

# **Neutron Stars, Black Holes, and Gamma-Ray Bursts: three events with Eugene Wigner in Princeton**

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**ICRANet – Piazzale della Repubblica 10, Pescara**

**ICRANet – Nice, Université de Nice Sophia-Antipolis**

**Wigner 111 Meeting – November 11<sup>th</sup>, 2013**

**Hungarian Academy of Sciences**

# 1967: Hamburg and Paris

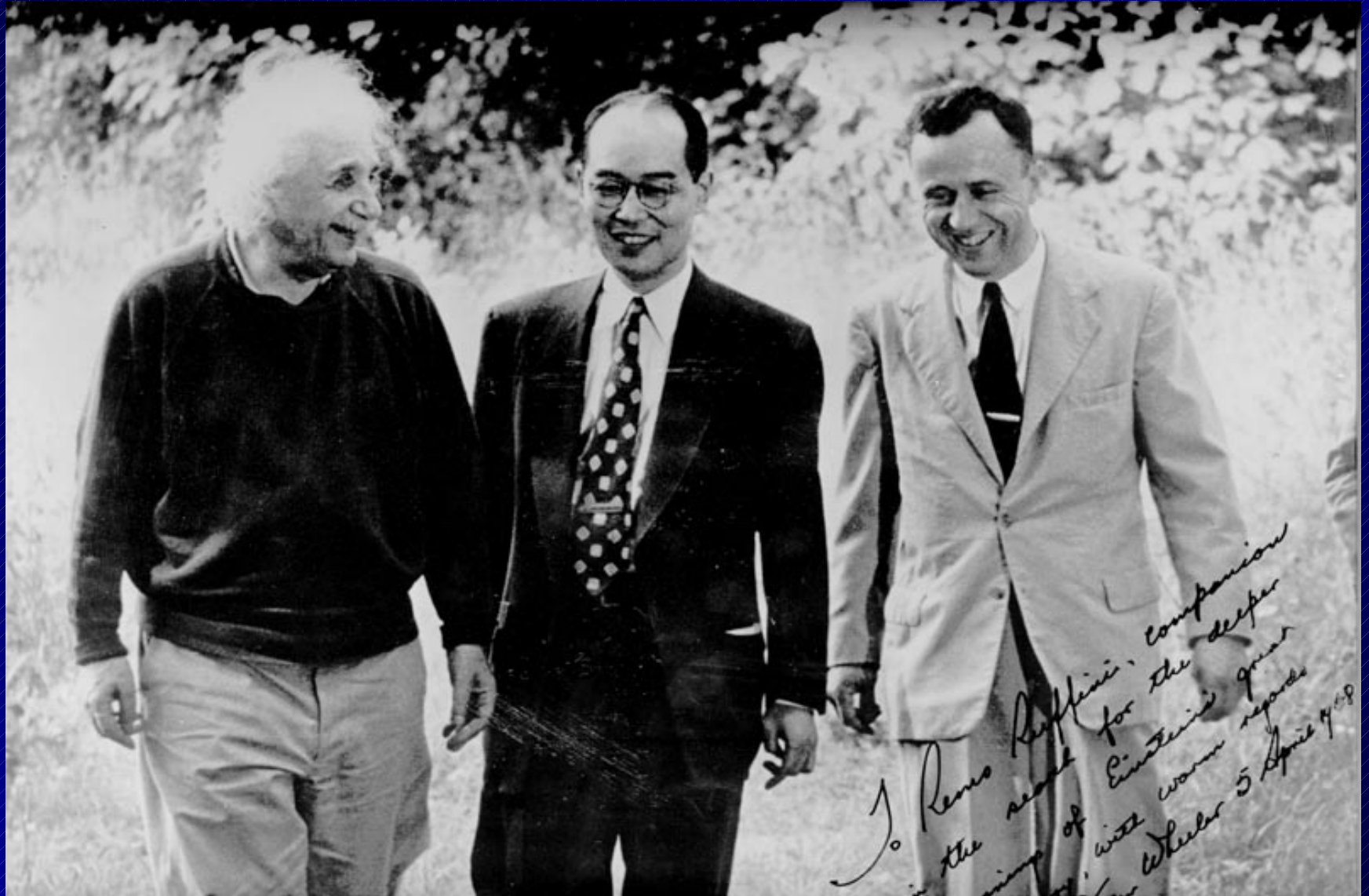


Paul Dirac



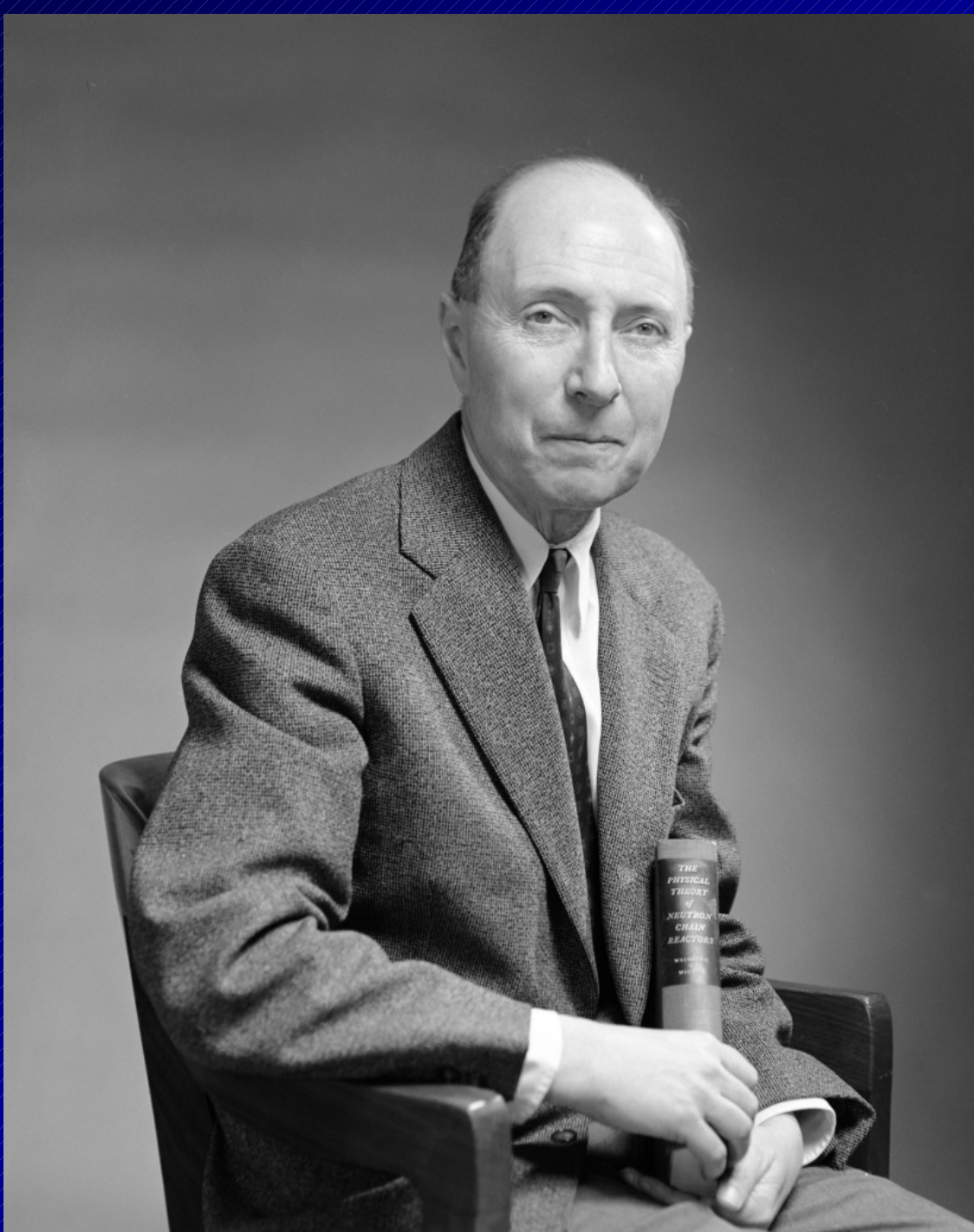
Pascual Jordan

# Einstein, Yukawa and Wheeler: the birth of Relativistic Astrophysics



# Einstein 70<sup>th</sup> birthday





PERSONS PRESENT AT CP-1 EXPERIMENT

Achievement of First Self-Sustained Nuclear Chain Reaction

December 2, 1942

Dr. Harold M. Agnew	<i>Harold M. Agnew</i>	Dr. Louis Wroth Marshall	<i>Louis Wroth Marshall</i>
Professor Samuel E. Allison	<i>Samuel E. Allison</i>	Anthony J. Munstetter	<i>Anthony J. Munstetter</i>
Professor Herbert L. Anderson	<i>Herbert L. Anderson</i>	George Miller	<i>George Miller</i>
Wynne Arnold	<i>Wynne Arnold</i>	George D. Marshall	<i>George D. Marshall</i>
Hugh M. Burton, Jr.	<i>Hugh M. Burton, Jr.</i>	Robert G. Marshall	<i>Robert G. Marshall</i>
Thomas Bell	<i>Thomas Bell</i>	Robert G. Marshall	<i>Robert G. Marshall</i>
Dr. R. F. Christy	<i>R. F. Christy</i>	Warren E. Meyer	<i>Warren E. Meyer</i>
Arthur H. Compton	<i>Arthur H. Compton</i>	Wilcox F. Overton	<i>Wilcox F. Overton</i>
Enrico Fermi	<i>Enrico Fermi</i>	Howard Parsons	<i>Howard Parsons</i>
Richard J. Fox	<i>Richard J. Fox</i>	Dr. Gerard S. Fowler	<i>Gerard S. Fowler</i>
Stewart Fox	<i>Stewart Fox</i>	Theodore Forys	<i>Theodore Forys</i>
Dr. Carl C. Graham	<i>Carl C. Graham</i>	David R. Gault	<i>David R. Gault</i>
Dr. Alvin C. Graves	<i>Alvin C. Graves</i>	John Serrano	<i>John Serrano</i>
Dr. Crawford Greenewald	<i>Crawford Greenewald</i>	Dr. Leo Soren	<i>Leo Soren</i>
Dr. David L. Hill	<i>David L. Hill</i>	Louis Stone	<i>Louis Stone</i>
Dr. Norman H. Hillborn	<i>Norman H. Hillborn</i>	Dr. Frank M. Spedding	<i>Frank M. Spedding</i>
William H. Hitch	<i>William H. Hitch</i>	Dr. William J. Stur	<i>William J. Stur</i>
Robert E. Johnson	<i>Robert E. Johnson</i>	Dr. Leo Sulzberg	<i>Leo Sulzberg</i>
W. R. Koster	<i>W. R. Koster</i>	Dr. Albert Wiggens	<i>Albert Wiggens</i>
August C. Krotz	<i>August C. Krotz</i>	R. J. Wynn	<i>R. J. Wynn</i>
P. G. Kurosaki	<i>P. G. Kurosaki</i>	George L. Wolf	<i>George L. Wolf</i>
Dr. Herbert E. Kubitschek	<i>Herbert E. Kubitschek</i>	Rudolph F. Wagner	<i>Rudolph F. Wagner</i>
Harold V. Lichtenberg	<i>Harold V. Lichtenberg</i>	Martin H. Wachs	<i>Martin H. Wachs</i>
George M. Morando	<i>George M. Morando</i>	Volney C. Wilson	<i>Volney C. Wilson</i>
		Walter H. Zinn	<i>Walter H. Zinn</i>
		Walter H. Zinn	<i>Walter H. Zinn</i>

\*Present at experiment only.  
 †Observed at CP-1 experiment.



The signatures were obtained during 20th Anniversary of CP-1 programs in Washington and Chicago.



