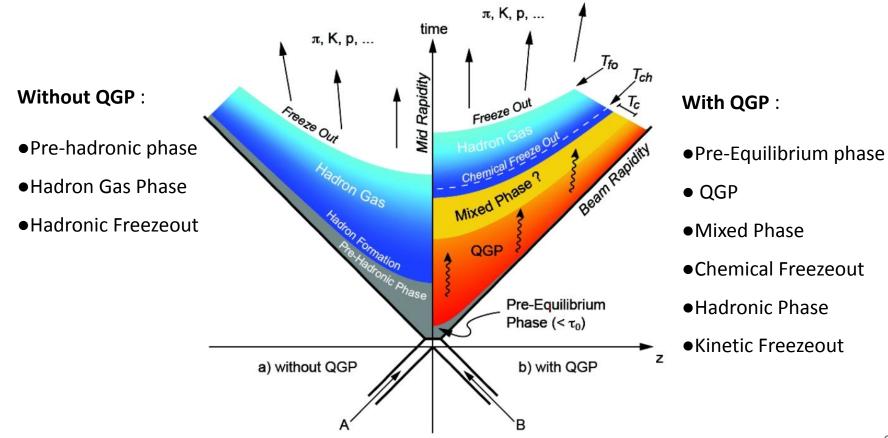
# Why Relativistic collisions?







## Space-time evolution of Relativistic collisions

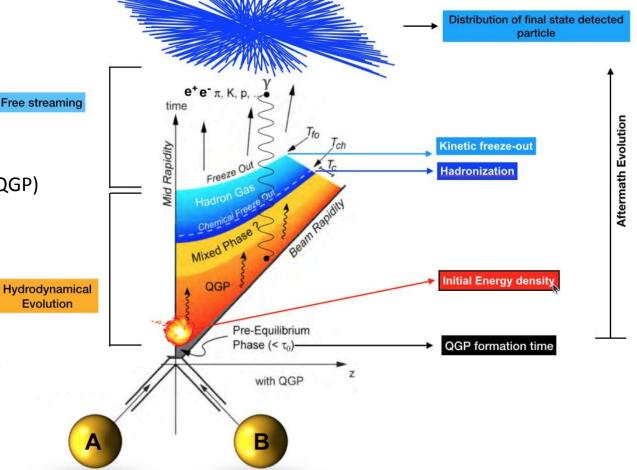


#### With QGP:

Free streaming

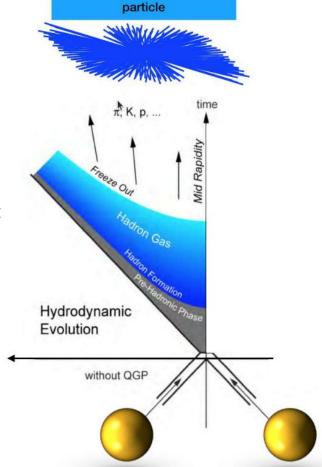
- Pre-Equilibrium phase
- Quark Gluon Plasma (QGP)
- Mixed Phase
- Chemical Freezeout
- Hadronic Phase

•Kinetic Freezeout



#### Without QGP:

- Pre-hadronic phase
- Hadron Gas Phase
- Hadronic Freezeout



Distribution of final state

This picture of space-time evolution is expected to occur in **hadronic collisions**, where formation of QGP is least anticipated

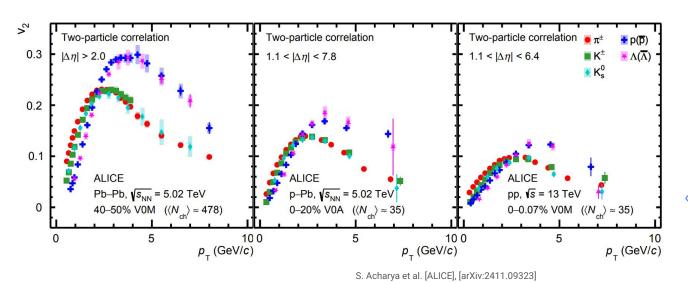


#### Motivation

- Through relativistic heavy-ion collisions, we search for indirect **signatures of QGP**
- Small collisions like **pp collisions provide baseline measurements** as medium formation is not expected here
- But presence of heavy-ion like signatures are now observed in small collision systems too!

