Strangeness -Φ mesons in pA reactions

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- BUU transport model
- HADES data
- comparison with ANKE
- multistrange objects



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*) KFKI #) ANKE Coll.



microscopic, relativistic transport model based on Boltzmann-Uehling-Uhlenbeck (BUU) kinetic theory

evolution of single-particle phase-space distribution functions quasi-particle limit:

$$\frac{\partial f_i}{\partial t} + \frac{\partial H_i}{\partial \vec{p}} \frac{\partial f_i}{\partial \vec{r}} - \frac{\partial H_i}{\partial \vec{r}} \frac{\partial f_i}{\partial \vec{p}} = \sum_j C_{ij} + \sum_j \mathcal{G}_{j \to i} + \sum_j \mathcal{L}_{i \to j}$$
non-linear partial integro-differential equations:
$$H \approx \sqrt{m_{0,i}^2 + \vec{p}^2} + U_i^{nr}$$

set of non-linear partial integro-differential equations:

$$\begin{split} \frac{\partial f_i}{\partial t} + \vec{v} \, \nabla_r \cdot f_i - \nabla_r U_i^{nr} \cdot \nabla_p f_i &= -\frac{1}{(2\pi)^6} \int d^3 p_2 d^3 p_{2'} d\Omega \frac{d\sigma}{d\Omega} v_{12} \\ \downarrow & \downarrow & \downarrow & \\ \text{drift term nucleon feels mean-field} & \times \Big\{ [f_i f_2 (1 - f_{1'})(1 - f_{2'}) - f_{1'} f_{2'} (1 - f_i)(1 - f_2)] \\ \times (2\pi)^3 \delta^3 (\vec{p} + \vec{p}_2 - \vec{p}_{1'} - \vec{p}_{2'}) \Big\} + \mathcal{G}_i + \mathcal{L}_i \end{split}$$

Vlasov term

Theory:

collisional integral \rightarrow two-body collisions

 $f_i(\vec{r},\vec{p},t)$

hadron species

 \rightarrow for non-interacting nucleons

How to solve integro-differential equations?

 \rightarrow parallel ensemble test-particle method:

of parallel ensembles

N = 1

$$f_i(\vec{r}, \vec{p}, t) = \frac{1}{\tilde{N}} \sum_{n=1}^{\tilde{N}} \delta^{(3)}(\vec{r} - \vec{r}_i^{(n)}(t)) \delta^{(3)}(\vec{p} - \vec{p}_i^{(n)}(t))$$

$$\frac{d\vec{r_i}^{(n)}}{dt} = \frac{\partial H_i}{\partial \vec{p_i}^{(n)}} = \vec{v_i}^{(n)}, \qquad \xrightarrow{\longrightarrow} \text{ set of ordinary differential equations}}$$
$$\frac{d\vec{p_i}^{(n)}}{dt} = -\frac{\partial H_i}{\partial \vec{r_i}^{(n)}} = -\vec{\nabla}_r U_i(n(\vec{r}), \vec{p}),$$
$$\text{ better statistics } \longrightarrow \text{ multiple runs}}$$



In-medium masses





HADES PRC 2009: 0.37 ± 0.13

HADES data Ar + KCI @ 1.756 AGeV

PRC 2009



$$T_{eff}^{K^+} = 89 \text{ MeV}$$

$$T_{eff}^{K^-} = 69 \text{ MeV}$$



rapidity:
$$\frac{dN}{dy} = \int_{m_t=m_0}^{\infty} \frac{d^2N}{dm_t dy} dm_t \longrightarrow dN/dy = C(y)(m_0^2 T_B(y) + 2m_0 T_B(y)^2 + 2T_B^3(y))$$



Φ mesons?



time evolution



Centrality and individual channels



 $\pi + N(1520)$



$$\pi Y \leftrightarrow K^- N$$

π+N(1440) - π+ρ 0.8 **~** ρ+Δ Beiträge der Kanäle 0.6 – ρ+n ρ+p $\pi + \Delta$ 0.4 π+n - π+p 0.2 $- N\Delta, \Delta \Delta, N+N^*$ -- nn - pn -0.0 - pp 2 3 5 6 7 8 0 1 4 b [fm]

1.0

weak impact parameter dependence

$$\left. \begin{array}{c} NY\\ \Delta Y \end{array} \right\} \to NNK^{-}$$

(11)

 $\phi \to K^+ K^-$



absorptive ΦN interaction in p (2.83 GeV) + C, Cu, Ag and Au

Glauber model

Φ production:

 $T_A =$

no subthreshold prod.

no Fermi-momenta



density distribution: Woods-Saxon

 $R = r_0 A^{1/\bar{3}}$

R(C, Cu, Au) = (2.75, 4.77, 6.98) fm.



Φ production in corona

check consistency with Glauber



BUT 4 no's: - no isospin asymmetry - no secundary channels - no absorption - no ANKE acceptance

+ absorption



+ isospin asymmetry



+ secundary channels



Channels and centrality



impact parameter dependent

ANKE acceptance



[HS, to be published] **RESULT:**



single absorption is able to describe the ANKE data set

real double-strange: $\Xi^{-}(dss)$

in Ar (1.756 AGeV) + KCl



(19)



Summary

- production of K⁺ ,K⁻ ,Φ and Ξ ⁻
 (in-medium modifications & EoS)
- comparison with HADES & ANKE data
- Φ puzzle

Wishlist

- Φ decay in dileptons
- K⁰_s potential?
- - $K^-NN \rightarrow YN$ absorption modes
- Ξ $^{\scriptscriptstyle -}$ and triple-strange Ω $^{\scriptscriptstyle -}$
- -heavier systems
- -ANKE: isospin dependent Φ absorption

$$\delta \leq b_{\max} = \sqrt{\frac{\sigma_{ij}^{\text{tot}}(\sqrt{s})}{\pi}} \qquad U_{K^-} = n \left(a + be^{-cp_{K^-}(\text{GeV/c})^{-1}} \right)$$





	Multiplizität
K^+	2.7×10^{-2}
K^0_S	1.4×10^{-2}
K^{-}	7.8×10^{-4}
ϕ	2.2×10^{-4}
[I]	2.1×10^{-5}
$\Lambda + \Sigma^0$	3.9×10^{-2}
π^-	4.2×10^0
π^+	3.8×10^0









K⁻N

0.0 -