CHIANTI

BERTOLLI

FRANCESCO BERTOLLI US A  
CASTELLINA CHIANTI

E Jeanmi

George Weil

a l'enseigne  
Wattling

1942

L. Saverio

1942

1942

1942

# Pulsars and Neutron stars rotational energy

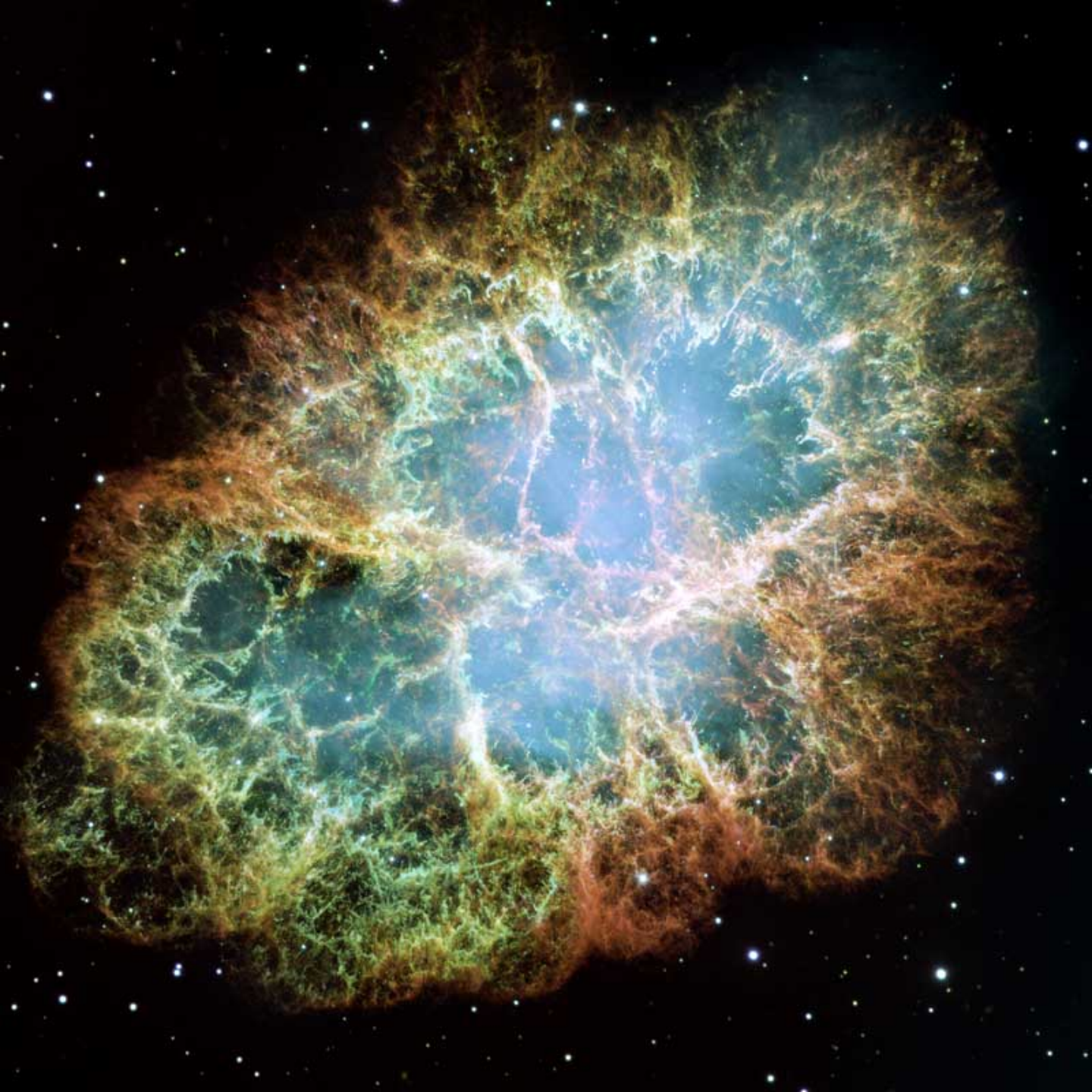
$$\left(\frac{dE}{dt}\right)_{obs} \simeq 4\pi^2 \frac{I_{NS} dP}{P^3 dt}$$

Chinese, Japanese,  
Korean  
astronomers  
(1054 A.D.)

R. Oppenheimer &  
R. Volkoff (1939)

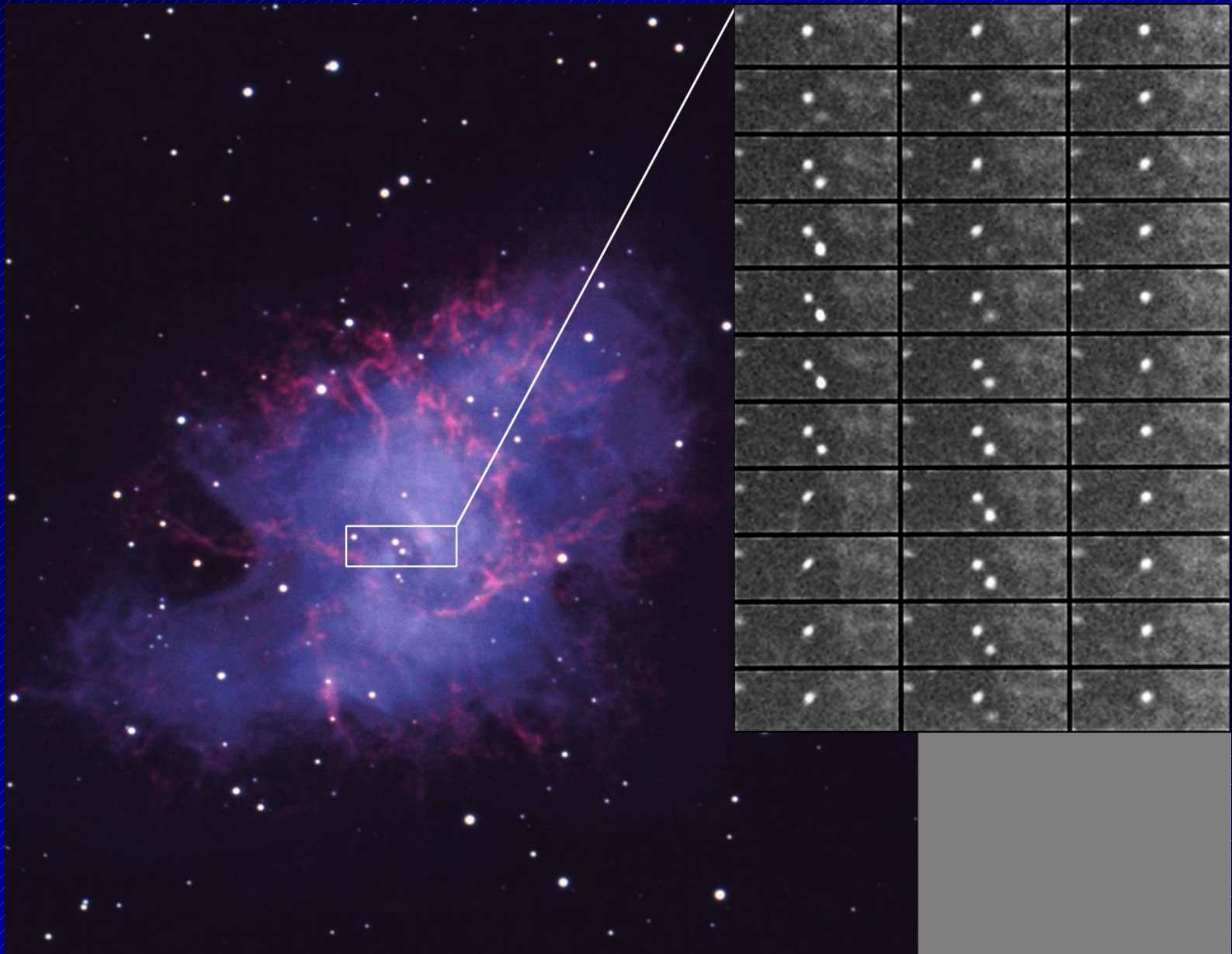
J. Bell & T.  
Hewish (1967)

A. Finzi & R. Wolf  
(1968)





# The Crab Nebula Pulsar



# Princeton, 1967



“You like very much  
George Gamow: he used a  
special set of units:

$$G = \hbar = c = \pi = 1”$$

*(E. Wigner to R. Ruffini)*

# Princeton, 1971



# The Breit-Wigner formula applied to gravitational waves detectors

The cross-section for radiative capture of a neutron is described by the Breit-Wigner formula<sup>125</sup>

$$\sigma(\omega) = \pi\lambda^2 \frac{(2J + 1)}{(2s + 1)(2I + 1)} \frac{A_{\text{neut}}A_{\text{rad}}}{(\omega - \omega_0)^2 + (\frac{1}{2}A_{\text{neut}} + \frac{1}{2}A_{\text{rad}})^2}$$

consider the bar of Weber<sup>112</sup> with a mass of  $1.4 \times 10^6$  g, composed of aluminium ( $v = 6.42 \times 10^5$  cm/sec,  $\beta = 2.14 \times 10^{-5}$ ) and operating in its lowest mode,  $n = 1$ :

$$\begin{aligned} \int_{\text{res, random}} \sigma(v) dv &= 0.679 \times (2.22 \times 10^{-18} \text{ cm}^2 \text{ Hz/g}) \\ &\quad \times (1.4 \times 10^6 \text{ g}) \times (2.14 \times 10^{-5})^2 \\ &= 1.0 \times 10^{-21} \text{ cm}^2 \text{ Hz} \end{aligned}$$

Table XVI Representative binary star systems and the calculated output of gravitation radiation from each

Binary	Period	Masses $\left\{ \begin{matrix} M_A/M_\odot \\ M_B/M_\odot \end{matrix} \right\}$	Distance from Earth (pc)	$\tau$	$(-dE/dt)_{\text{grav}}$ erg/sec	Gravitational radiation at Earth (erg/cm <sup>2</sup> sec)
Resolved binaries	$\eta$ Cas	$\left\{ \begin{matrix} 0.94 \\ 0.58 \end{matrix} \right\}$	5.9	$3.8 \times 10^{25}$ yr	$5.6 \times 10^{10}$	$1.4 \times 10^{-29}$
	$\xi$ Boo	$\left\{ \begin{matrix} 0.85 \\ 0.75 \end{matrix} \right\}$	6.7	$1.5 \times 10^{24}$	$3.6 \times 10^{12}$	$6.7 \times 10^{-28}$
	Sirius	$\left\{ \begin{matrix} 2.28 \\ 0.98 \end{matrix} \right\}$	2.6	$2.9 \times 10^{22}$	$1.1 \times 10^{15}$	$1.3 \times 10^{-24}$
	Fu 46	$\left\{ \begin{matrix} 0.31 \\ 0.25 \end{matrix} \right\}$	6.5	$1.3 \times 10^{22}$	$3.6 \times 10^{14}$	$7.1 \times 10^{-26}$
Eclipsing binaries	$\beta$ Lyr	$\left\{ \begin{matrix} 19.48 \\ 9.74 \end{matrix} \right\}$	330	$2.8 \times 10^{12}$	$5.7 \times 10^{28}$	$3.8 \times 10^{-15}$
	UWCMa	$\left\{ \begin{matrix} 40.0 \\ 31.0 \end{matrix} \right\}$	1470	$3.3 \times 10^{10}$	$4.9 \times 10^{31}$	$1.9 \times 10^{-13}$
	$\beta$ Per	$\left\{ \begin{matrix} 4.70 \\ 0.94 \end{matrix} \right\}$	30	$1.3 \times 10^{12}$	$1.4 \times 10^{28}$	$1.3 \times 10^{-13}$
	WUMa	$\left\{ \begin{matrix} 0.76 \\ 0.57 \end{matrix} \right\}$	110	$2.5 \times 10^{10}$	$4.7 \times 10^{29}$	$3.2 \times 10^{-13}$
WZSge	81 min	$\left\{ \begin{matrix} 0.6 \\ 0.03 \end{matrix} \right\}$	100	$4.9 \times 10^6$	$3.5 \times 10^{29}$	$2.9 \times 10^{-13}$
10000 km binary	12.2 sec	$\left\{ \begin{matrix} 1.0 \\ 1.0 \end{matrix} \right\}$	1000	13.0 yr	$3.25 \times 10^{41}$	$2.7 \times 10^{-3}$
1000 km binary	0.39 sec	$\left\{ \begin{matrix} 1.0 \\ 1.0 \end{matrix} \right\}$	1000	11.4 hr	$3.25 \times 10^{46}$	$2.7 \times 10^2$

First four entries—representative resolved binaries taken from the compilation of Van de Kamp.<sup>134</sup> Second four entries—representative eclipsing binaries, from the compilation of Gaposchkin.<sup>134</sup> Ninth entry—shortest period binary system yet observed (Kraft, Mathews and Greenstein<sup>135</sup>).

