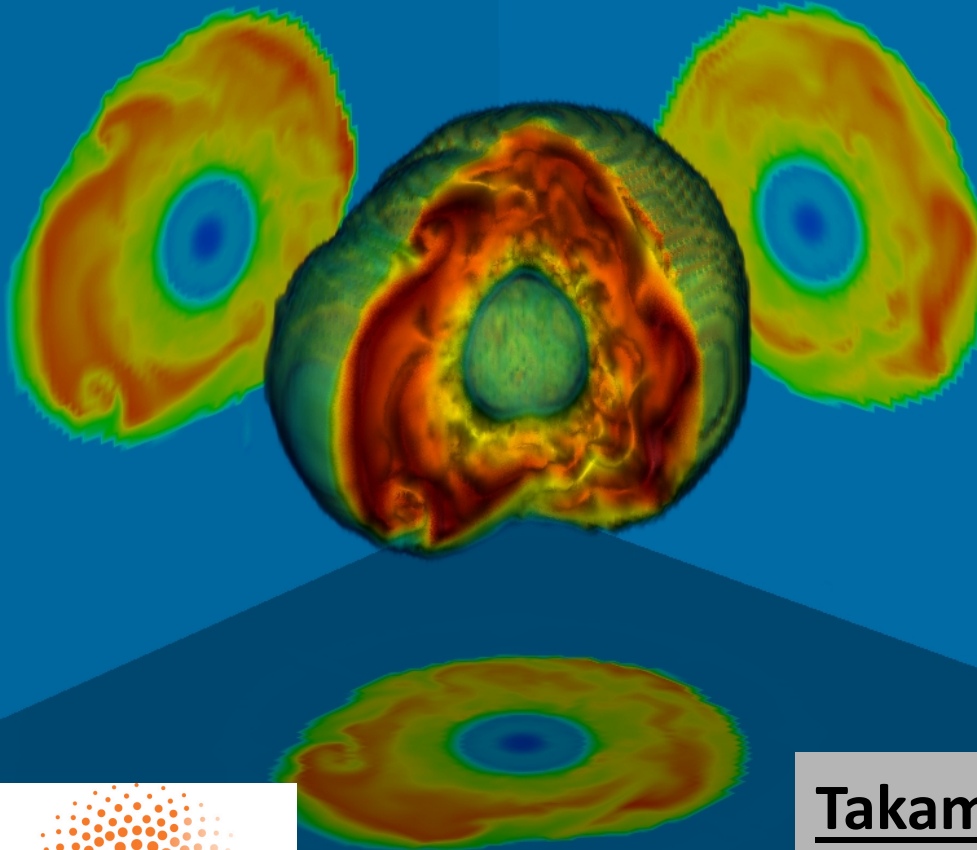
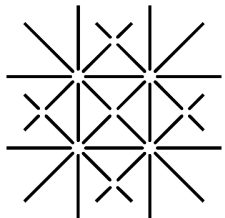


Deciphering signatures of EoSs/progenitor models imprinted in GW/neutrino signals emitted from SN cores



Takami Kuroda (Basel U.)
Kazuhiro Hayama (Osaka-city U.)
Tomoya Takiwaki (RIKEN)
Kei Kotake (Fukuoka U.)



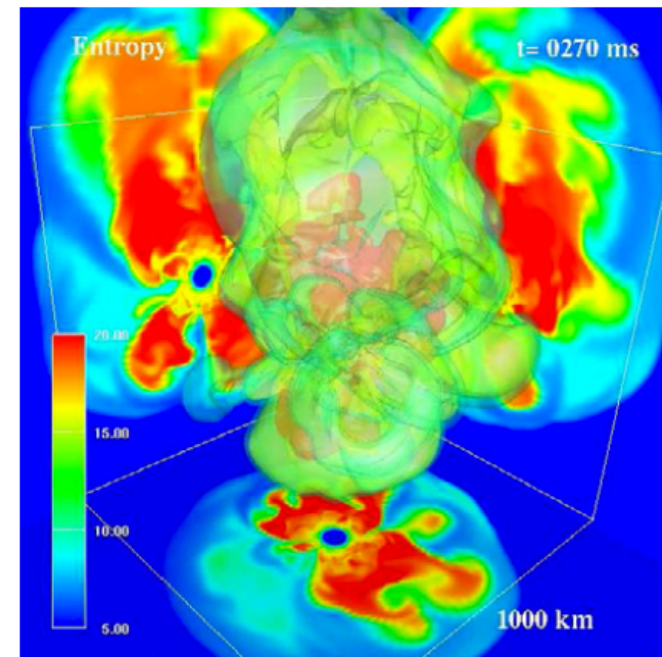
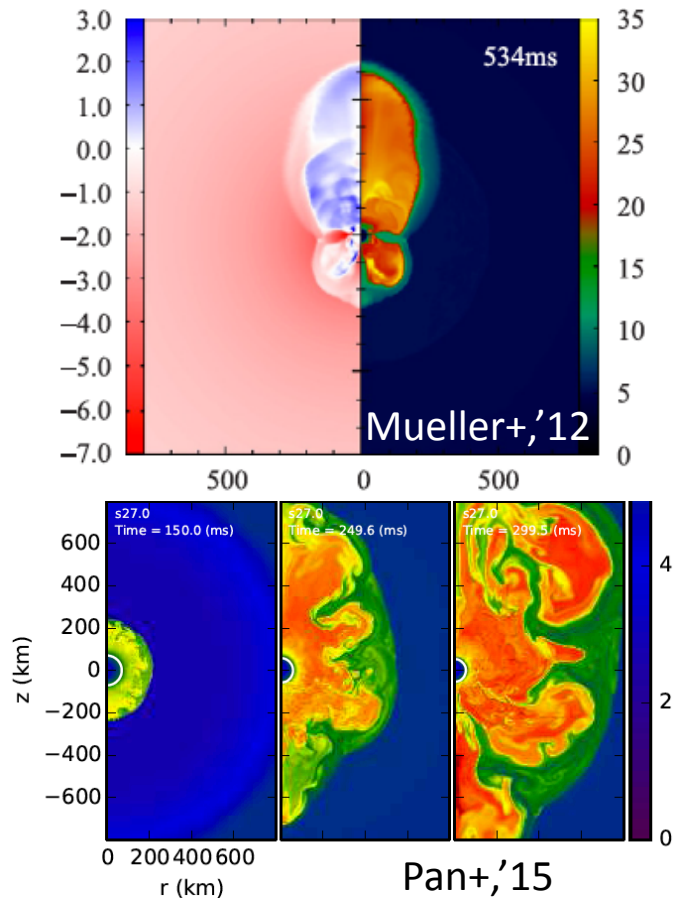
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BASEL



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Three Keys for Successful Explosion

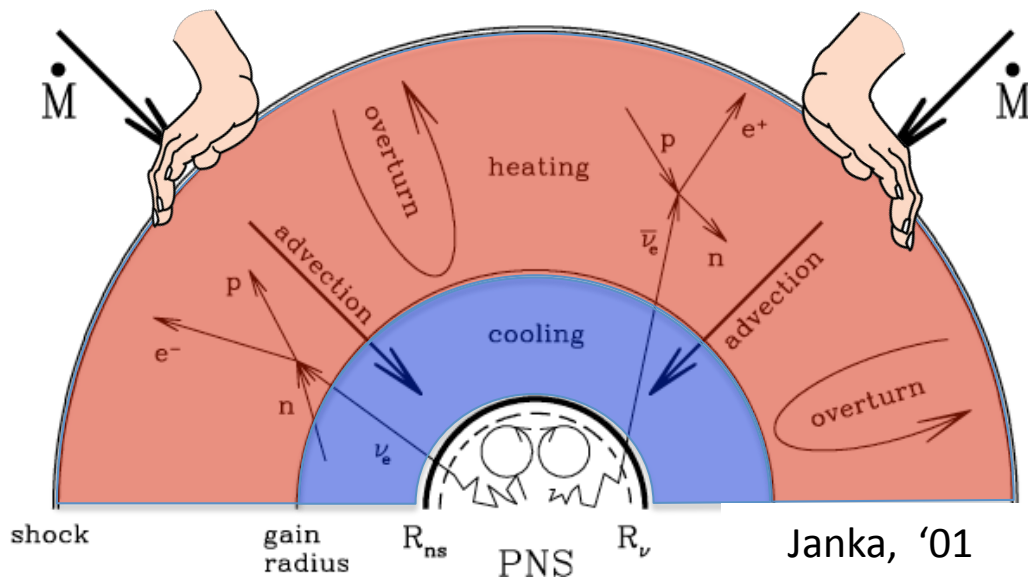
- Multi Dimension $\xrightarrow{\text{primarily affect on}}$ Gain region ($M_{\text{gain}}, \tau_{\text{gain}}$)
- Progenitor profile $\xrightarrow{\text{primarily affect on}}$ Mass accretion rate
- Nuclear EOS $\xrightarrow{\text{primarily affect on}}$ Neutrino & Acoustic mode



