Multi-particle interactions within UrQMD

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HCBM 2010 Budapest - August 19, 2010

Thanks to Gunnar Gräf, Hannah Petersen, Marcus Bleicher



- UrQMD in a nutshell
- Why multi-particle interactions?
- Realization via parton rearrangement concept + criterions + processes + checks
- Consequences for the reaction dynamics (preliminary results)
- Summary & Outlook

UrQMD in a nutshell

Ultrarelativistic Quantum Molecular Dynamics

[H. Petersen et al., arXiv:0805.0567v1 (2008)]



- Non-equilibrium transport approach
- All hadrons & resonances up to 2.2 GeV
- String excitation & fragmentation
- Cross sections fitted to available data, parametrized via AQM or calculated by detailed balance
- Generates full space-time dynamics of hadrons & strings
- Interactions via $2 \rightarrow n$ and $1 \rightarrow n$ processes (!!)

Why multi-particle interactions ?

High particle densities !



Why multi-particle interactions ?

- Three-particle interactions gain importance in the high density region of collisions
- 3 → n processes work towards detailed balance
- Faster thermal & chemical equilibration due to additional interactions ?
- Elliptic flow, anti-hyperon enhancement,

[P. Danielewicz, PRC 42, 1564 (1990)]
[H.W. Barz, B. Kämpfer, NPA 683, 594 (2001)]
[C. Greiner, S. Leupold, JPG 27, L95 (2001)]
[W. Cassing, NPA 700, 618 (2002)]
[Z. Xu, C. Greiner, PRC 71, 064901 (2005)]
[A.B. Larionov et al., PRC 76, 044909 (2007)]

• 3 \rightarrow n processes (n \leq 3) introduced via parton rearrangement

Realization via quark rearrangement

high density

quark rearrangement

low density



Three nearby hadrons can exchange their quarks
Pre-formed hadrons participate in this process

[J. Bleibel, GB, A. Fässler, C. Fuchs, PRC 76, 024912 (2007)] [J. Bleibel, GB, C. Fuchs, PLB 659, 520 (2008)]

Criterion for quark rearrangement



- Rearrangement distance $\Delta x \leq 0.85$ fm
- Momentum criterion via uncertainty principle $\Delta x \Delta p \ge 1$

Rearrangement processes

 All processes conserving the quantum numbers are allowed (electric charge, baryon number,)

One of the allowed quark configurations is randomly chosen

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ightarrow Additional 3-particle reactions at high density:

 $3 \rightarrow 3$



recombination

 $3 \rightarrow 2$





meson fusion

 $\begin{array}{c} (A) & (C) \\ (A) & (C) \\ (B) \\ (B) \\ (B) \end{array} \end{array} \longrightarrow \begin{array}{c} (A) & (C) \\ (A) & (C) \\ (B) \\ (B) \\ (B) \end{array} \end{array}$

quark annihilation

Rescaling of momenta



 Energy and momentum conservation due to momentum rescaling

 Rescaling with one overall factor for all momenta in the process



$$C_{scale} = \frac{\sqrt{s^2 + \left(m_1^2 + m_2^2\right)^2 - 4m_1^2 m_2^2 - 2s\left(m_1^2 + m_2^2\right)}}{2\sqrt{s} p_{1,2}}$$

(for two outgoing particles)

Check: Energy dependence I



Rearrangement becomes dominant for higher energies

Check: Energy dependence II



Check: Temporal development



Check: Density dependence



Rearrangement happens mostly in regions of high densities

Consequences for

100



Consequences (outlook) for

• Kinetic equilibration faster with rearrangement



[J. Bleibel et al., PRC 76, 024912 (2007)]



Elliptic flow ν₂ (η)
 improved with rearrangement

Summary & Outlook

- Dynamic 3-particle interactions are implemented into UrQMD
- Energy and momentum are conserved
- Rearrangement is dominant in high density regions
- Backward reaction for 2 → 3 now added into UrQMD



"I think you should be more explicit here in step two."

Summary & Outlook

- Dynamic 3-particle interactions are implemented into UrQMD
- Energy and momentum are conserved
- Rearrangement is dominant in high density regions
- Backward reaction for 2 → 3 now added into UrQMD

- Allow only unformed particles to rearrange
- Study detailed balance via box calculation
- Investigation of particle spectra, elliptic flow and thermalization



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Anisotropic flow

Fourier decomposition of particle distribution

$$E \frac{d^{3}N}{d^{3}p} = \frac{d^{2}N}{d^{2}p_{T} dy} \left[1 + 2\sum_{n=1}^{\infty} v_{n} (p_{T}, y) \cos(n_{S}) \right]$$

2nd harmonic coefficient = elliptic flow

$$v_2(p_T,y) \equiv \langle \cos(2 \wp) \rangle = \langle (p_x / p_T)^2 - (p_y / p_T)^2 \rangle$$

Anisotropic flow



$$v_2(p_T,y) = \langle (p_x / p_T)^2 - (p_y / p_T)^2 \rangle$$