Final two entries—calculations for idealised model of two neutron stars (or black holes), each of solar mass, separated by 1000 km and 10000 km, respectively. The fourth column gives distance from the Earth in pc ( $3.085 \times 10^{18}$  cm); the fifth column the calculated characteristic time,

$$\tau = -E / (-dE/dt) = r / (-dr/dt) = (3/2) \omega / (d\omega/dt), \text{ for loss of energy by gravitational radiation.}$$

# Introducing the black hole

According to present cosmology, certain stars end their careers in a total gravitational collapse that transcends the ordinary laws of physics.

Remo Ruffini and John A. Wheeler

The quasistellar object, the pulsar, the neutron star have all come onto the scene of physics within the space of a few years. Is the next entrant destined to be the black hole? If so, it is difficult to think of any development that could be of greater significance. A black hole, whether of "ordinary size" (approximately one solar mass,  $1 M_{\odot}$ ), or much larger (around  $10^6 M_{\odot}$  to  $10^{10} M_{\odot}$ , as proposed in the nuclei of some galaxies) provides our "laboratory model" for the gravitational collapse, predicted by Einstein's theory, of the universe itself.

A black hole is what is left behind after an object has undergone complete gravitational collapse. Spacetime is so strongly curved that no light can come out, no matter can be ejected and no measuring rod can ever survive being put in. Any kind of object that falls into the black hole loses its separate identity, preserving only its mass, charge, angular momentum and linear momentum (see figure 1). No one has yet found a way to distinguish between two black holes constructed out of the most different kinds of matter if they have the same mass, charge and angular momentum. Measurement of these three determinants is permitted by their effect on the Kepler orbits of test objects, charged and uncharged, in revolution about the black hole.

How the physics of a black hole looks depends more upon an act of choice by the observer himself than anything else. Suppose he decides to follow the collapsing matter through its collapse down into the black hole. Then he will see it crushed to indefi-

nately high density, and he himself will be torn apart eventually by indefinitely increasing tidal forces. No restraining force whatsoever has the power to hold him away from this catastrophe, once he crossed a certain critical surface known as the "horizon." The final collapse occurs a finite time after the passage of this surface, but it is inevitable. Time and space are interchanged inside a black hole in an unusual way; the direction of increasing proper time for the observer is the direction of decreasing values of the coordinate  $r$ . The observer has no more power to return to a larger  $r$  value than he has power to turn back the hands on the clock of life itself. He can not even stay where he is, and for a simple reason: no one has the power to stop the advance of time.

Suppose the observer decides instead to observe the collapse from far away. Then, as price for his own safety, he is deprived of any chance to see more than the first steps on the way to collapse. All signals and all information from the later phases of collapse never escape; they are caught up in the collapse of the geometry itself.

That a sufficient mass of cold matter will necessarily collapse to a black hole (J. R. Oppenheimer and H. Snyder,<sup>1</sup>) is one of the most spectacular of all the predictions of Einstein's standard 1915 general relativity. The geometry around a collapsed object of spherical symmetry (nonrotating!) was worked out by Karl Schwarzschild of Göttingen, father of the American astrophysicist Martin Schwarzschild, as early as 1916. In 1963 Roy Kerr<sup>2</sup> found the geometry associated with a rotating collapsed object. James Bardeen has recently emphasized that all stars have angular momentum and that most stars—or star cores—will have so much angular momentum that the black hole formed upon collapse will be rotating at the

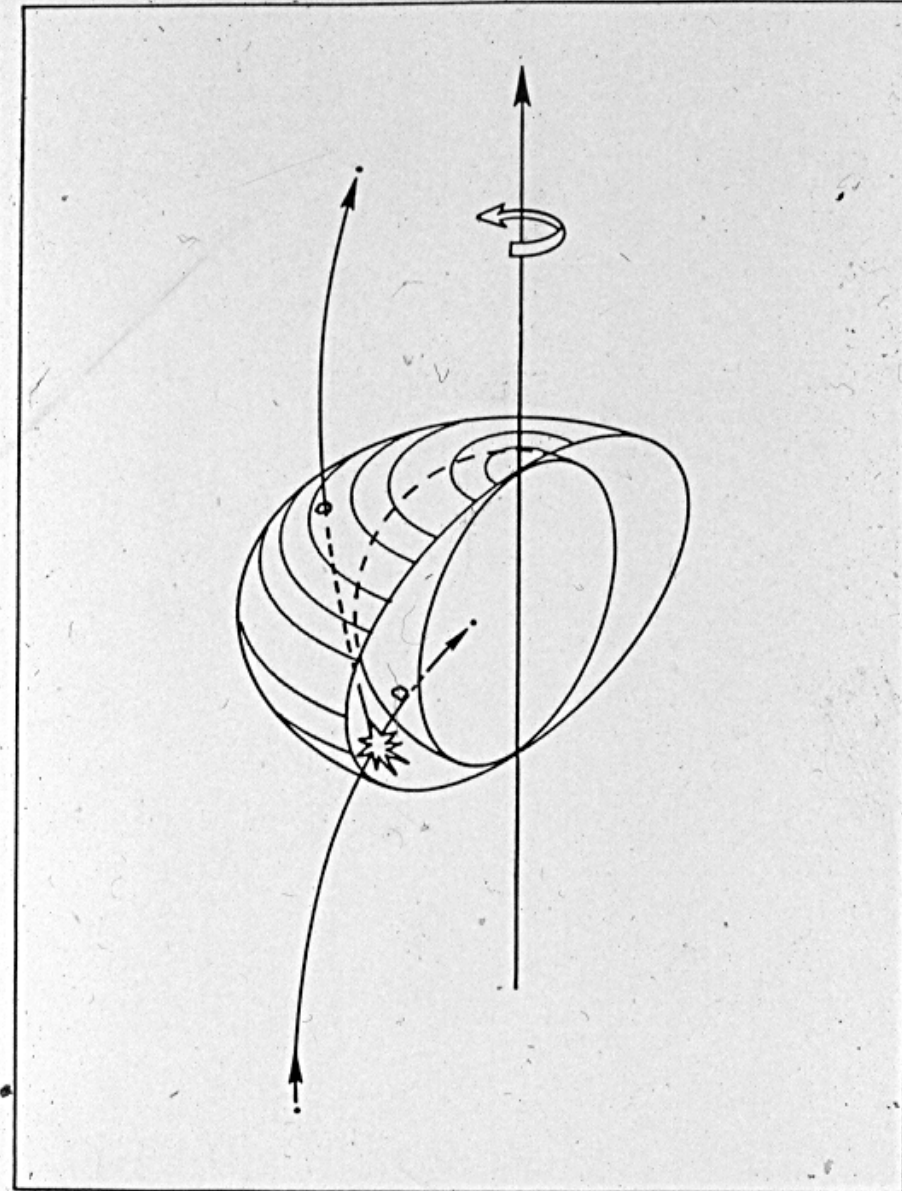
Remo Ruffini and John Wheeler are both at Princeton University; Wheeler, currently on leave from Princeton, is spending a year at Cal Tech and Moscow State University.



# The Ergosphere



Ruffini, Wheeler, *Phys. Today*, January 1971



Ergosphere of a rotating black hole. The region between the surface of infinite redshift (outer) and the event horizon (inner), here shown in a cutaway view, is called the "ergosphere." When a particle disintegrates in this region and one of the fragments falls into the black hole, the other fragment can escape to infinity with more rest plus kinetic energy than the original particle.

Figure 5

# Reversible and Irreversible Transformations in Black-Hole Physics\*

Demetrios Christodoulou

Joseph Henry Laboratories, Princeton University, Princeton, New Jersey 08540

(Received 17 September 1970)

The concepts of irreducible mass and of reversible and irreversible transformations in black holes are introduced, leading to the formula  $E^2 = m_{ir}^2 + (L^2/4m_{ir}^2) + p^2$  for a black hole of linear momentum  $p$  and angular momentum  $L$ .

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PHYSICAL REVIEW LETTERS

30 NOVEMBER 1970

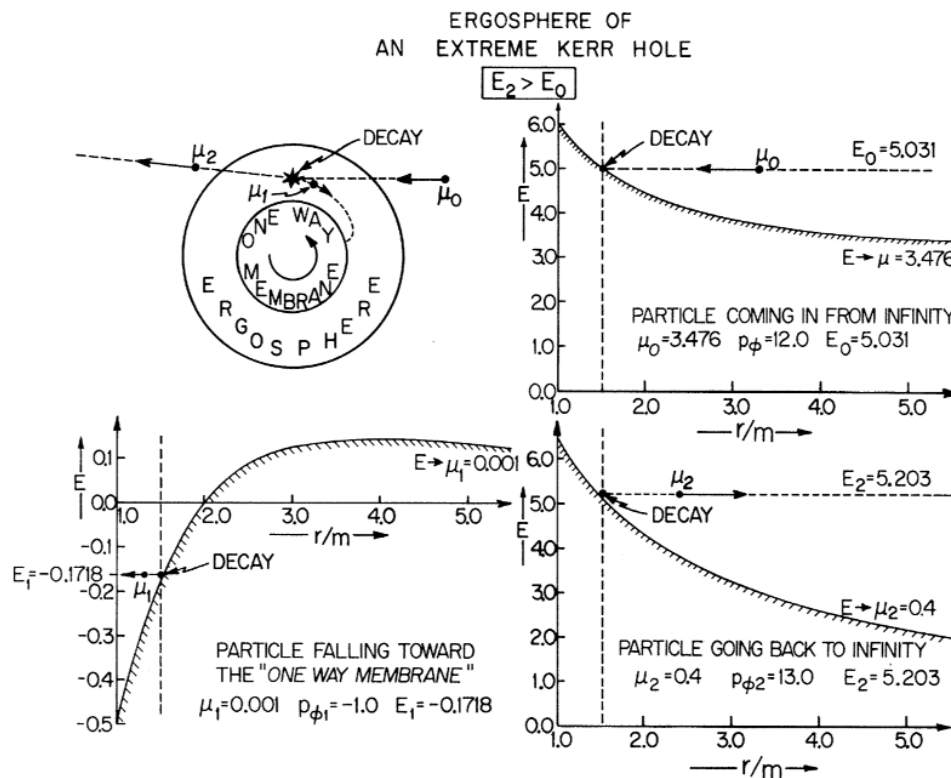


FIG. 2. (Reproduced from Ruffini and Wheeler, Ref. 4, with their kind permission.) Decay of a particle of rest-plus-kinetic energy  $E_0$  into a particle which is captured into the black hole with positive energy as judged locally, but negative energy  $E_1$  as judged from infinity, together with a particle of rest-plus-kinetic energy  $E_2 > E_0$  which escapes to infinity. The cross-hatched curves give the effective potential (gravitational plus centrifugal) defined by the solution  $E$  of Eq. (2) for constant values of  $p_\phi$  and  $\mu$ .



# Demetrios Christodoulou's Ph.D. Thesis defence Committee



# Demetrios Christodoulou's Ph.D. Thesis defence Committee



# Wigner questioning



# Wigner attacks



# Princeton, Physics graduate students, 1968



- |                      |                      |                             |                         |
|----------------------|----------------------|-----------------------------|-------------------------|
| 1. Jerol M. Lind     | 9. Edward J. Groth   | 17. Charles P. Benedict     | 25. Frank A. Chambers   |
| 2. Danny L. Hawley   | 10. George C-N Hsieh | 18. Vincent P. Ruddy        | 26. Edward A. Williams  |
| 3. Alan M. Nathan    | 11. James R. Milch   | 19. William E. Caswell      | 27. Thomas C. Rich      |
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| 5. Glennys R. Farrar | 13. David M. Fram    | 21. Robert C. Webb          | 29. James R. Campbell   |
| 6. Richard Chang     | 14. Robert M. Wald   | 22. Peter C. Colter         | 30. J. David Cohen      |
| 7. Niall O Murchadha | 15. Charles S. Borso | 23. Paul T. Debevec         | 31. Matthew D. Miller   |
| 8. Robert T. Baumel  | 16. Mark R. Nelson   | 24. Demetrios Christodoulou |                         |

Not present: Terrence J. Sejnowski

## Reversible Transformations of a Charged Black Hole\*

Demetrios Christodoulou

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and

Remo Ruffini

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and Institute for Advanced Study, Princeton, New Jersey 08540*

(Received 1 March 1971; revised manuscript received 26 July 1971)

A formula is derived for the mass of a black hole as a function of its "irreducible mass," its angular momentum, and its charge. It is shown that 50% of the mass of an extreme charged black hole can be converted into energy as contrasted with 29% for an extreme rotating black hole.