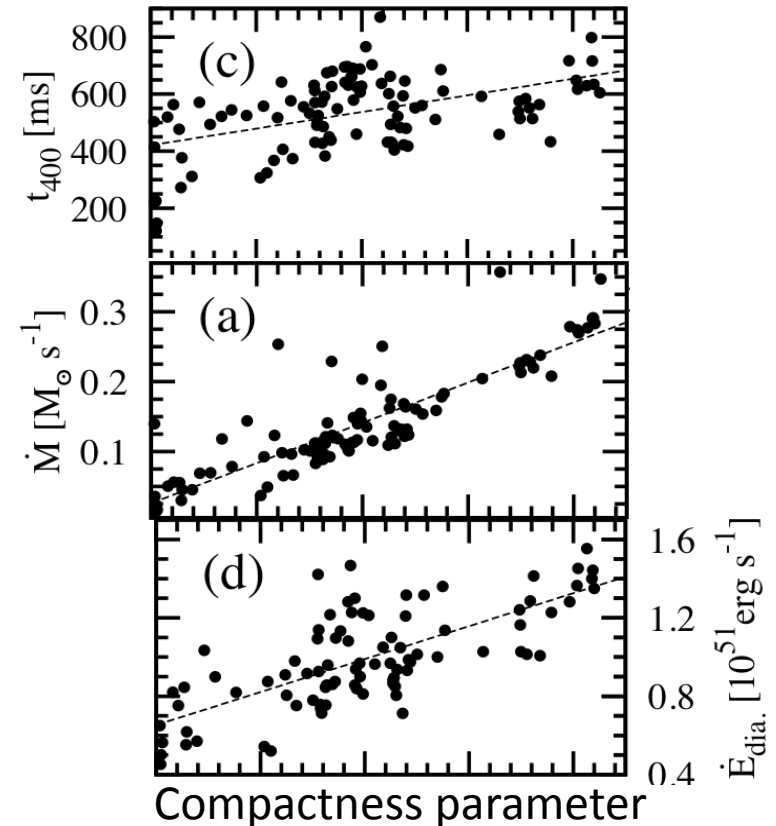
Takiwaki+, '14

Three Keys for Successful Explosion

- Multi Dimension \longrightarrow Gain region ($\dot{M}_{\text{gain}}, \tau_{\text{gain}}$)
- Progenitor profile \longrightarrow Mass accretion rate
- Nuclear EOS \longrightarrow Neutrino & Acoustic mode



Both High and Low \dot{M}_{dot} are OK.
 (But not too high \dot{M}_{dot} (\rightarrow BH in GR))

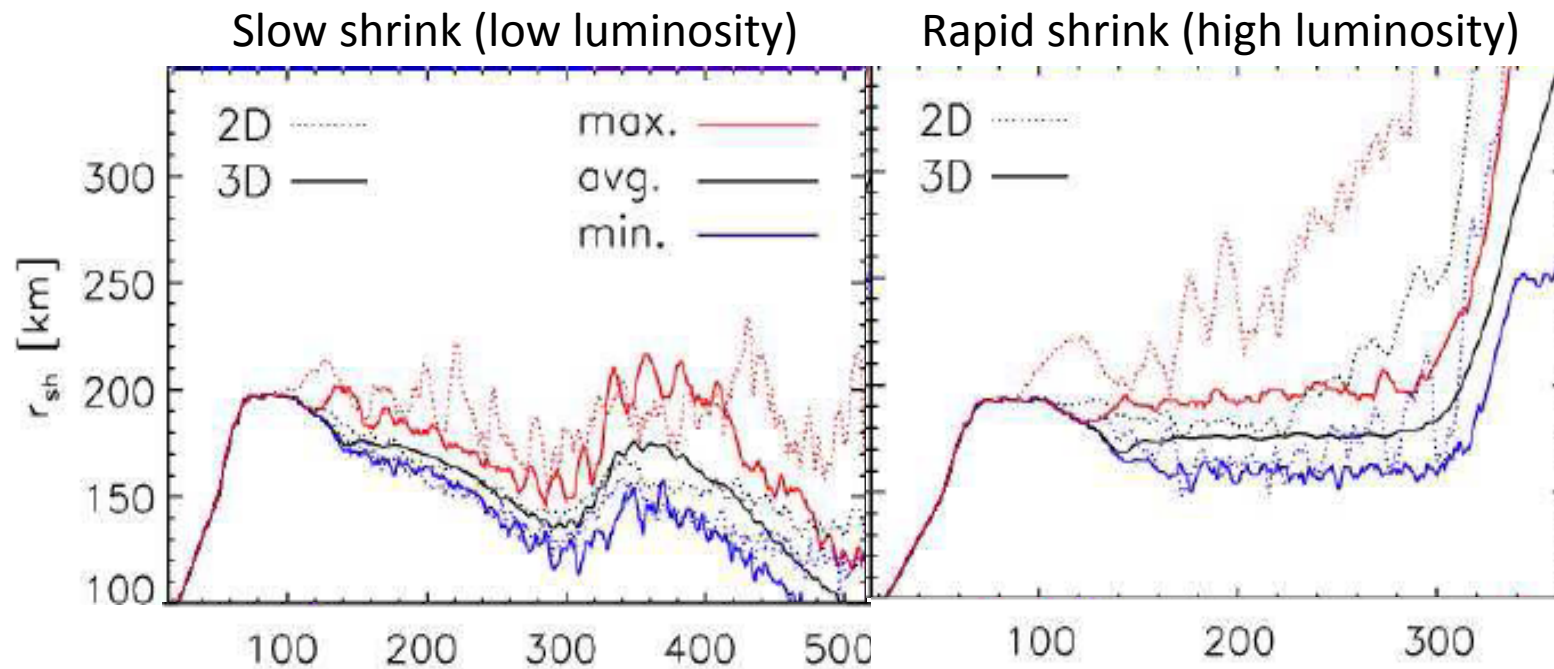


Nakamura, Takiwaki, KT, Kotake, '14

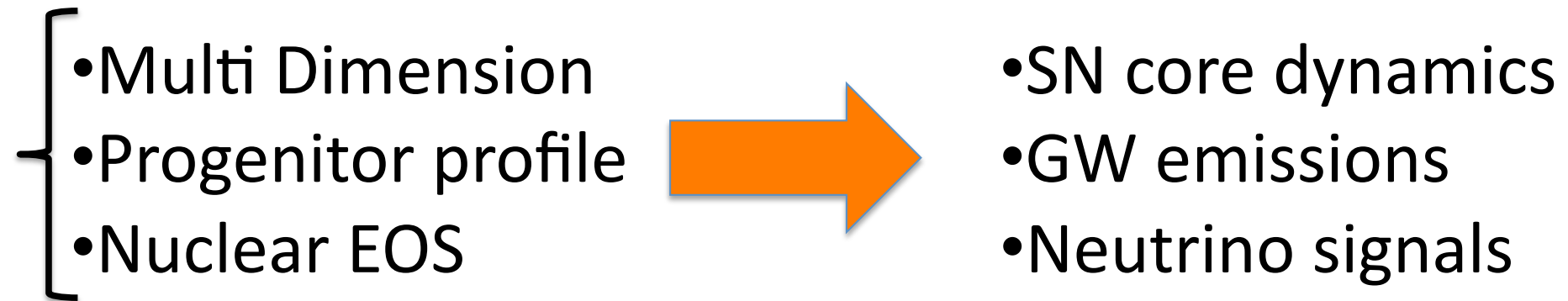
Three Keys for Successful Explosion

- Multi Dimension \longrightarrow Gain region ($M_{\text{gain}}, \tau_{\text{gain}}$)
- Progenitor profile \longrightarrow Mass accretion rate
- Nuclear EOS \longrightarrow Neutrino Luminosity

“Soft” PNS is considered to be more favorable for the shock evolution in neutrino-driven explosion



Aims of This Study



We performed 3D full GR gray-neutrino transport simulations

$$\left\{ \begin{array}{l} G^{\mu\nu} = 8\pi T^{\mu\nu} \\ \nabla_{\alpha} T^{\alpha\beta}_{(\text{total})} = \nabla_{\alpha} T^{\alpha\beta}_{(\text{fluid})} + \nabla_{\alpha} T^{\alpha\beta}_{(\nu)} = 0 \end{array} \right.$$

BSSN equations (17 variables)

$$(\partial_t - \mathcal{L}_\beta)\tilde{\gamma}_{ij} = -2\alpha\tilde{A}_{ij}$$

$$(\partial_t - \mathcal{L}_\beta)\phi = -\alpha K/6$$

$$(\partial_t - \mathcal{L}_\beta)\tilde{A}_{ij} = e^{-4\phi} [\alpha(R_{ij} - 8\pi(S_{ij} + P_{ij})) - D_i D_j \alpha]^{\text{trf}} + \alpha(K\tilde{A}_{ij} - 2\tilde{A}_{ik}\tilde{\gamma}^{kl}\tilde{A}_{jl})$$

$$(\partial_t - \mathcal{L}_\beta)K = -\Delta\alpha + \alpha(\tilde{A}_{ij}\tilde{A}^{ij} + K^2/3) + 4\pi\alpha(S_0 e^{-6\phi} + E + \gamma^{ij}(S_{ij} + P_{ij}))$$

$$(\partial_t - \beta^k \partial_k)\Gamma^i = -16\pi\tilde{\gamma}^{ij}(S_j e^{-6\phi} + F_j)$$

$$-2\alpha\left(\frac{2}{3}\tilde{\gamma}^{ij}K_{,j} - 6\tilde{A}^{ij}\phi_{,j} - \tilde{\Gamma}_{jk}^i\tilde{A}^{jk}\right)$$

$$+\tilde{\gamma}^{jk}\beta_{,jk}^i + \frac{1}{3}\tilde{\gamma}^{ij}\beta_{,kj}^k - \tilde{\Gamma}^j\beta_{,j}^i + \frac{2}{3}\tilde{\Gamma}^i\beta_{,j}^j + \beta^j\tilde{\Gamma}_{,j}^i - 2\tilde{A}^{ij}\alpha_{,j}$$