> High-multiplicity pp and p-Pb collisions show signatures of collective flow and strangeness

enhancement



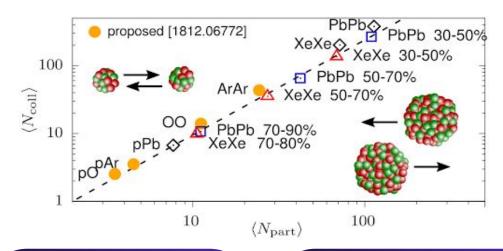
Focus:
SMALL
COLLISION
SYSTEMS

p-O and O-O collisions took place in the Run 3 at the LHC in 2025



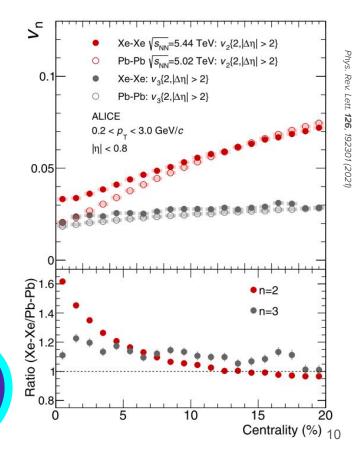
# • ★ pO and OO collisions at the LHC



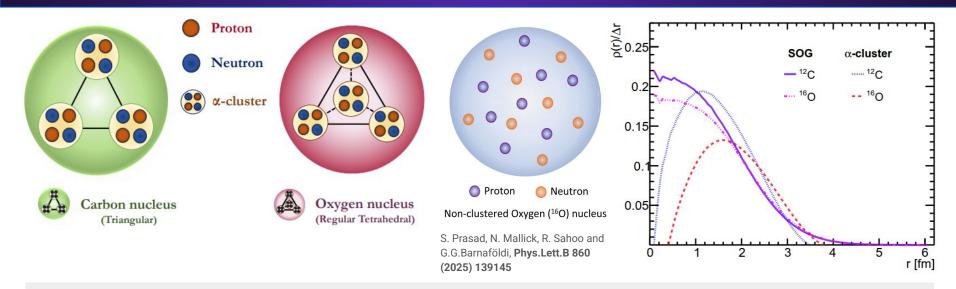


- PERFECT SYSTEM SIZE to fill multiplicity gap between pp, p-Pb and Pb-Pb
- p-O studies help COSMIC **AIR SHOWER MODELLING**

- To investigate jet quenching effects & comprehend COLLECTIVE PHENOMENA in p-Pb
- **Effect of initial CLUSTERED** geometry on final-state azimuthal correlations



## α-clusters in O and C nuclei



#### a- cluster density profile

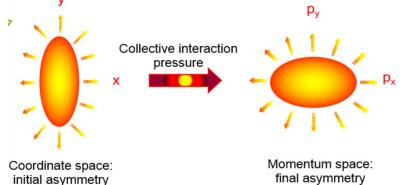
- \* He nuclei with two protons and two neutrons is called an α-particle
- & Light nuclei having 4*n* nucleons can possess α-clustered nuclear structure  $\rightarrow$  Ex.: <sup>8</sup>Be, <sup>12</sup>C, <sup>16</sup>O etc.
- \* α-clustering provides additional stability to nucleus

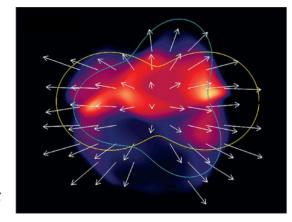
# Anisotropic flow

- In non-central collisions, spatial asymmetry along different directions leads to hierarchy of pressure gradients:  $\vec{\nabla} P_x >> \vec{\nabla} P_y$
- Strong pressure gradients convert **initial spatial anisotropy** to final-state azimuthal **momentum space anisotropy**, via the collective expansion of the medium
- Anisotropic transverse expansion/anisotropic flow is quantified via coefficients of Fourier expansion of the azimuthal distribution of final state particles:

$$\frac{dN}{d\phi} = \frac{1}{2\pi} \left( 1 + \sum_{n=1}^{\infty} 2v_n \cos[n(\phi - \psi_n)] \right)$$
where  $v_n = \langle \cos[n(\phi - \psi_n)] \rangle$ 

is the n<sup>th</sup> order anisotropic flow coefficient





 $v_2 \Rightarrow \text{Elliptic Flow}$  $v_3 \Rightarrow \text{Triangular Flow}$ 

# Anisotropic Flow Estimation

- In this study, estimation of  $v_n$  is done by **two-particle Q-cumulant** method
- Pseudorapidity gap in the sub-events helps in suppressing non-flow contributions