(1) The rest mass of a black hole is given in terms of its irreducible mass and its angular momentum  $L$  and charge  $e$  by the formula<sup>3</sup>

$$m^2 = (m_{ir} + e^2/4m_{ir})^2 + L^2/4m_{ir}^2. \quad (2)$$

(2) Reversibility implies and demands zero separation between the "negative-root states" and "positive-root states" of the particle defined by a quadratic equation of the form

$$\alpha E^2 - 2\beta E + \gamma = 0, \quad (3)$$

a requirement which is met and can only be met at the horizon itself.

(3) There exists a one-to-one connection between (a) the irreducible mass (as defined here and previously exclusively through the theory of reversible and irreversible transformations), and (b) the proper surface area  $S$  of the horizon (shown by Hawking<sup>4</sup> never to decrease),

$$S = 16\pi m_{ir}^2. \quad (4)$$

When the transformation is reversible, the energy-extraction process has its maximum possible efficiency. Repetition of an energy-extraction process with maximum possible efficiency results in conversion into energy of 50% of the mass of an

extreme charged black hole and 29% of that of an extreme rotating black hole. Thus, black holes appear to be the "largest storehouse of energy in the universe."<sup>14</sup>

# Les Houches, Mont Blanc, 1972

Les Houches, Août 1972  
Cours de l'Ecole d'été de Physique théorique  
Organe d'intérêt commun de l'U.S.M.G.  
et I.N.P.G. subventionné par l'OTAN et  
le Commissariat à l'Energie Atomique

## BLACK HOLES LES ASTRES OCCLUS

edited by C. DeWitt  
Faculté des Sciences, Grenoble  
Dept. of Astronomy, University of Texas, Austin, et  
B. S. DeWitt  
Dept. of Physics, University of Texas, Austin

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GORDON AND BREACH SCIENCE PUBLISHERS  
New York London Paris



“The Thomas-Fermi model works much better than it should” (E. Wigner to R. Ruffini, 1972)

## White Dwarfs and Neutron Stars as Thomas – Fermi systems

$$n = \frac{p_F^3}{3\pi^2 \hbar^3}$$

$$\Delta V = -4\pi G n m$$

$$V_0 = \frac{GM}{R}$$

$$E_F = c\sqrt{p_F^2 + m^2 c^2} - mc^2 - mV = -mV_0$$

$$\frac{d^2}{d\xi^2} \chi = -\frac{\chi^{\frac{3}{2}}}{\xi^{\frac{1}{2}}} \left[ 1 + \left( \frac{N}{N_*} \right)^{\frac{4}{3}} \frac{\chi}{\xi} \right]^{\frac{3}{2}}$$

$$\chi(0) = 0, \quad -\xi_B \frac{d}{d\xi} \chi \Big|_{\xi=\xi_B} = 1$$

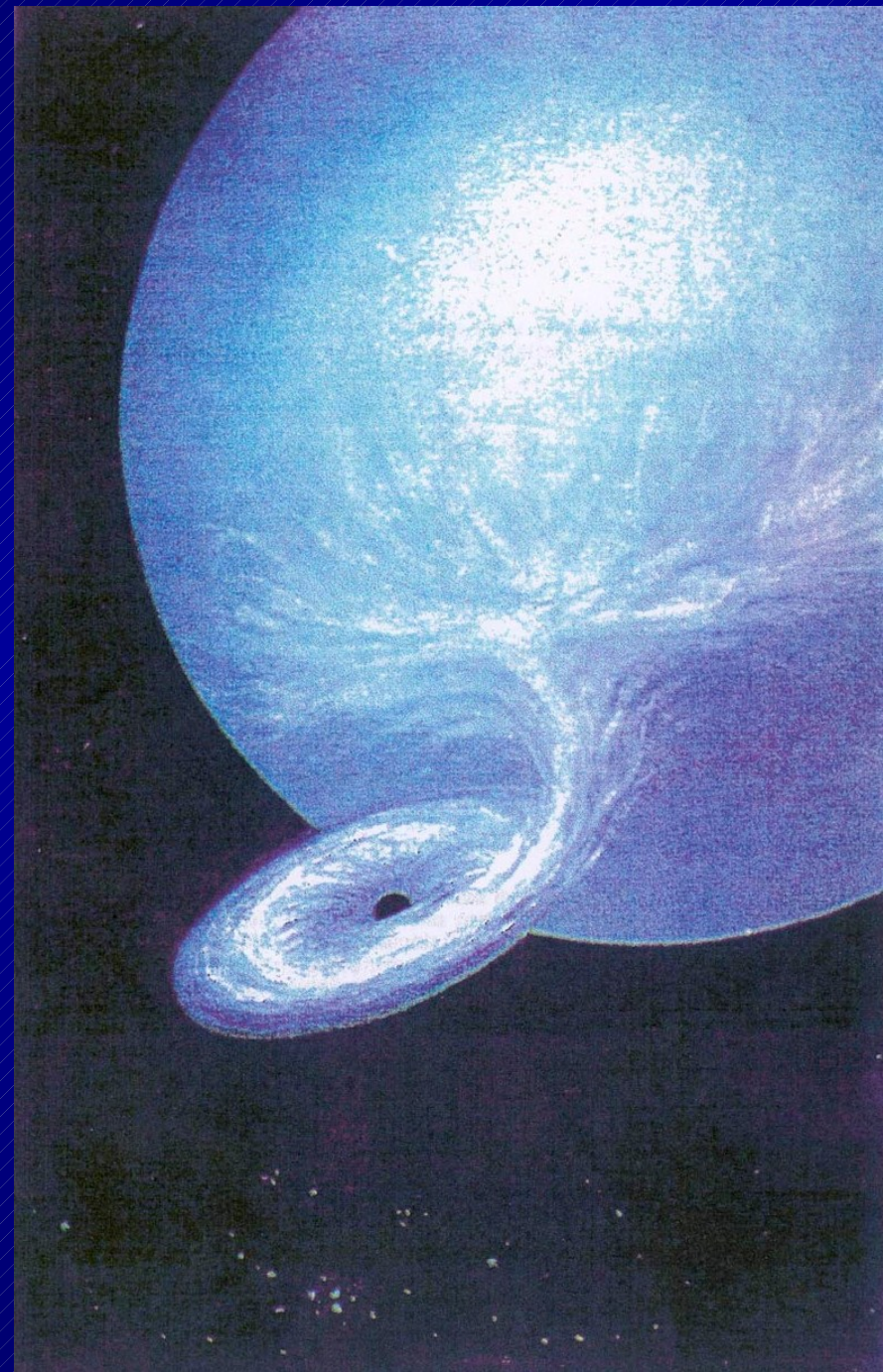


# Accretion Energy.

## The identification of the first black hole: Cygnus X-1

- $\Phi = 10^{37} \text{ erg/s} = 10^4 L_{\odot}$   
 $= 0.01(dm/dt)_{\text{acc}} c^2$
- Absence of pulsation due to the uniqueness of Kerr-Newman metric
- $M > 3.2 M_{\odot}$

Leach & Ruffini, 1973



# Cressy – Morrison award (NY, 1973)



# Hulse and Taylor, 1993



Hulse & Taylor, *ApJ*, 195, L51-L53 (1975).