Hydrodynamic equations (10 variables)

$$\partial_t \rho_* + \partial_i(\rho_* v^i) = 0$$

$$\begin{aligned} \partial_t S_i + \partial_j(S_i v^j + \alpha e^{6\phi} P_{\text{tot}} \delta_i^j) &= -S_0 \partial_i \alpha + S_k \partial_i \beta^k + 2\alpha e^{6\phi} S_k^k \partial_i \phi \\ &\quad - \alpha e^{2\phi} (S_{jk} - P_{\text{tot}} \gamma_{jk}) \partial_i \tilde{\gamma}^{jk} / 2 - e^{6\phi} \alpha Q^\mu \gamma_{i\mu} \end{aligned}$$

$$\begin{aligned} \partial_t \tau + \partial_i(S_0 v^i + e^{6\phi} P_{\text{tot}}(v^i + \beta^i) - \rho_* v^i) &= \alpha e^{6\phi} K S_k^k / 3 + \alpha e^{2\phi} (S_{ij} - P_{\text{tot}} \gamma_{ij}) \tilde{A}^{ij} - S_i D^i \alpha \\ &\quad + e^{6\phi} \alpha Q^\mu n_\mu \end{aligned}$$

$$\partial_t(\rho_* Y_l) + \partial_i(\rho_* Y_l v^i) = \rho_* \Gamma_l$$

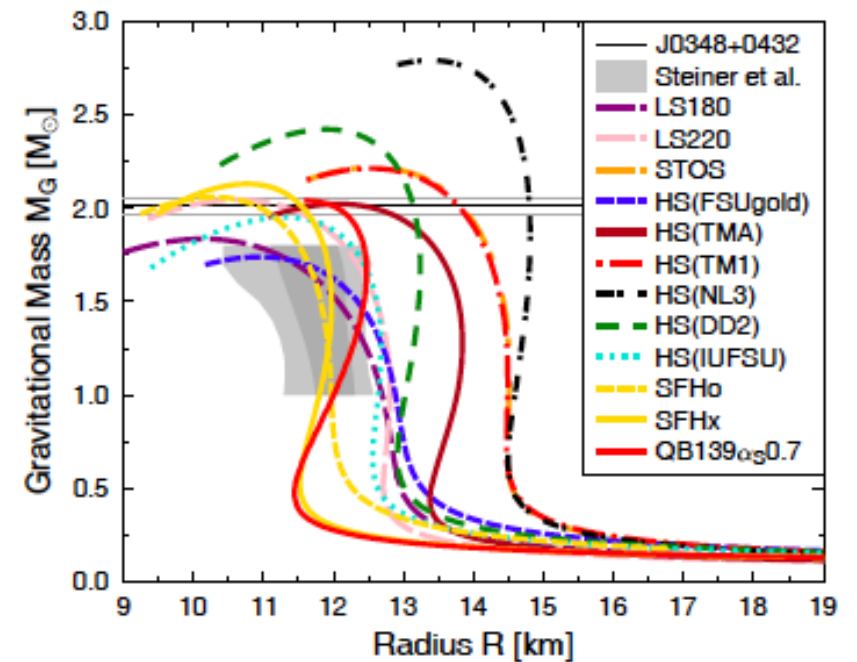
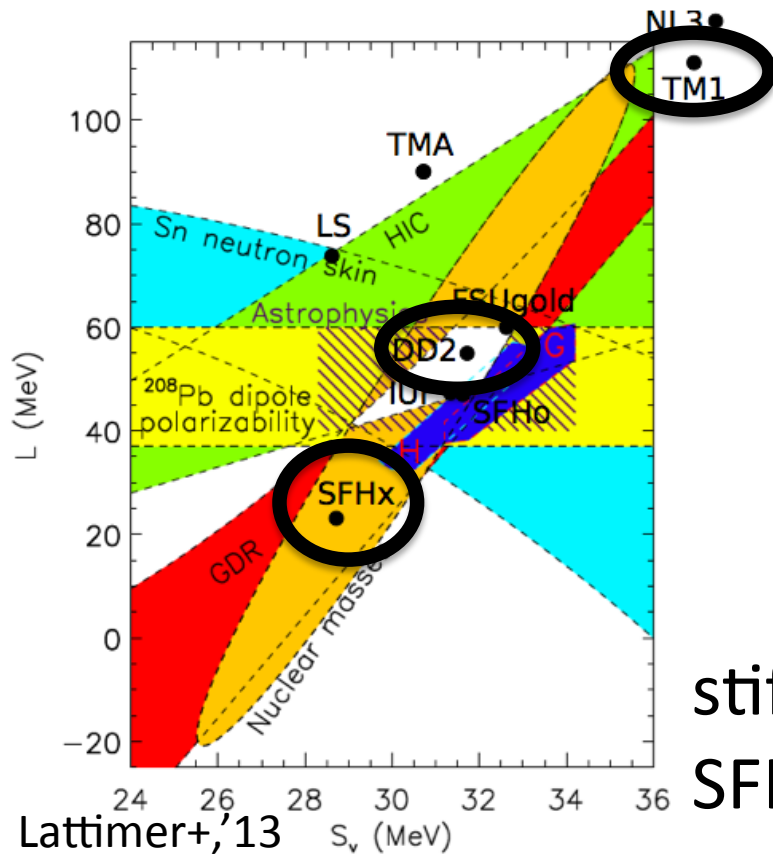
Neutrino Radiation equations (12 variables)

$$\partial_t(e^{6\phi} F_i) + \partial_j[e^{6\phi}(\alpha P_i^j - \beta^j F_i)] = e^{6\phi}[-E \partial_i \alpha + F_j \partial_i \beta^j + (\alpha/2) P^{jk} \partial_i \gamma_{jk} + \alpha Q^\mu \gamma_{i\mu}]$$

$$\partial_t(e^{6\phi} E) + \partial_i[e^{6\phi}(\alpha F^i - \beta^i E)] = e^{6\phi}(\alpha P^{ij} K_{ij} - F^i \partial_i \alpha - \alpha Q^\mu n_\mu)$$

Numerical Setups

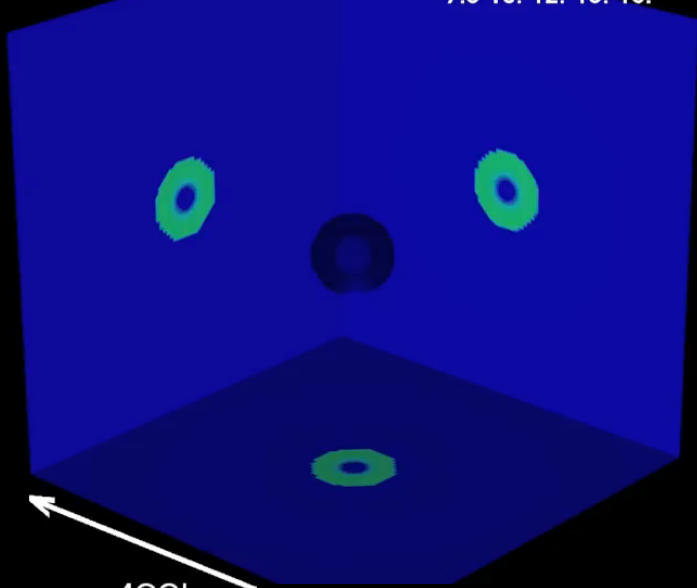
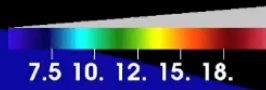
- ✓ Progenitor: $11.2, 40.0M_{\odot}$ (WHW02) & $15.0M_{\odot}$ (WW95)
($\sim 0.3, 2.10$ & 1.05 Xi@1.5Msun)
- ✓ 128^3 cells*9 Level nested structure
($\{x,y,z\} \in [-7500,7500]$ km, $dx_{\min} \sim 450$ m)
- ✓ EOS : SFHx, DD2 & TM1(Hempel+,'12 & Steiner+,'13)



Fischer+,'14

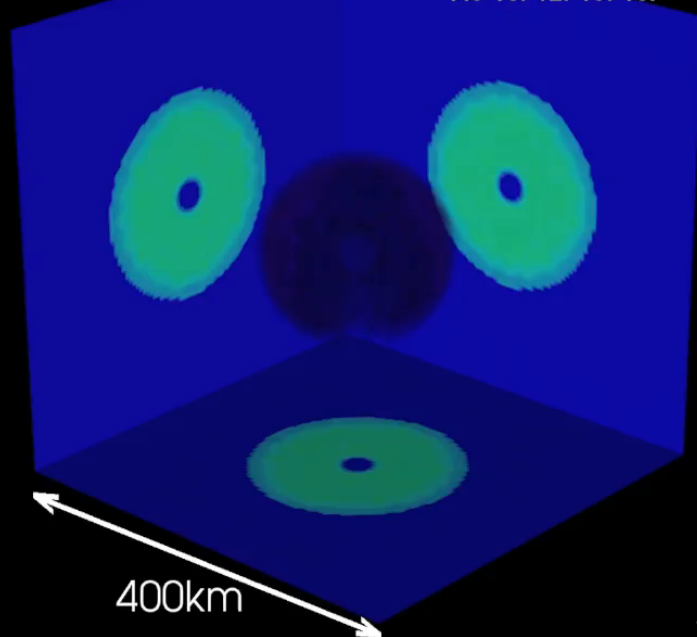
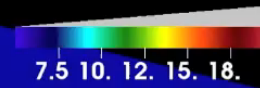
S15.0(SFHx)