S. Prasad, N. Mallick, R. Sahoo and G.G.Barnaföldi, Phys.Lett.B 860 (2025) 139145

$$Q_n = \sum_{j=1}^M e^{in\phi_j}$$

$$\langle 2 \rangle = \frac{|Q_n|^2 - M}{M(M-1)}$$

$$c_n\{2\} = \langle \langle 2 \rangle \rangle = \frac{\sum_{i=1}^{N_{\text{ev}}} (W_{\langle 2 \rangle})_i \langle 2 \rangle_i}{\sum_{i=1}^{N_{\text{ev}}} (W_{\langle 2 \rangle})_i}$$

$$v_n\{2\} = \sqrt{c_n\{2\}}$$

$$p_n = \sum_{j=1}^{m_p} e^{in\phi_j} \qquad q_n = \sum_{j=1}^{m_q} e^{in\phi_j}$$

$$\langle 2' \rangle = \frac{p_n Q_n^* - m_q}{m_p M - m_q}$$

$$d_{n}\{2\} = \langle \langle 2^{'} \rangle \rangle = \frac{\sum_{i=1}^{N_{\text{ev}}} (w_{\langle 2^{'} \rangle})_{i} \langle 2^{'} \rangle_{i}}{\sum_{i=1}^{N_{\text{ev}}} (w_{\langle 2^{'} \rangle})_{i}}$$

$$v_n\{2\}(p_T) = \frac{d_n\{2\}}{\sqrt{c_n\{2\}}}$$

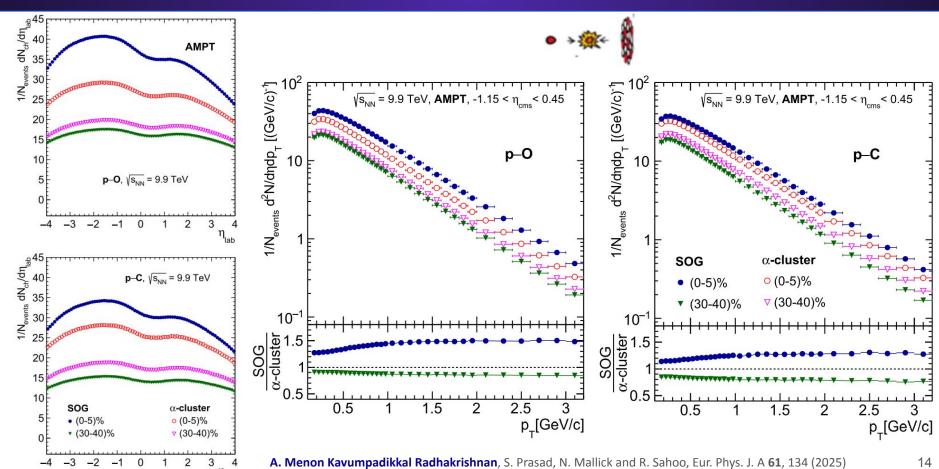
$$\langle 2 \rangle_{\Delta\eta} = \frac{Q_n^A \cdot Q_n^{B*}}{M_A \cdot M_B}$$

$$c_n\{2, |\Delta \eta|\} = \langle \langle 2 \rangle \rangle_{\Delta \eta}$$

$$\langle 2' \rangle_{\Delta\eta} = \frac{p_{n,A} Q_{n,B}^*}{m_{p,A} M_B}$$

$$d_n\{2, |\Delta\eta|\} = \langle\langle 2'\rangle\rangle_{\Delta\eta}$$

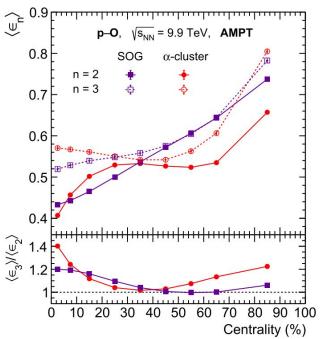
$$v_n\{2, |\Delta\eta|\}(p_T) = \frac{d_n\{2, |\Delta\eta|\}}{\sqrt{c_n\{2, |\Delta\eta|\}}}$$



Initial spatial anisotropies, such as, **eccentricity** ( $\epsilon_2$ ), **triangularity** ( $\epsilon_3$ ), etc., are quantified as:

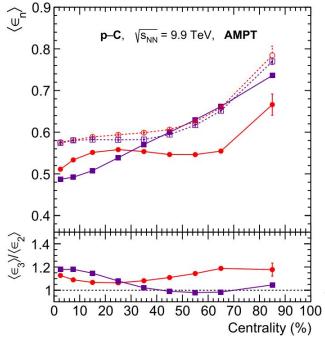
D. Behera, S. Prasad, N. Mallick and R. Sahoo, Phys. Rev. D **108**, 054022 (2023)

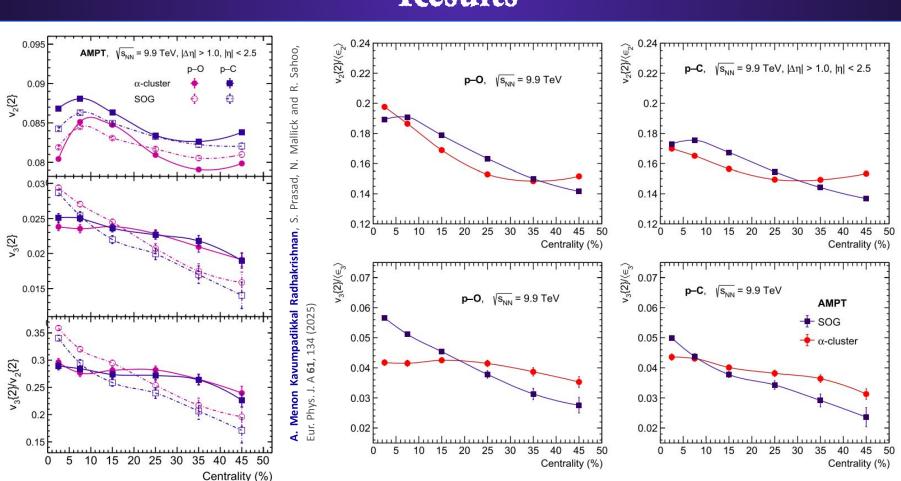
$$\epsilon_n = \frac{\sqrt{\langle r^n \cos(n\phi_{\text{part}})\rangle^2 + \langle r^n \sin(n\phi_{\text{part}})\rangle^2}}{\langle r^n \rangle}$$



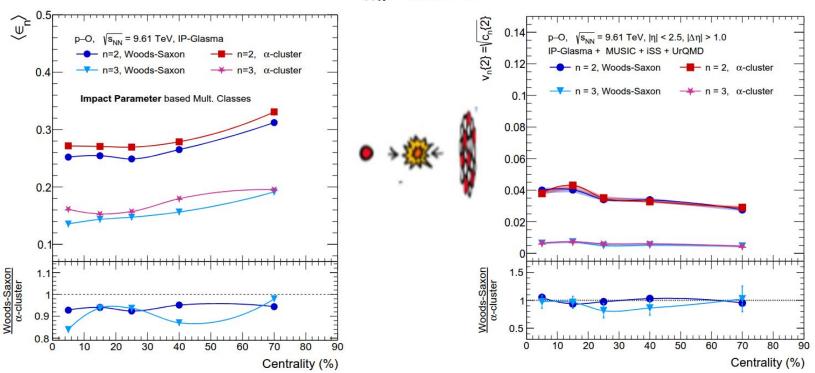


- Trends of  $\langle \epsilon_n \rangle$  and  $\langle \epsilon_3 \rangle / \langle \epsilon_2 \rangle$  for  $\alpha$ -cluster profiles are closely similar to that in O-O collisions at  $\sqrt{s_{\rm NN}} = 7~TeV$ 
  - $\langle \epsilon_3 \rangle / \langle \epsilon_2 \rangle$  shows a hike at most central p-O collisions (absent in p-C)



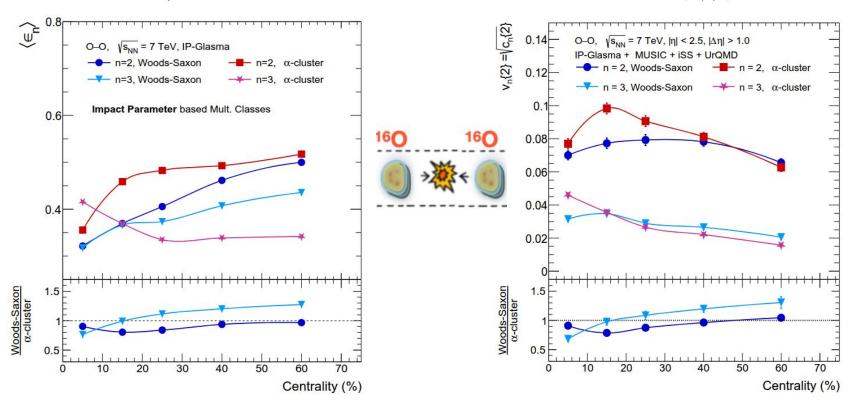


$$\epsilon_n = \frac{\sqrt{\left(\iint_A r^n \varepsilon(x, y) \cos(n\phi_{\text{part}}) dx dy\right)^2 + \left(\iint_A r^n \varepsilon(x, y) \sin(n\phi_{\text{part}}) dx dy\right)^2}}{\iint_A r^n \varepsilon(x, y) dx dy}$$