# Giacconi, Sweden (2002)



# *“Alive Black Holes”*

## **The Mass-Energy Formula**

$$m^2 = \left( m_{ir} + \frac{e^2}{4m_{ir}} \right)^2 + \frac{L^2}{4m_{ir}^2},$$

$$S = 16\pi m_{ir}^2,$$

$$\frac{L^2}{4m_{ir}^4} + \frac{e^4}{16m_{ir}^4} \leq 1,$$

$$\delta S = 32\pi m_{ir} \delta m_{ir} \geq 0.$$

**Up to 50% of the energy extractable**

**Christodoulou, Ruffini, 1971**

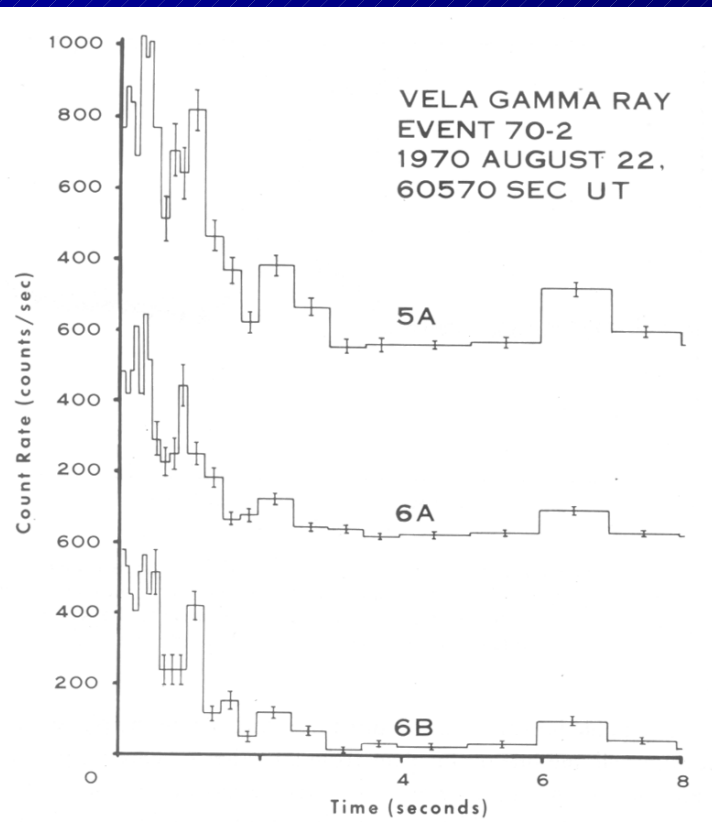
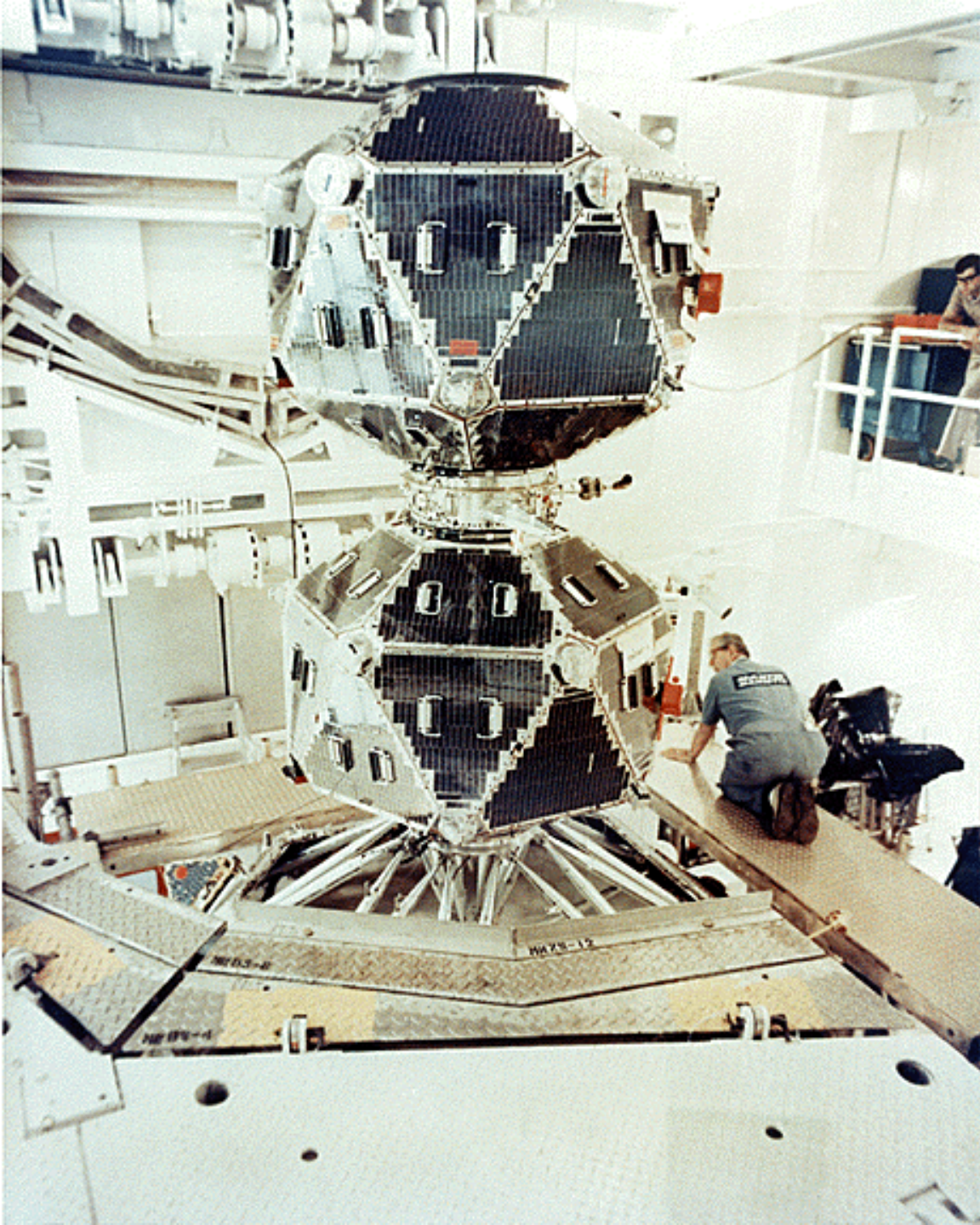
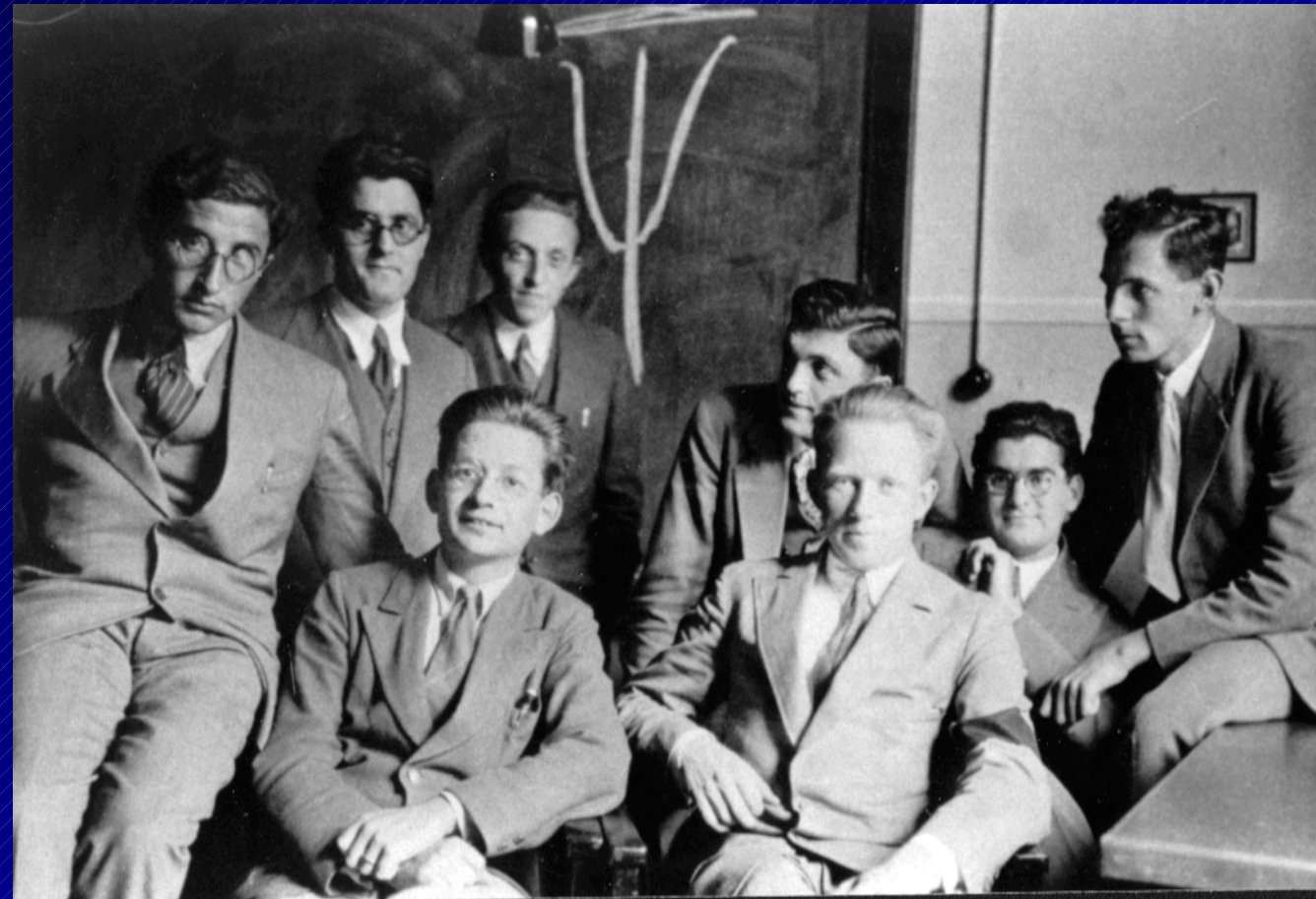
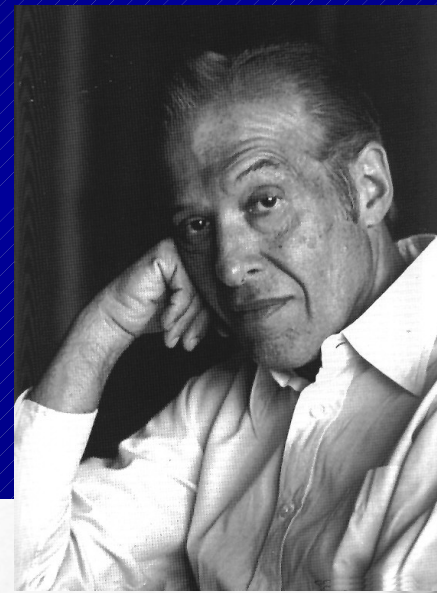


Fig. 5. Event 70-2, on 1970 August 22, beginning 60571 s UT.

# Electron-Positron creation out of the vacuum



# Quantum Electrodynamical Effects in Kerr-Newmann Geometries

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and

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*Institute for Advanced Study, Princeton, New Jersey 08540*

(Received 13 January 1975)

Following the classical approach of Sauter, of Heisenberg and Euler and of Schwinger the process of vacuum polarization in the field of a “bare” Kerr-Newman geometry is studied. The value of the critical strength of the electromagnetic fields is given together with an analysis of the feedback of the discharge on the geometry. The relevance of this analysis for current astrophysical observations is mentioned.

and possibly of galactic nuclei. In particular this work naturally leads to a most simple model for the explanation of the recently discovered  $\gamma$ -rays bursts.<sup>19</sup> It is desirable that possible coin-