$T_{pb}(ms)=0.600086$



400km

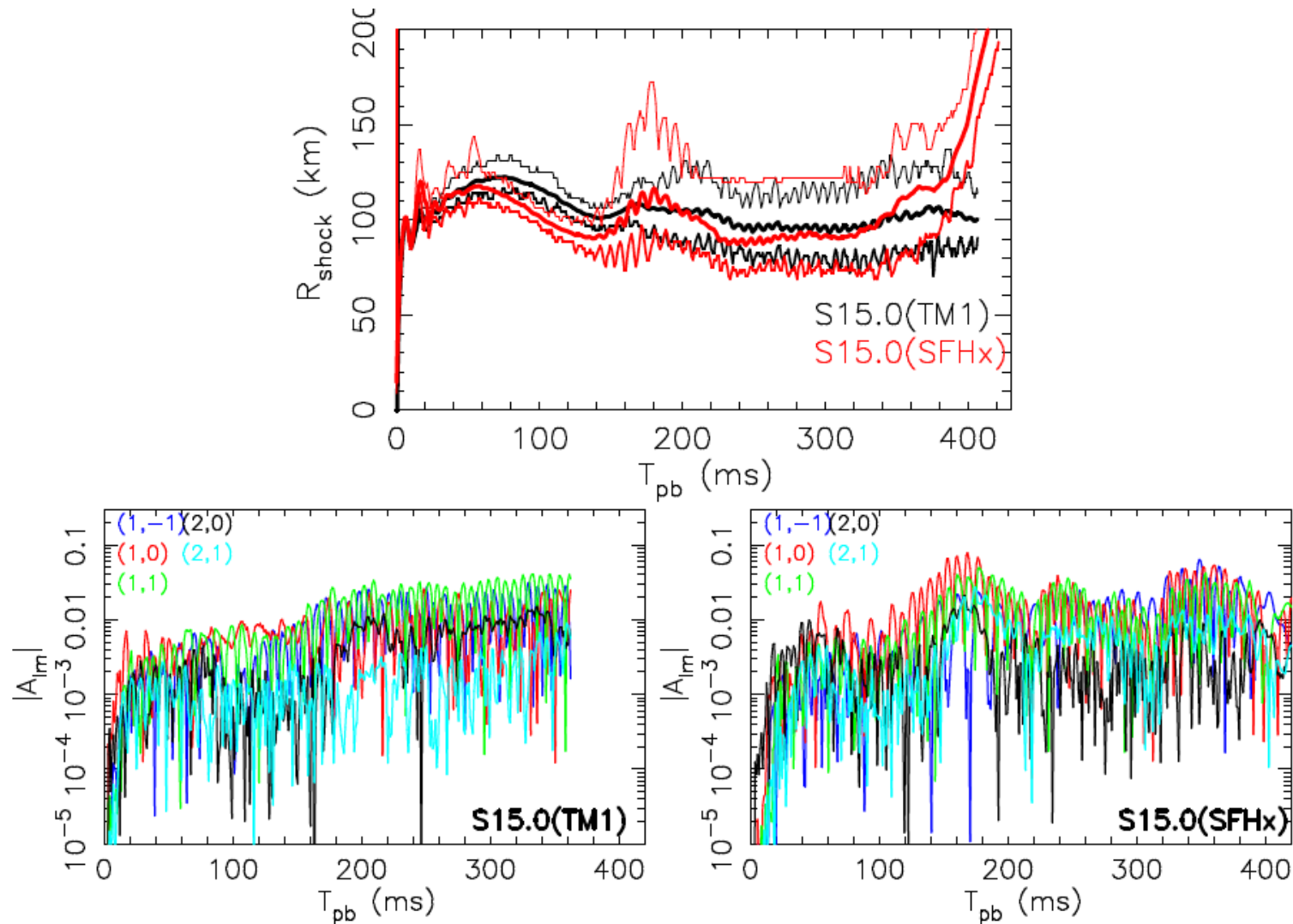
$T_{pb}(ms)=8.59512$



400km

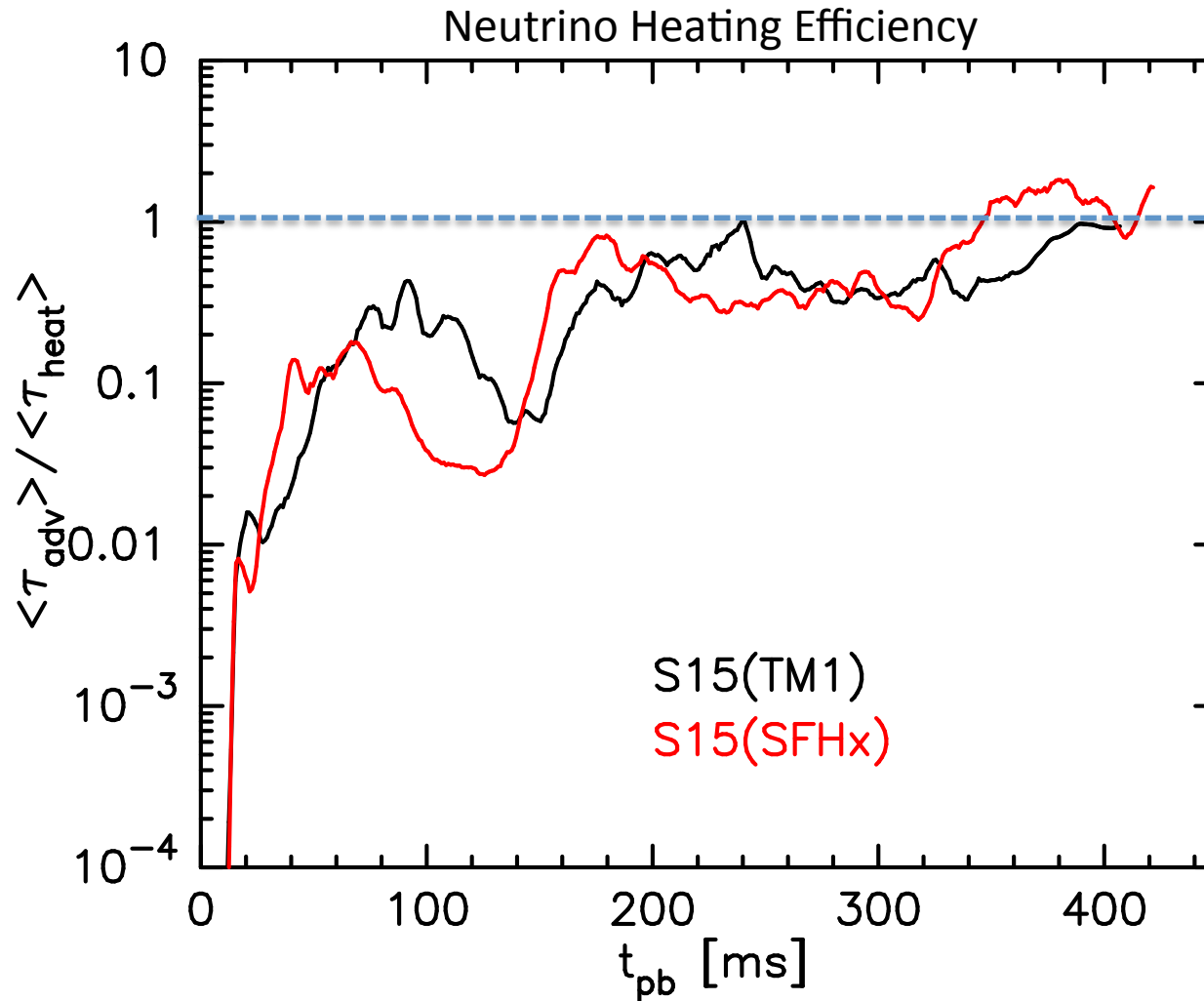
S15.0(TM1)

EOS Dependence on SN dynamics



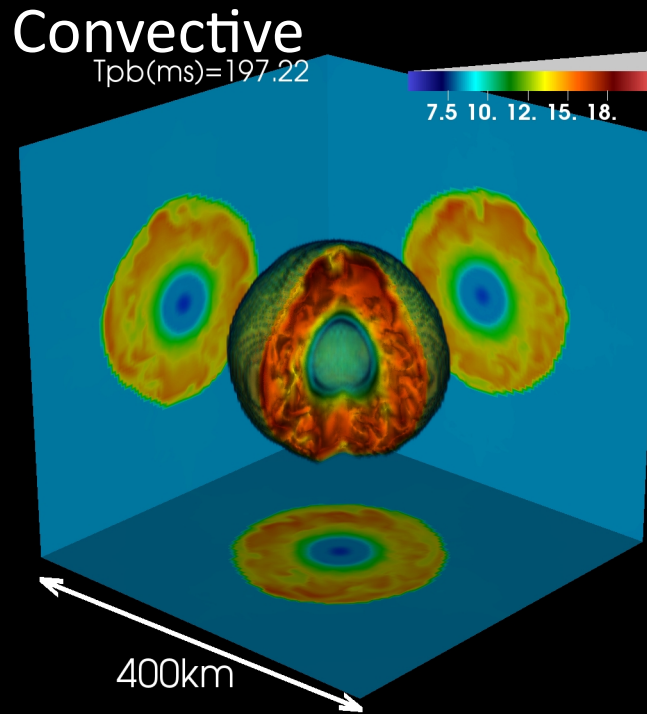
Vigorous SASI activity in the soft EOS model