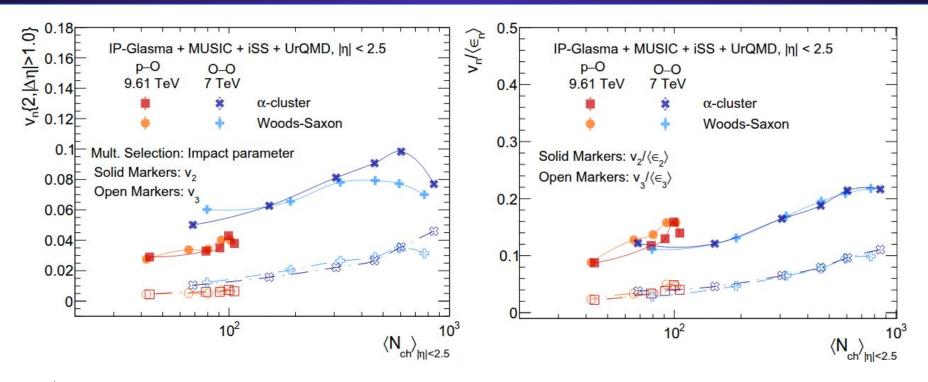


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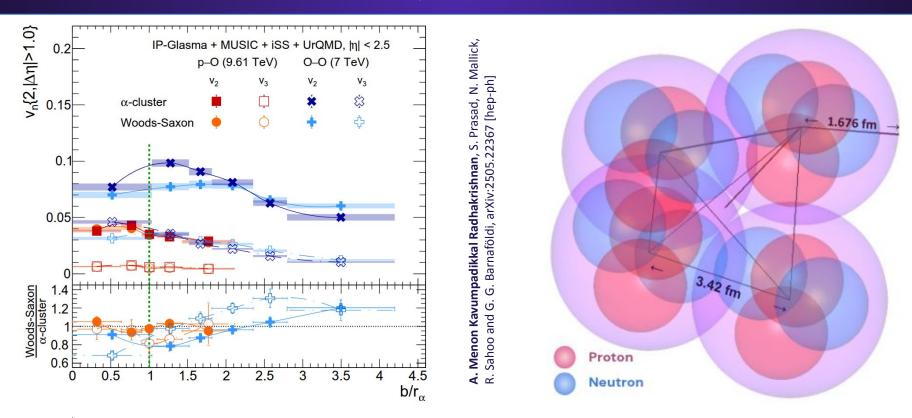
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★ Distinction due to nuclear density profiles is better evident in OO than from pO collisions.



- $\star$  Effects from  $\alpha$ -clustering gets pronounced at higher multiplicities (10-20% centrality)
- ★ Response coefficient is multiplicity-dependent than being collision-system-dependent?



The effects of α-clustering in O–O collisions are observed to manifest well in the region  $b/r_{\alpha} \lesssim 1$ ; therefore it is comparable with the size of the <sup>4</sup>He!

# Summary and Outlook

- For the first time, a systematic study on the effects of initial nuclear density profiles (α-cluster nuclear geometry especially) on final state flow coefficients is reported for **pO** and **pC** collisions using AMPT model and for **pO** and **OO** collisions (from impact parameter based centrality classification) using IP-Glasma+MUSIC+iSS+UrQMD at LHC energies
- α-cluster profile maintains a similar but unique qualitative behavior throughout the collision systems, pC, pO and OO (AMPT)
- Effects of α-clustering are more prominent in OO collisions than pO and they are **pronounced in (10-20%)** centrality class. Proton might not be a good probe to study α-cluster structure
- $\alpha$ -clustering effects might manifest well near  $b/r_{\alpha} \le 1 \rightarrow$  needs further confirmation from other realistic nuclear collisions (C-C, Ne-Ne etc.)

Work is in progress to look into the effects of the compactness of  $\alpha$ -clustering on the final state  $v_n$  and to extend our study to Ne-Ne collisions...