**Expected energy:  $\sim 10^{54} (M_{\text{BH}}/M_{\text{Sun}}) \text{ erg}$**

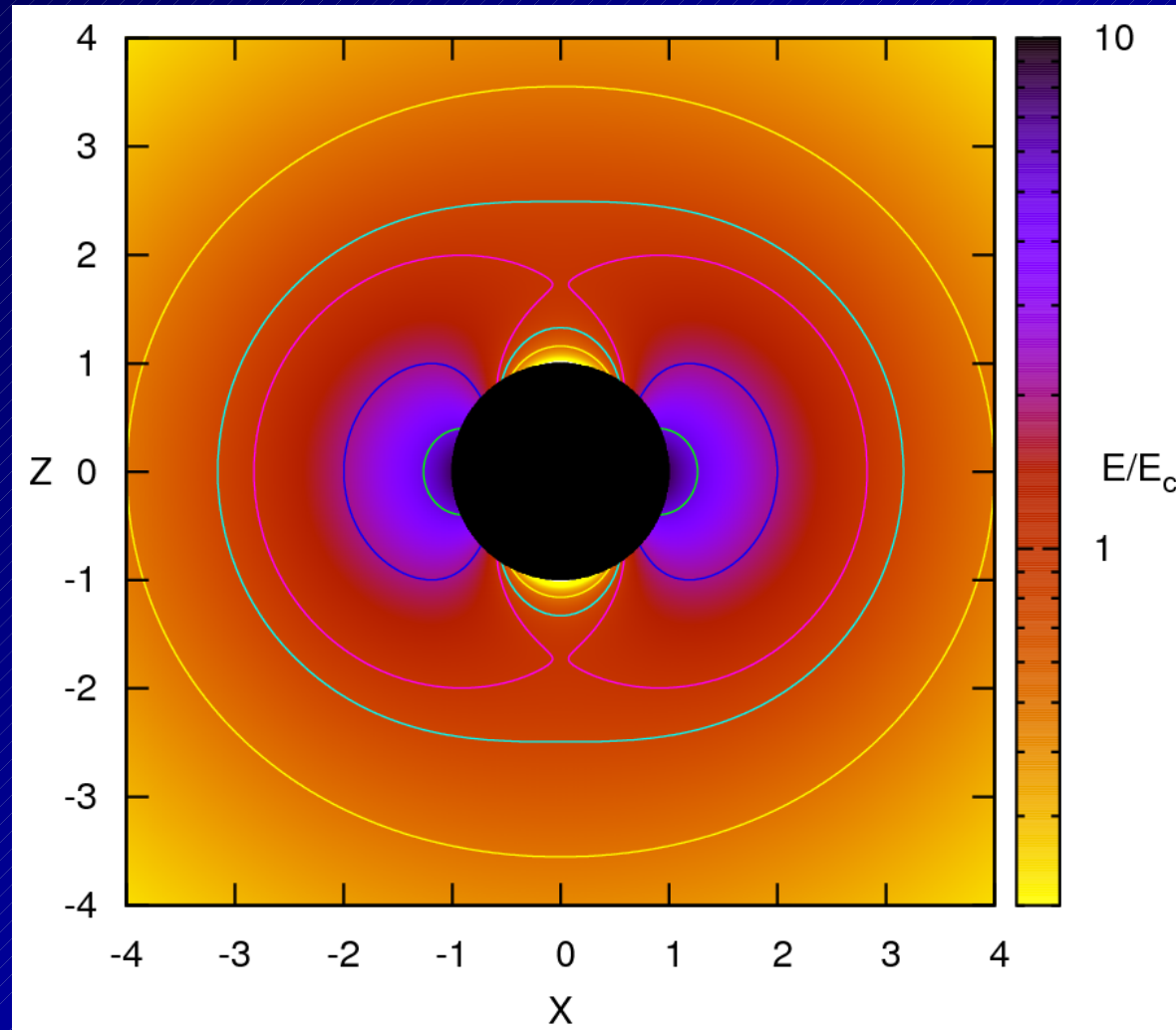


Vallée des Merveilles, 1975

Wilson – Everitt – Ruffini – Damour



# Mass, charge and angular momentum: the Kerr-Newman Black Hole

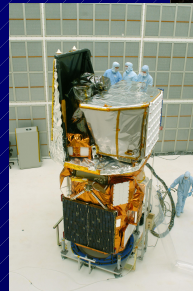
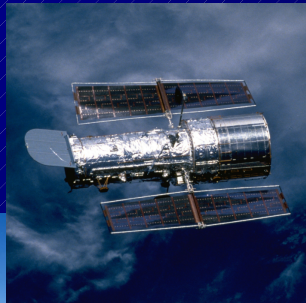
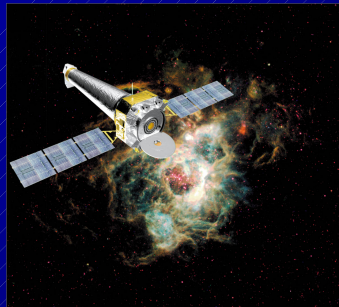
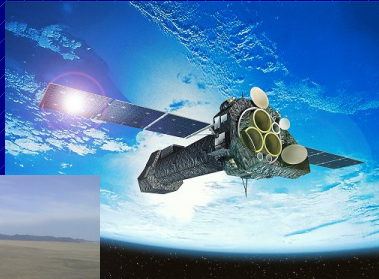
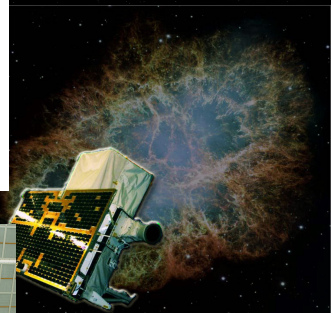
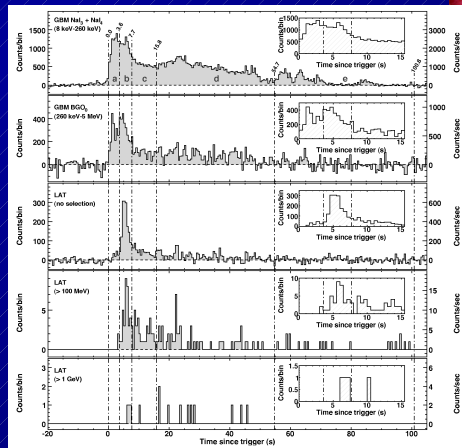
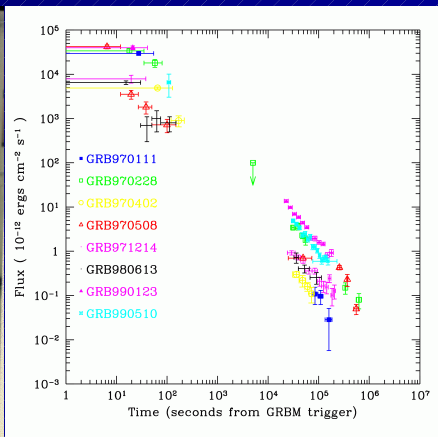
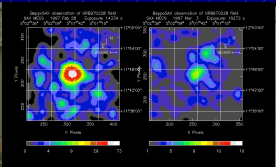
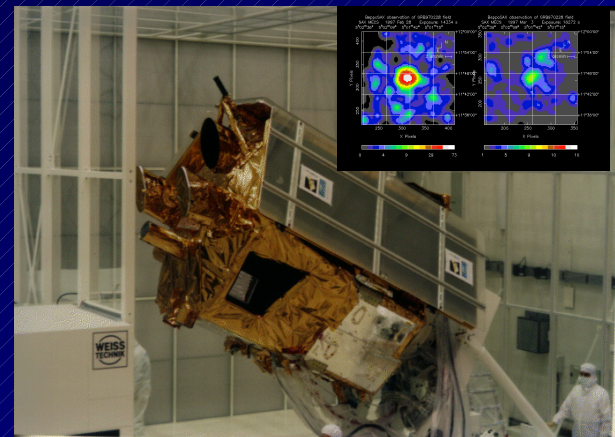
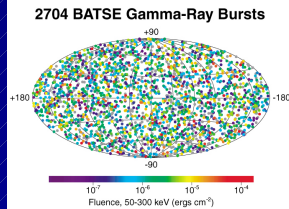
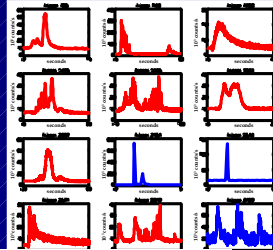
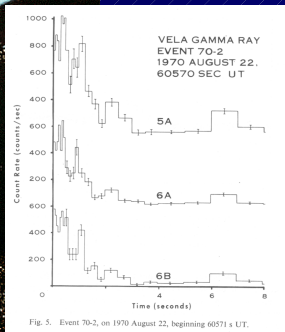
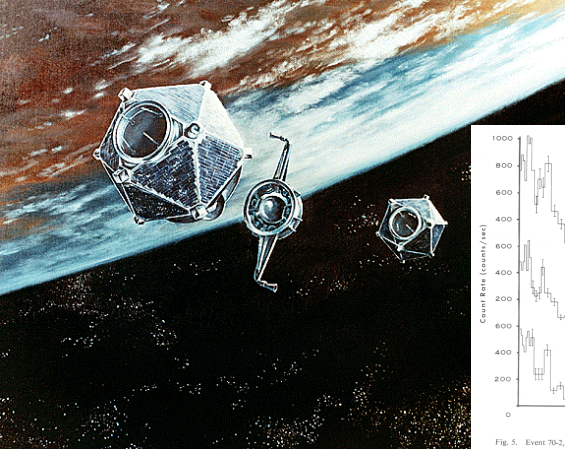


Cherubini, Geralico, Rueda, Ruffini, *PRD* **79**, 124002 (2009).

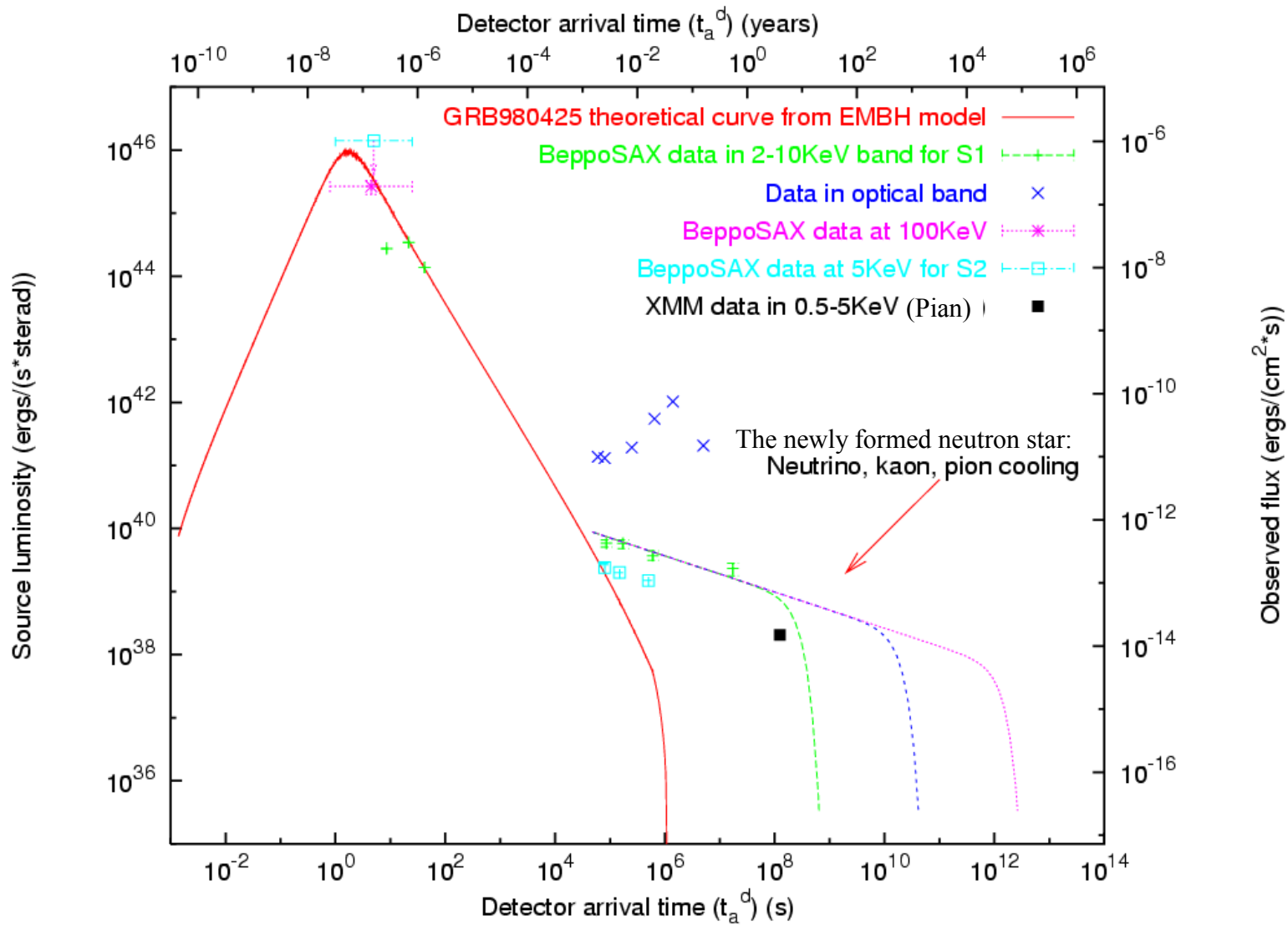
Ruffini, Vereshchagin, Xue, *Phys.Rep.* **487**, 1 (2010).



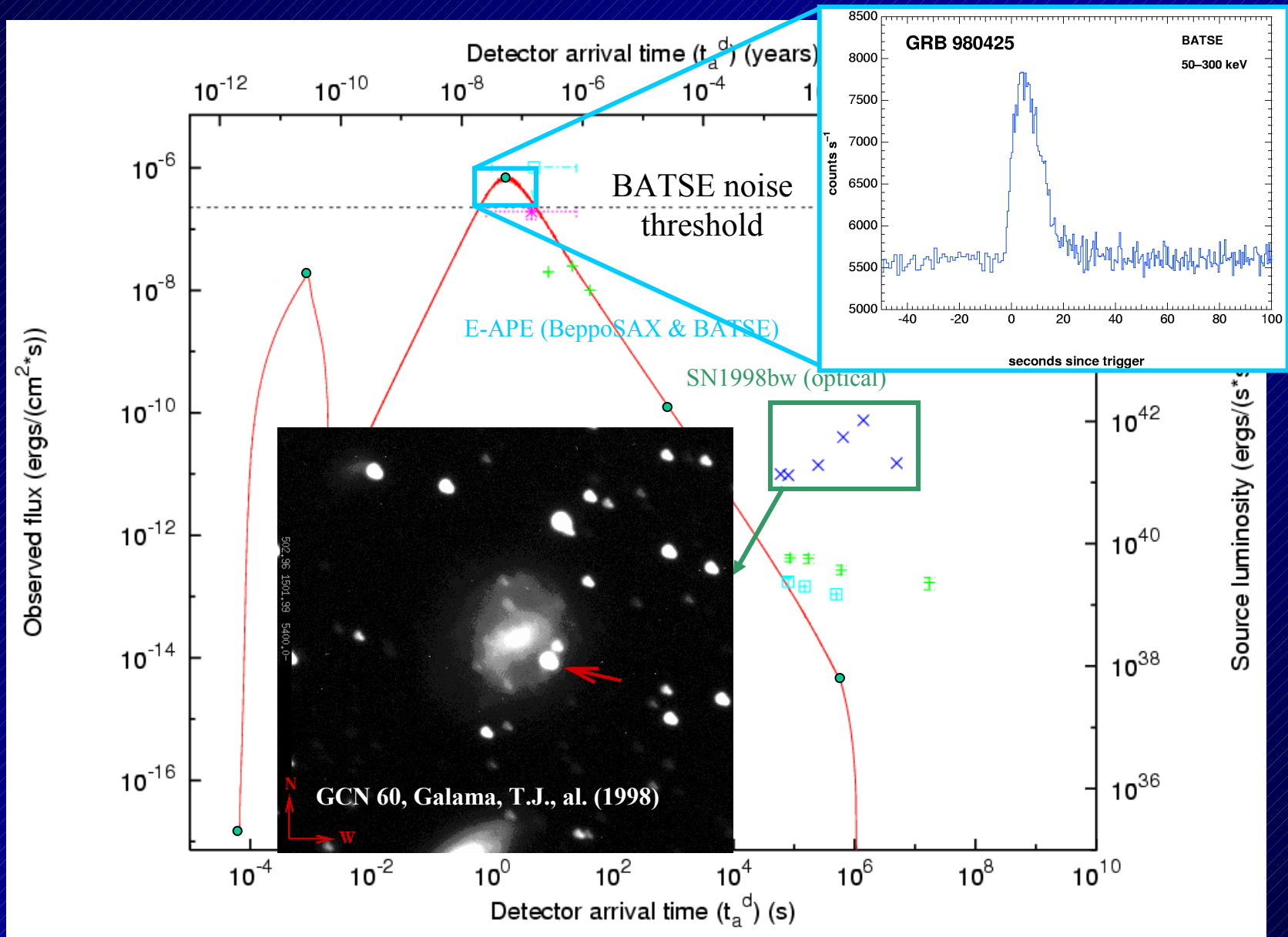
$$E=10^{54} \text{ erg}$$



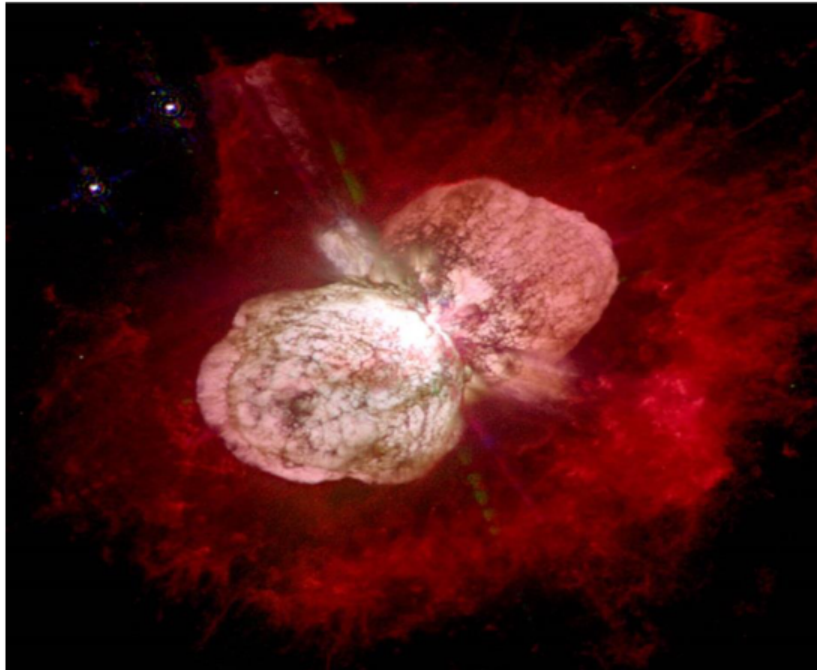
# GRB 980425 - SN1998bw: A newly formed neutron star