EOS Dependence on SN dynamics

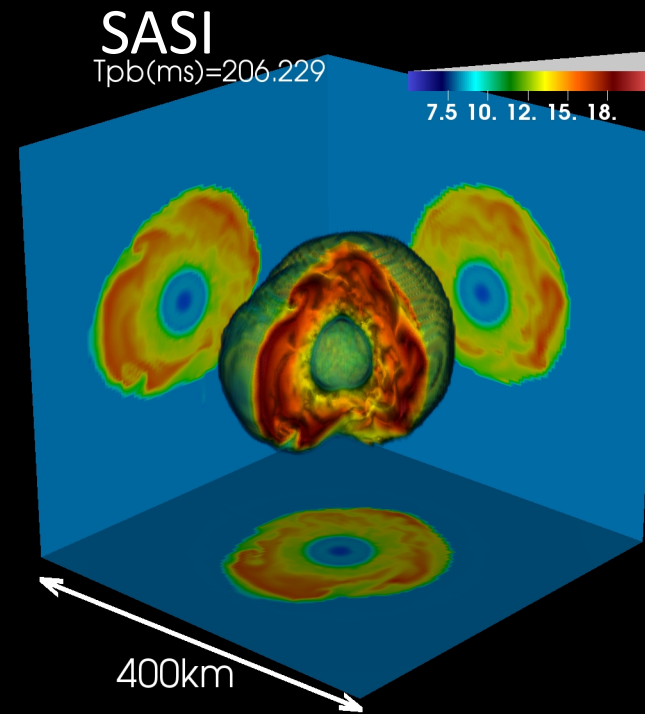


The softer EOS model shows higher efficiency
in the neutrino heating

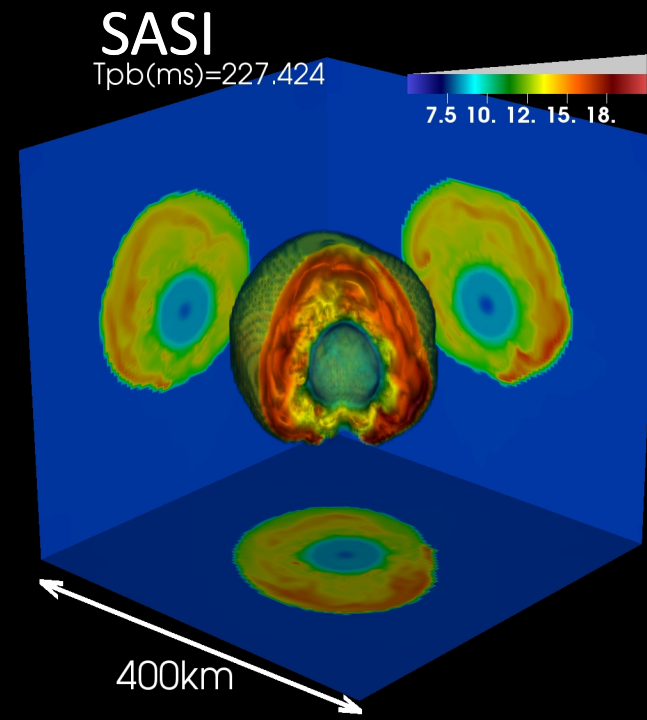
S11.2



S15.0

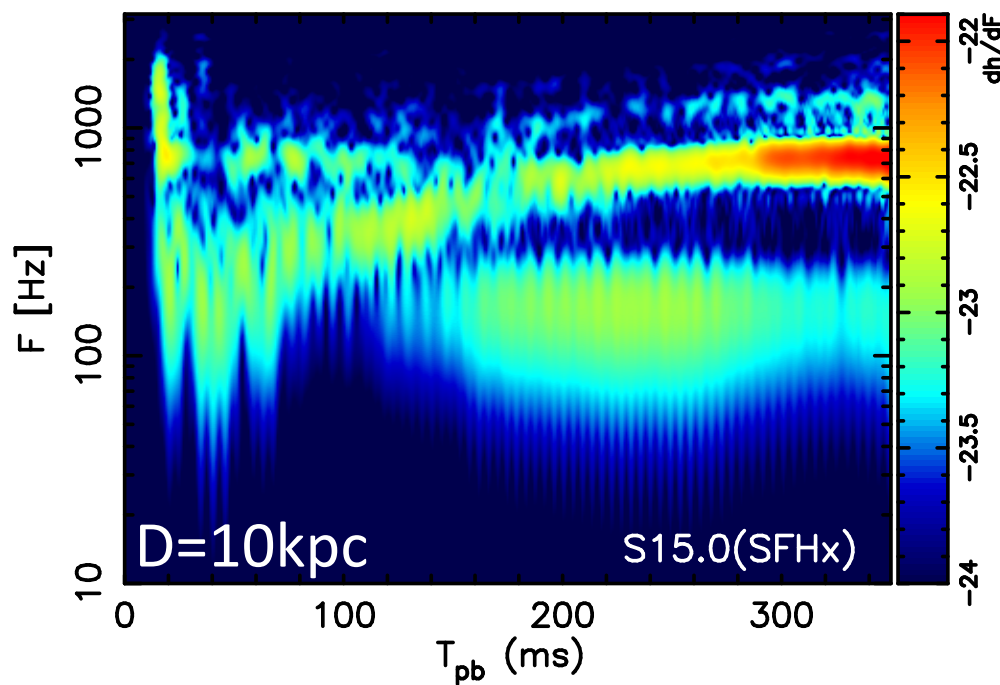
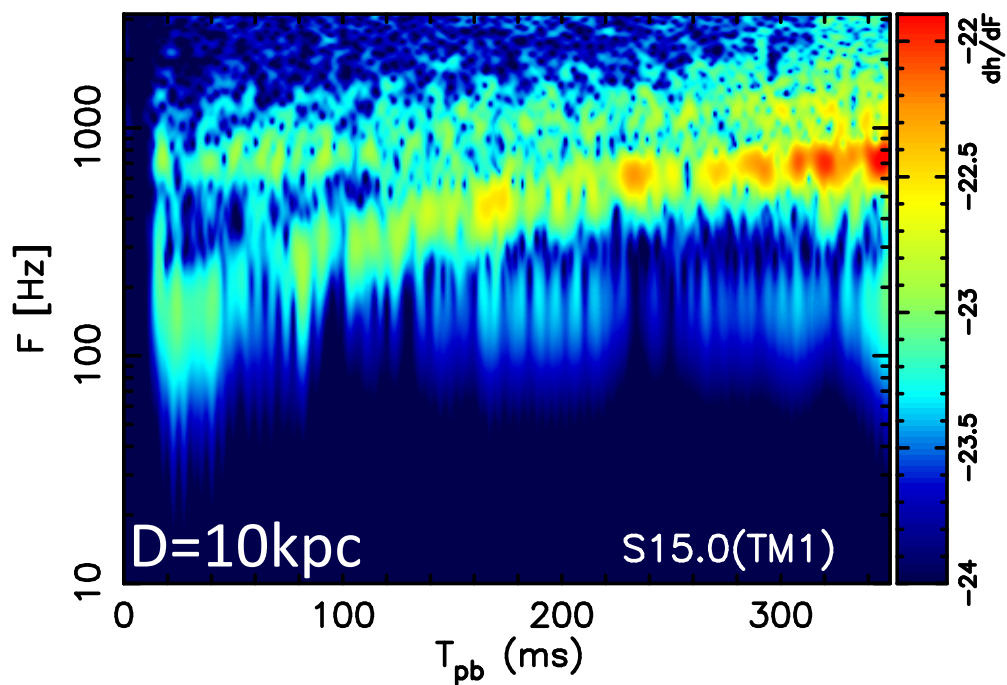
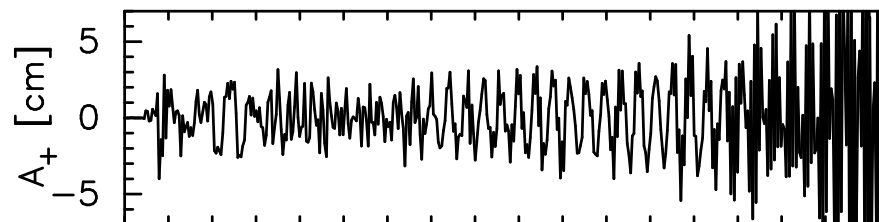
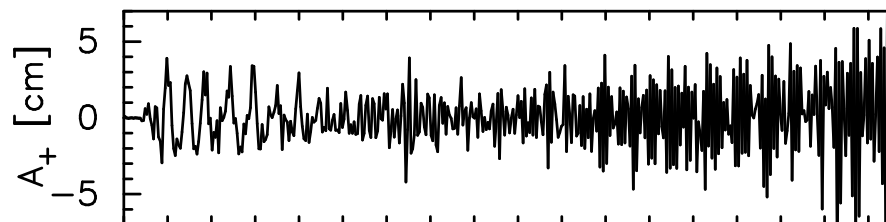