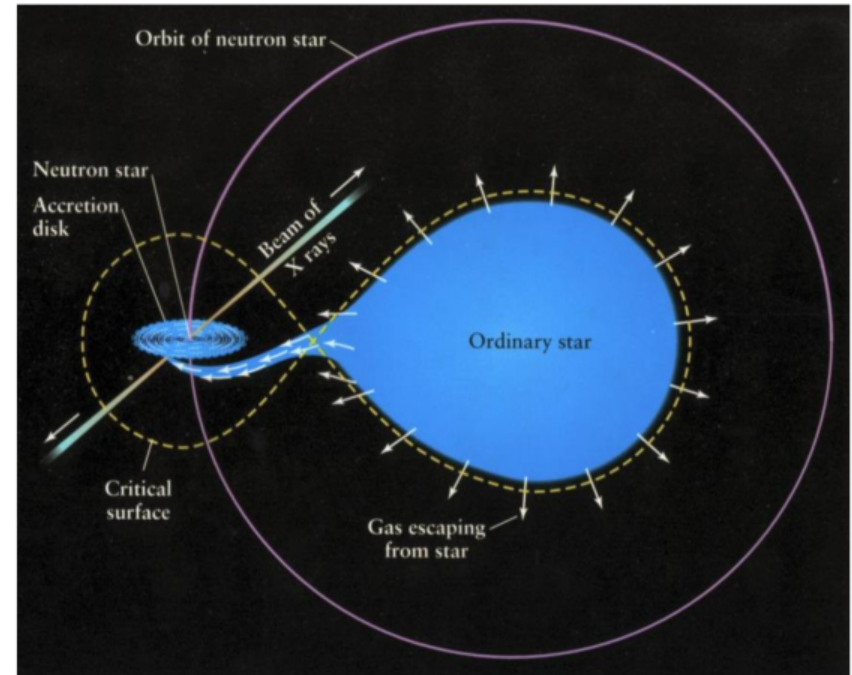
# GRB 980425 - SN1998bw



# From the progenitor to the IGC sequence



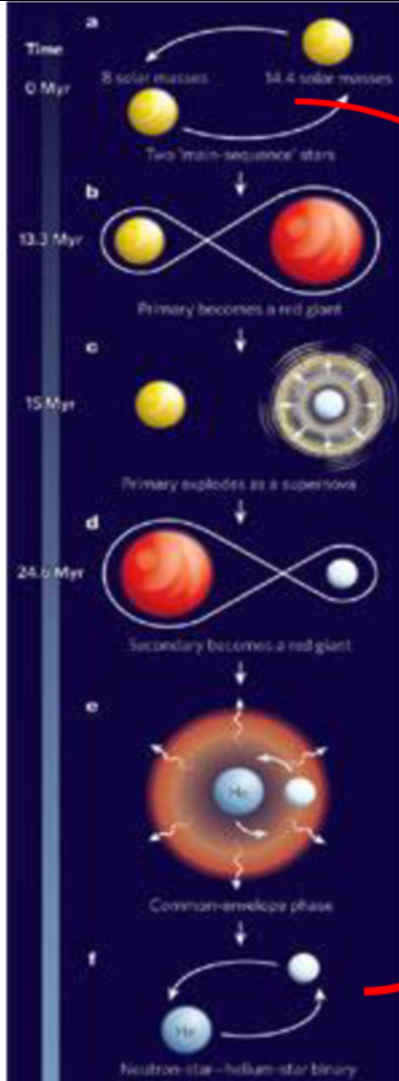
**Massive Binary**  
(Eta Carinae,  $P_{orb}=5.5$  yr)



**Massive Star-Neutron Star X Ray Binary**  
(Centaurus X-3,  $P_{orb}=2.1$  days)

## Binary sequence

Nomoto & Hashimoto  
(1988)  
Nomoto et al.  
(1994)  
Iwamoto et al.  
(1994)  
and others...



## The IGC Binary Progenitor

$$v_{\text{orb}} = \sqrt{\frac{G(M_{\text{SN-prog}} + M_{\text{NS}})}{a}} = 1.15 \times 10^8 \left( \frac{M_{\text{SN-prog}} + M_{\text{NS}}}{M_{\odot}} \right)^{1/2} \text{ cm s}^{-1}$$

Eta Carinae

Cen X-3

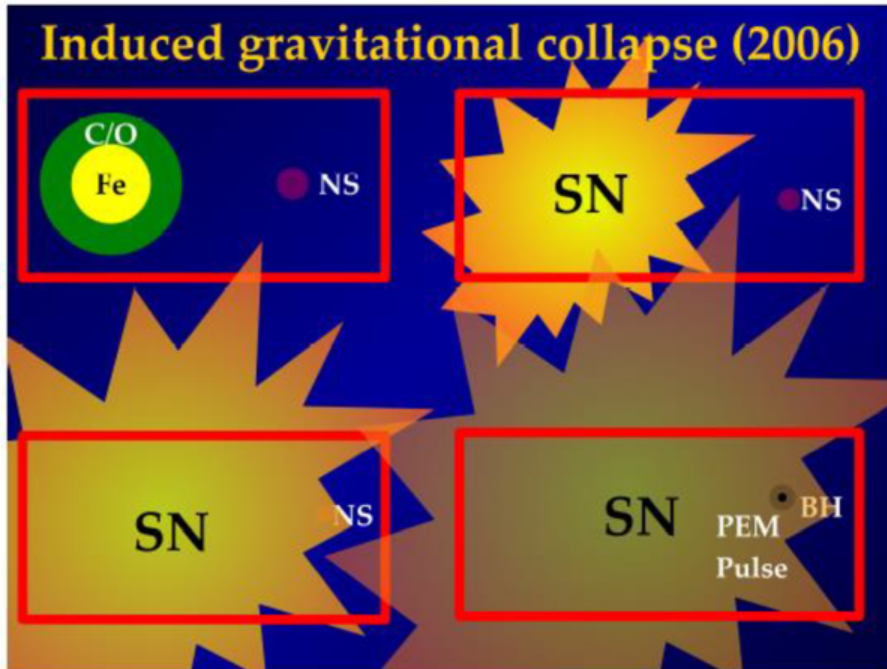
Pre-SN core progenitor

NS

$$P = \sqrt{\frac{4\pi^2 a^3}{G(M_{\text{SN-prog}} + M_{\text{NS}})}} = 545 \left( \frac{M_{\text{SN-prog}} + M_{\text{NS}}}{M_{\odot}} \right)^{-1/2} \text{ s}$$

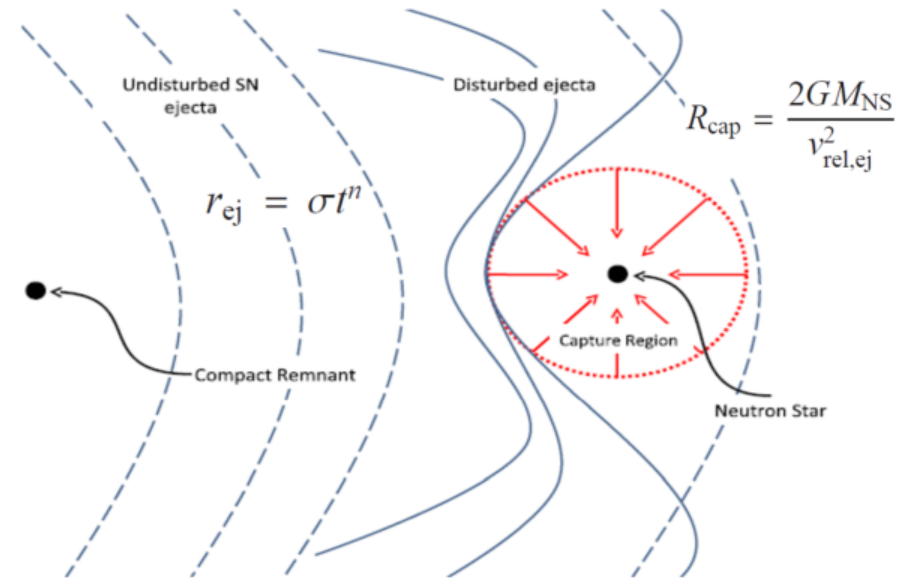


Ruffini et al. at MG11, Berlin (2006)



Rueda & Ruffini, ApJ Lett. 758, L7 (2012)

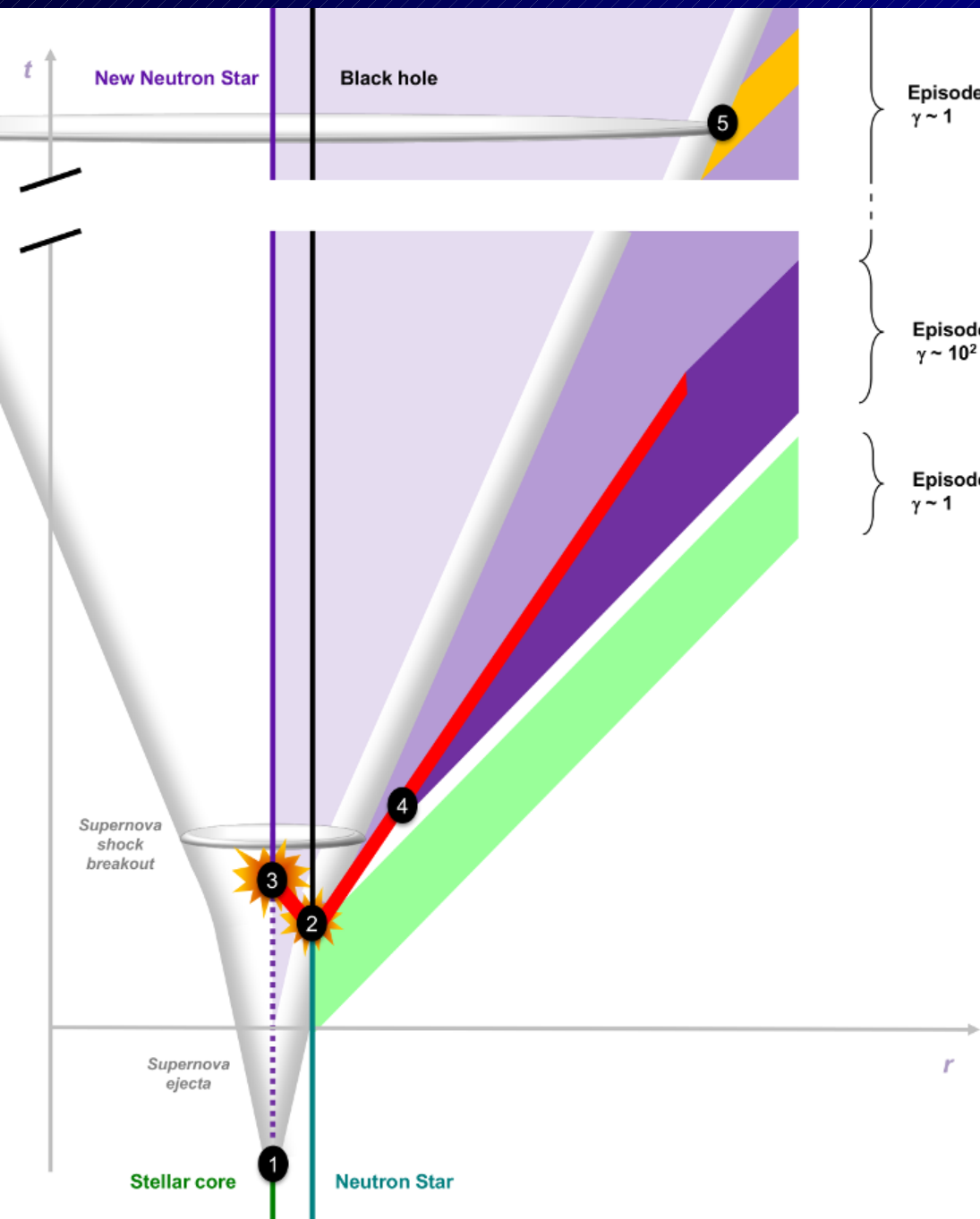
Izzo, Rueda, Ruffini, A&A Lett. 548, L5 (2012)