S40.0



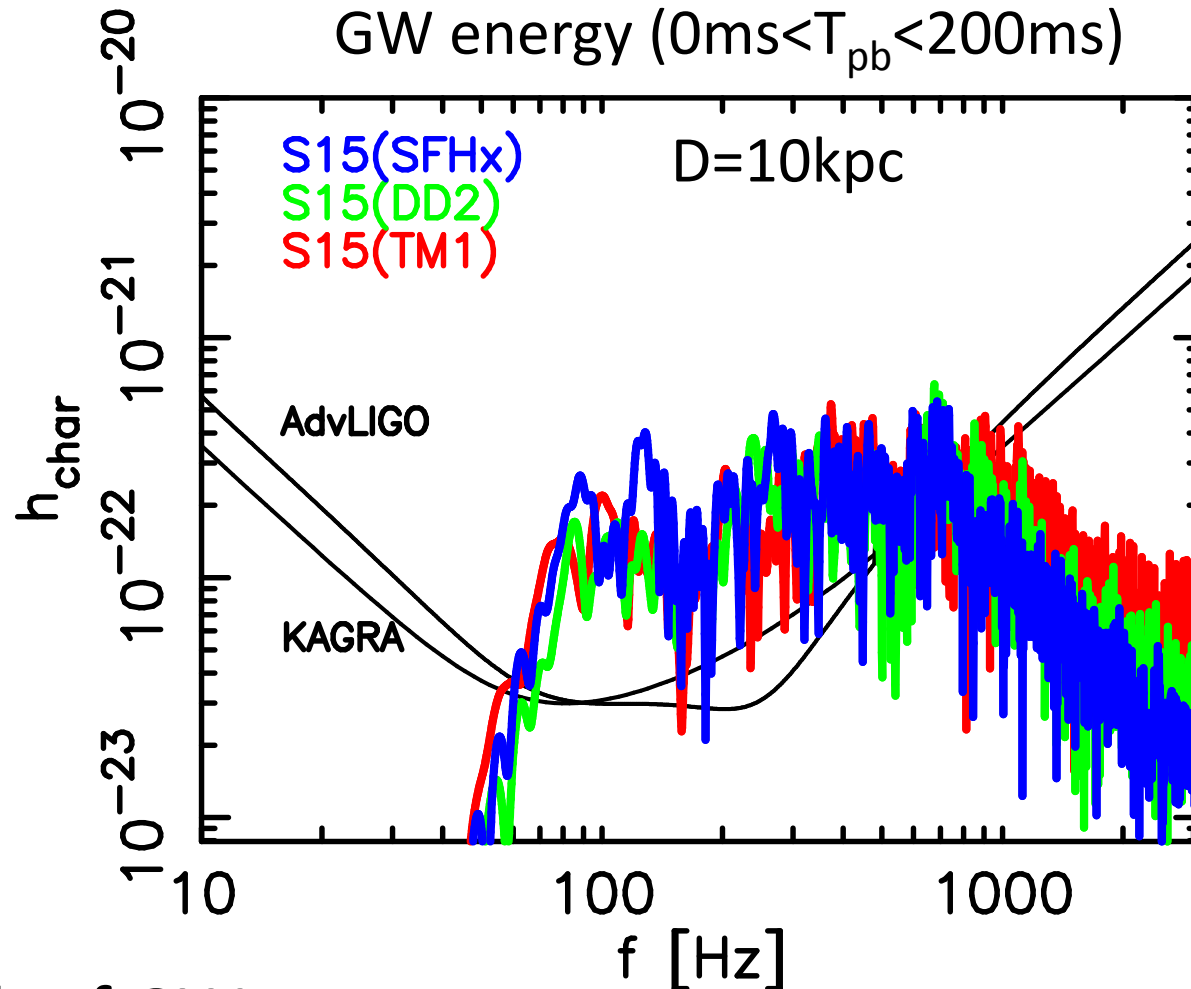
SN core dynamics depends sensitively on the progenitor profile

EOS Dependence on GW Emissions



EOS Dependence on GW Emissions

Spectra of cumulative
GW energy ($0\text{ms} < T_{\text{pb}} < 200\text{ms}$)



Strength of GWs

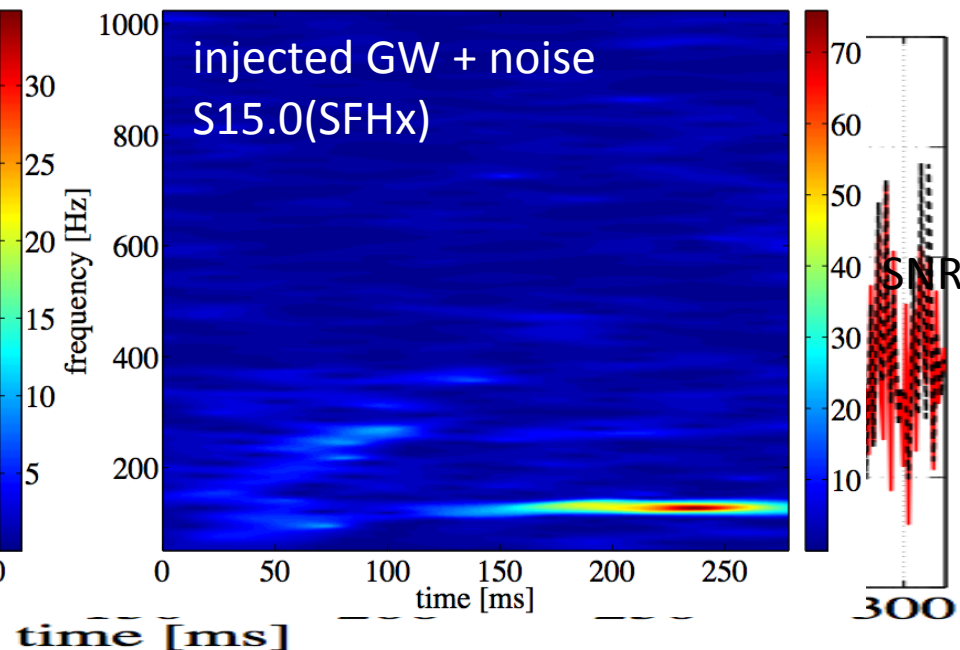
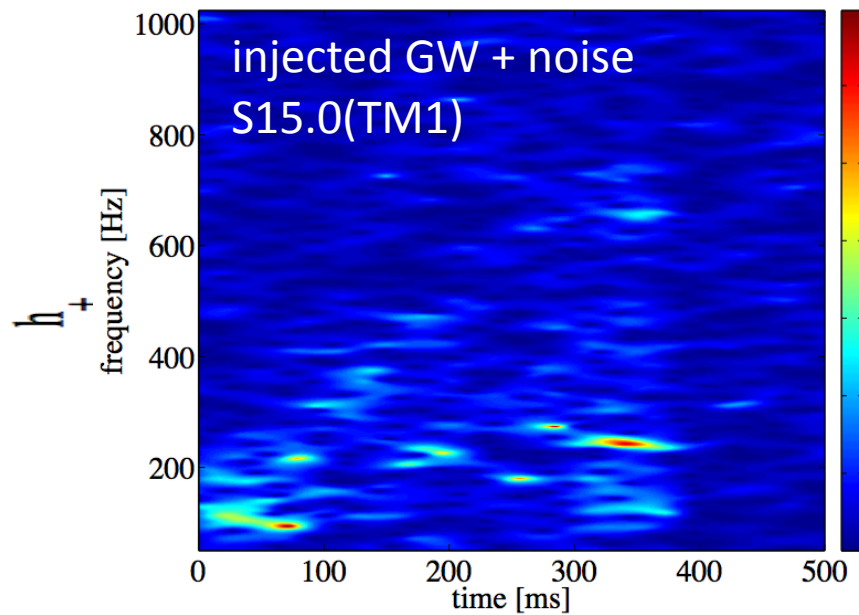
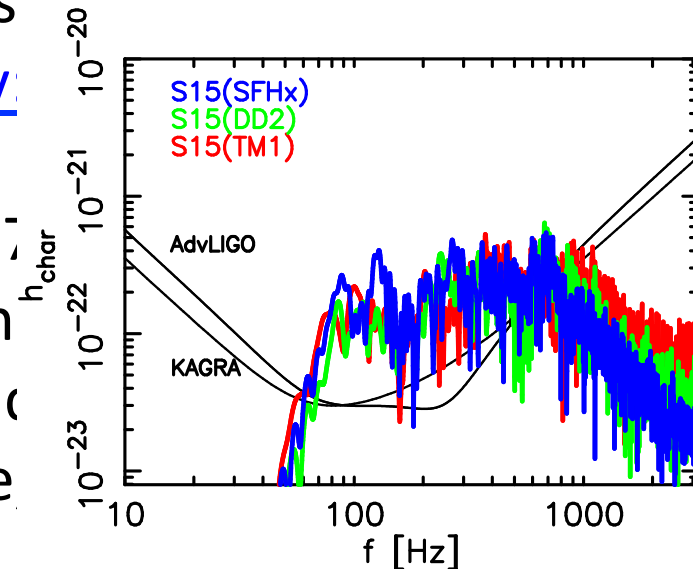
@ higher tail \rightarrow TM1 > DD2 > SFHx

@ lower frequency \rightarrow SFHx is the strongest

Coherent Network Analysis of GWs

We performed coherent network analysis (Hayama, KT, Takiwaki & Kotake, '15, [arXiv](#))

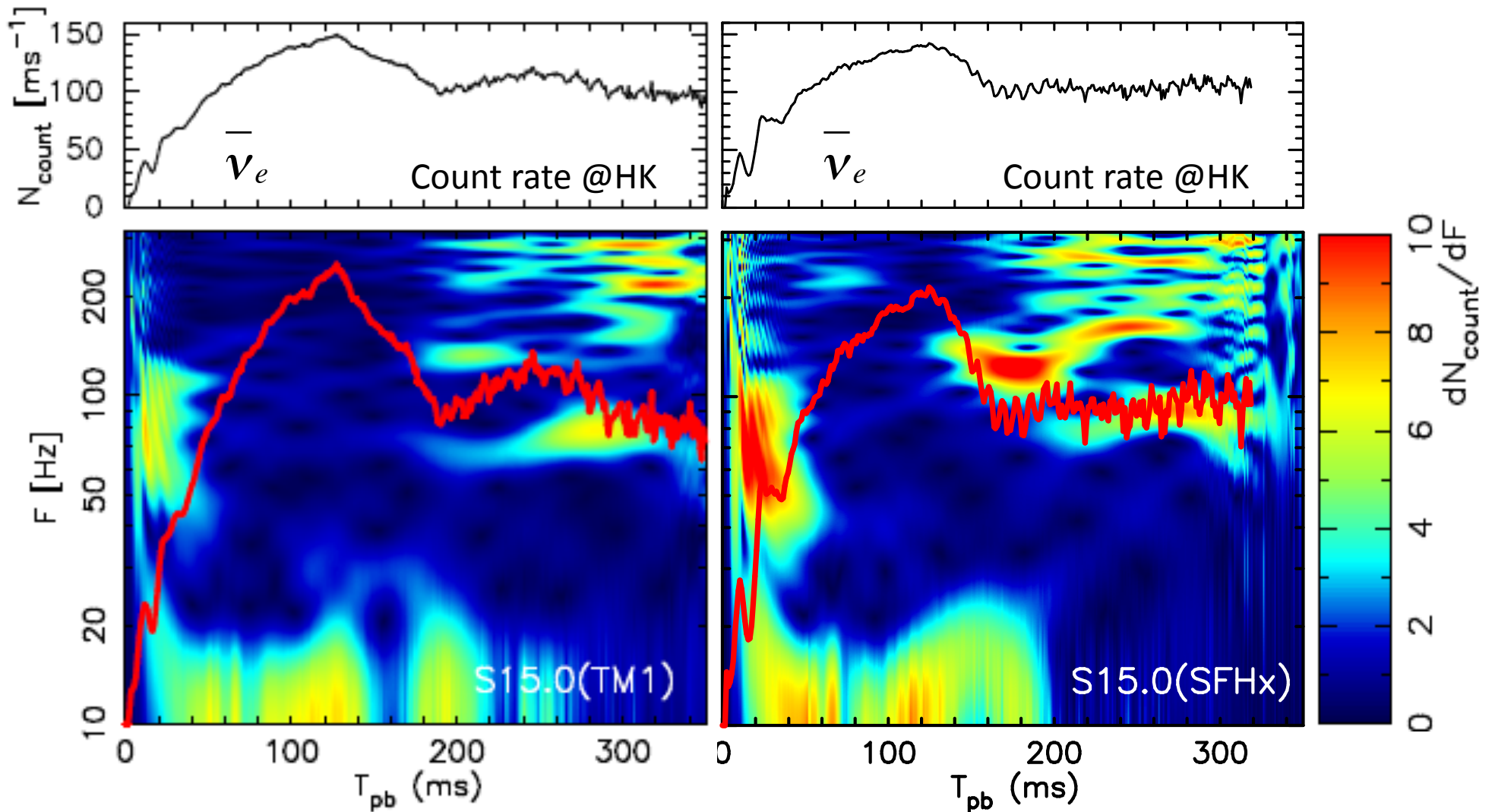
We used the RIDGE pipeline (Hayama+, '07) which takes full advantage of the global network of LIGO-(H/L), VIRGO & KAGRA. We consider detectors, sky-map position of the source



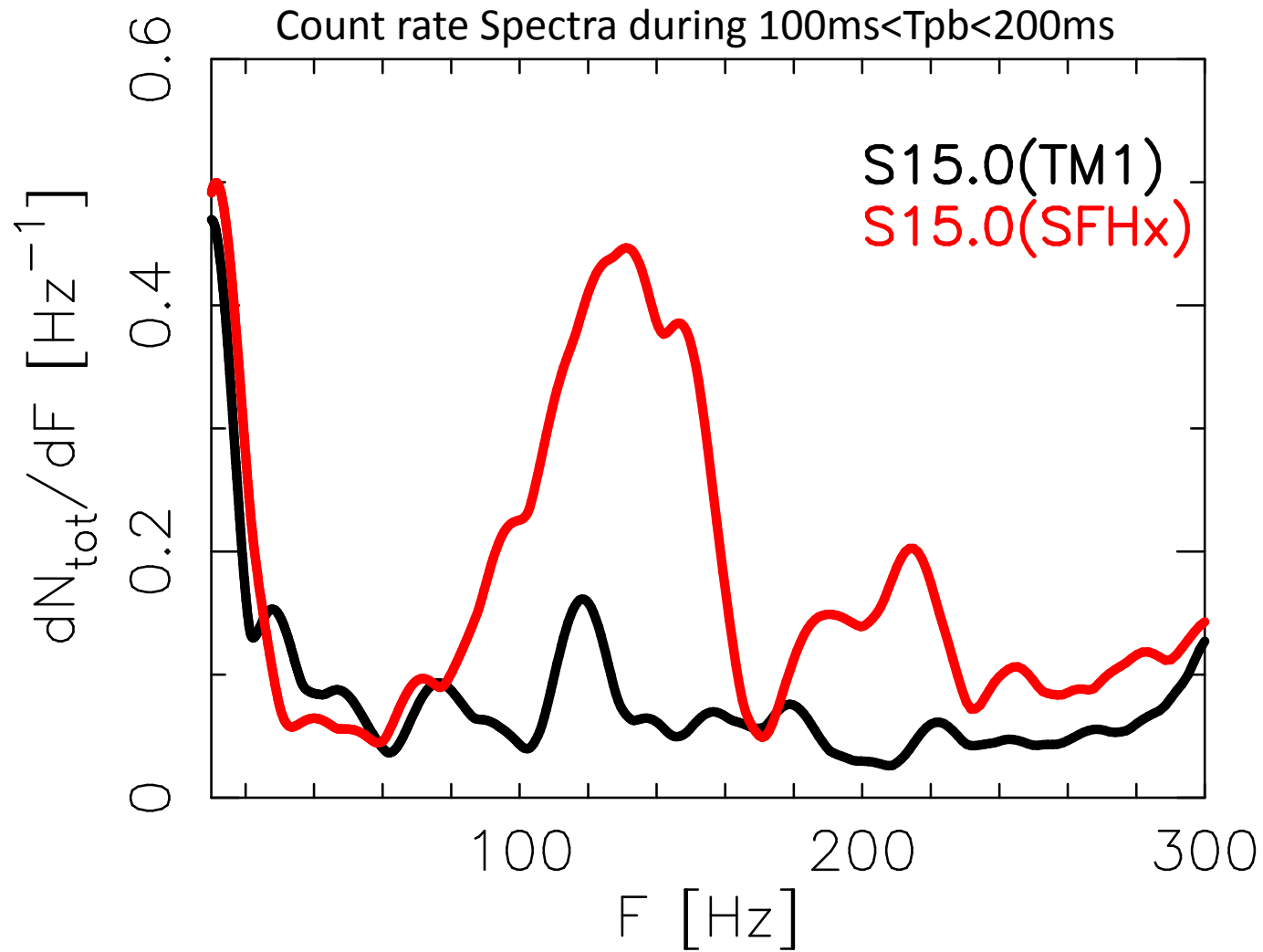
EOS Dependence on Neutrino Emissions

Tamborra+, '14

$$L(t) = 2 \int_{\text{vis.hem.}} dA \cos \vartheta F_e(R, t) \left(1 + \frac{3}{2} \cos \vartheta \right)$$

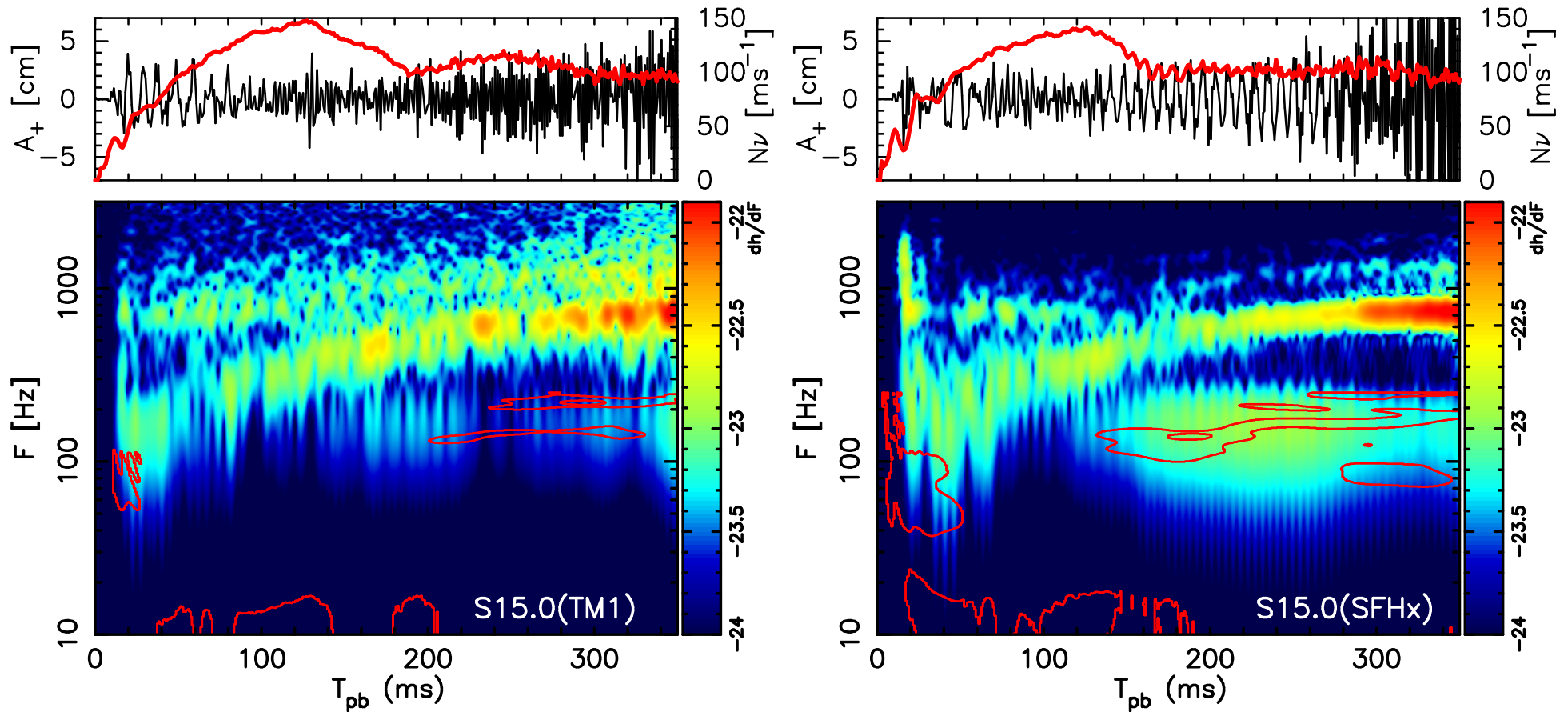


EOS Dependence on Neutrino Emissions



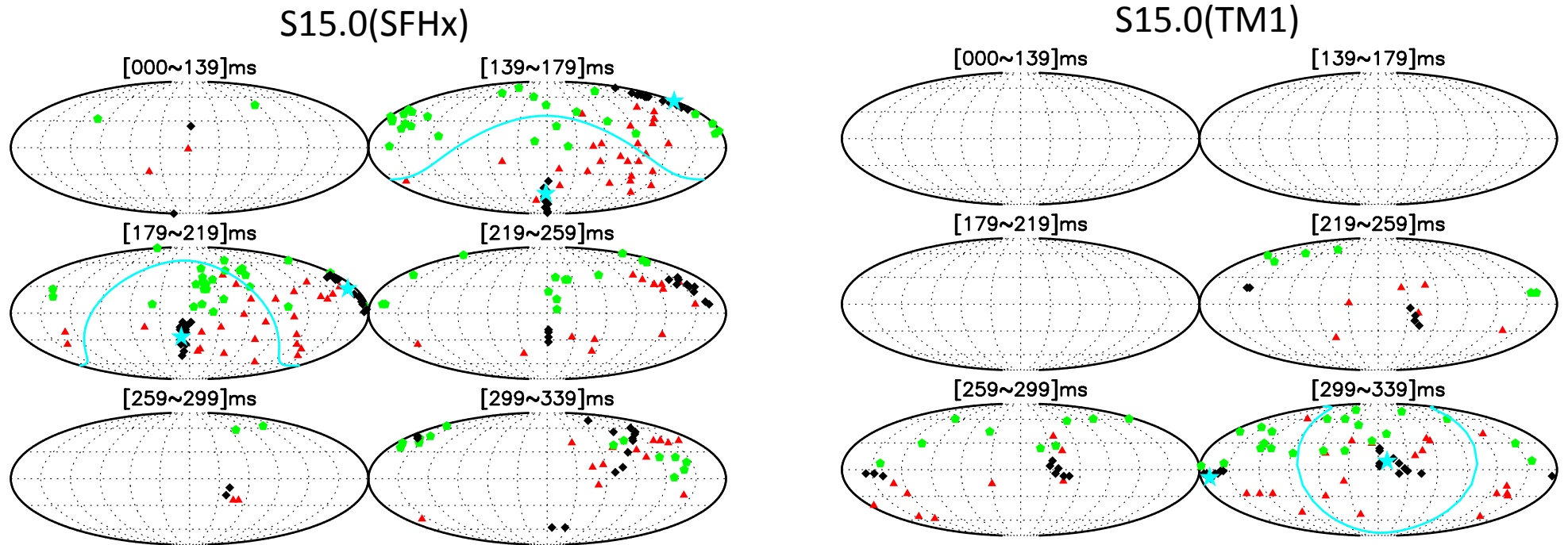
SASI modulation appears clearly at $F \sim 100\text{Hz}$

Coherence of GWs and Neutrinos associated with SASI modulation

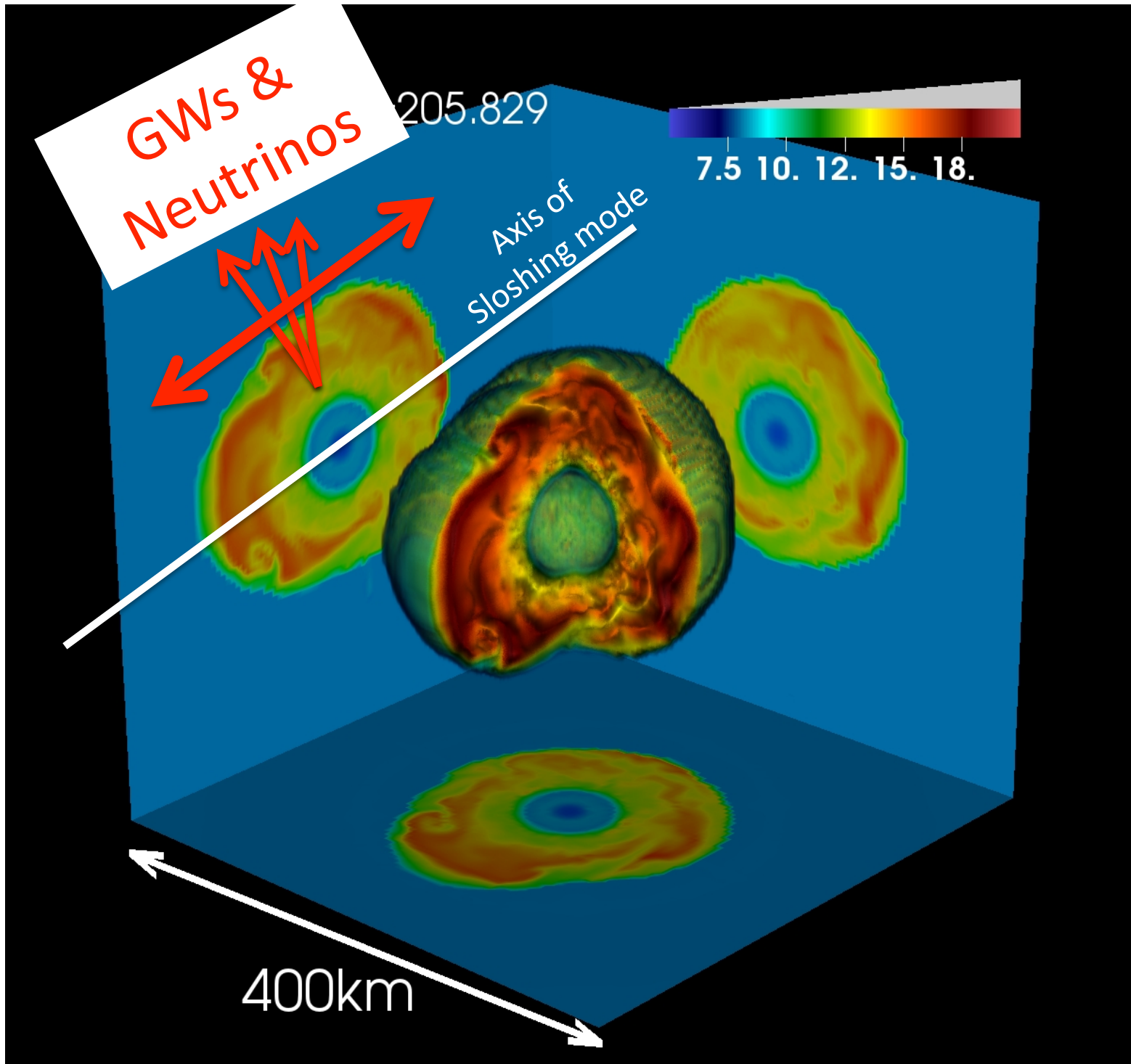


SASI activity can actually be imprinted in both GW and neutrino profiles

Directional dependence of SASI motion & GW/Neutrino emissions



Black : Maximum shock position
Red : Strongest neutrino emission
Green : Strongest GW emission



Summary

- Softer EOS & more compact progenitor profile instigate SASI activity more efficiently
- SASI modulation is imprinted in both GW/Neutrino @ $\sim 100\text{Hz}$ (@ 130Hz in S15.0(SFHx))
- From coherent network analysis, GW signals associated with SASI modulation, have $\text{SNR} \sim 70$ (S15,SFHx) @ $D=10\text{kpc}$.

Our next step is

To perform energy dependent neutrino transport

[arXiv:1501.06330](https://arxiv.org/abs/1501.06330)