### Accreted Mass onto the NS

$$\Delta M(t) = \int \dot{M} dt = \pi (2GM_{\text{NS}})^2 \frac{3M_{\text{ej}}}{4\pi n^3 \sigma^6} \mathcal{F} + \text{constant}$$

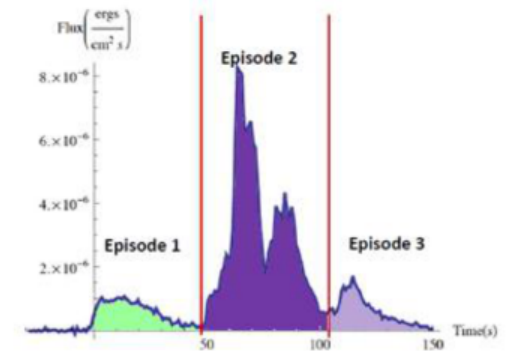
$$\mathcal{F} = \frac{t^{-3(n+1)} \left( -4n(2n-1)t^{4n} \sqrt{kt^{2-2n} + 1} {}_2F_1\left(\frac{1}{2}, \frac{1}{n-1}; \frac{n}{n-1}; -kt^{2-2n}\right) - k^2(n^2-1)t^4 + 2k(n-1)(2n-1)t^{2n+2} + 4n(2n-1)t^{4n} \right)}{k^3(n-1)(n+1)(3n-1)\sqrt{k+t^{2n-2}}}$$

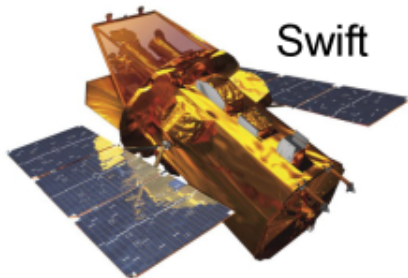
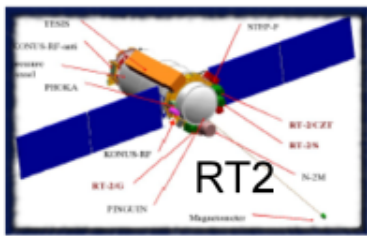


## The Induced Gravitational Collapse paradigm in a nutshell

Start with an evolved stellar core and a companion neutron star.

- 1 The stellar core goes supernova and leaves a neutron star remnant.
- 2 Accretion of the supernova ejecta on the companion neutron star induces black hole formation and emission of the fireshell.
- 3 The optically thick fireshell interacts with the supernova and the neutron star remnant.
- 4 The ultrarelativistically expanding fireshell reaches transparency and becomes optically thin.
- 5 After  $t \sim 10 (1+z)$  days in observer frame, the supernova peaks in the optical due to  $^{56}\text{Ni}$  decay.

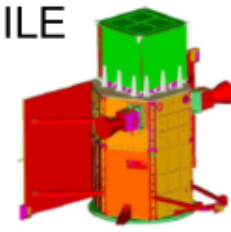




Swift

A

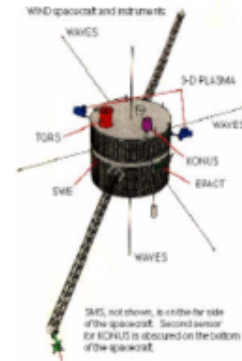
AGILE



C



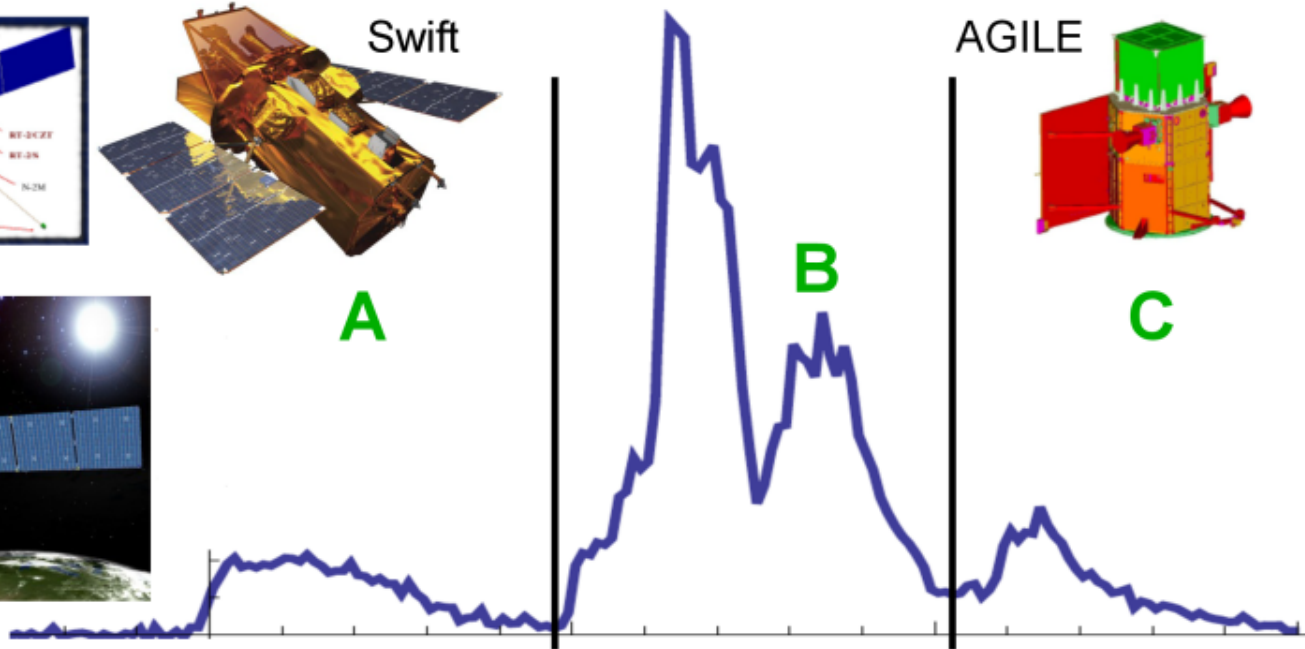
SUZAKU



Konus-WIND



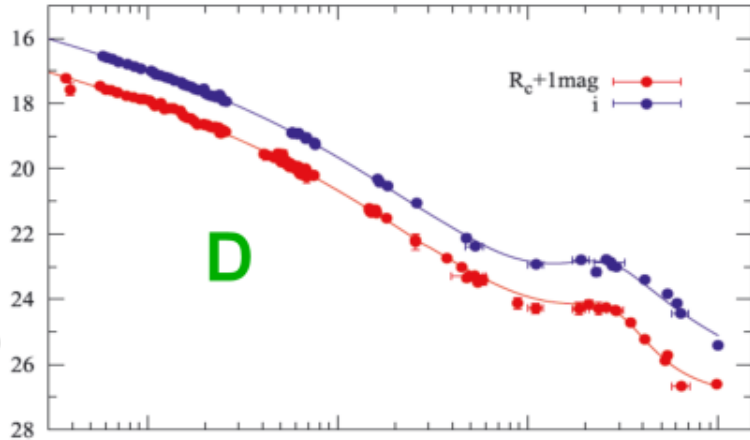
Fermi



**GRB 090618**

**Eiso=2.8x10<sup>53</sup> erg**

**Z=0.54**



D

Ruffini et al. *PoS(Texas2010)*, 101 (2011)  
Izzo et al., *A&A*, 543, A10 (2012)

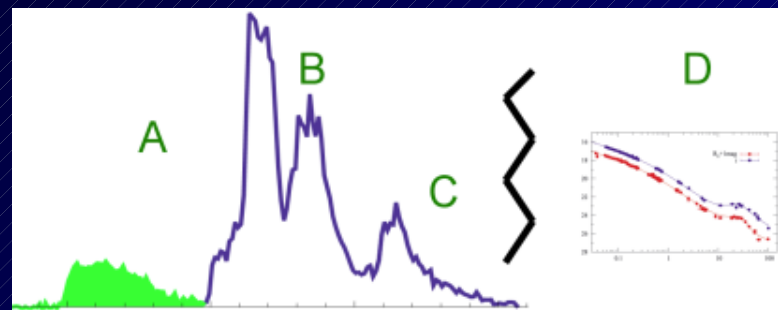
Faulkes North

Gemini North

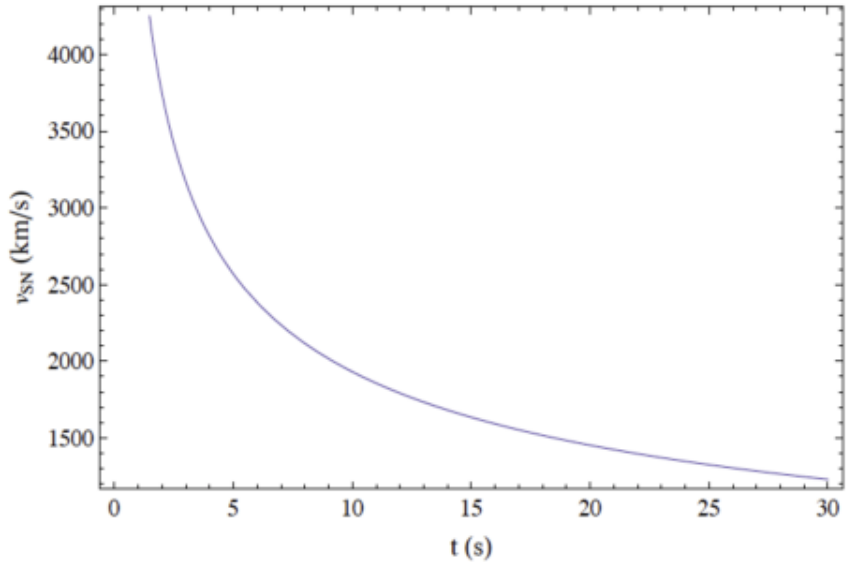
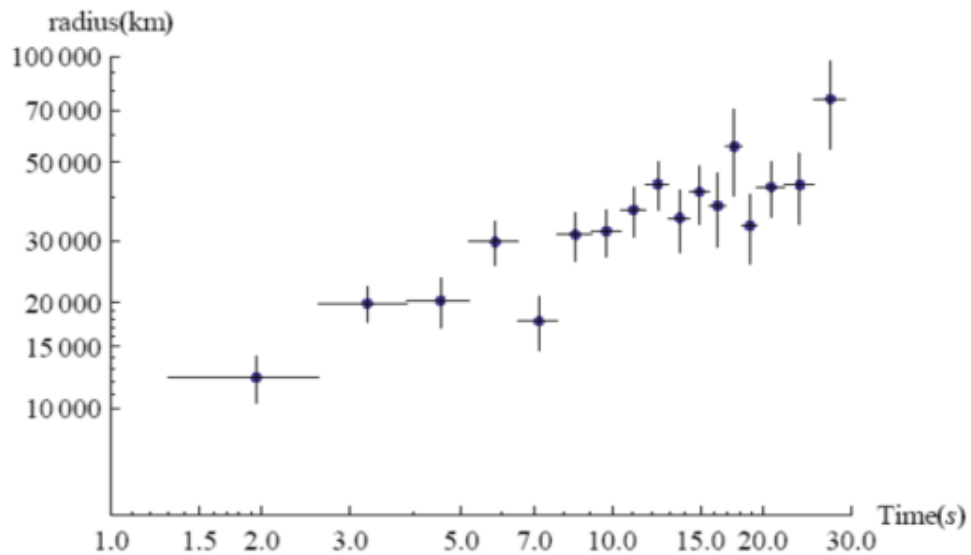
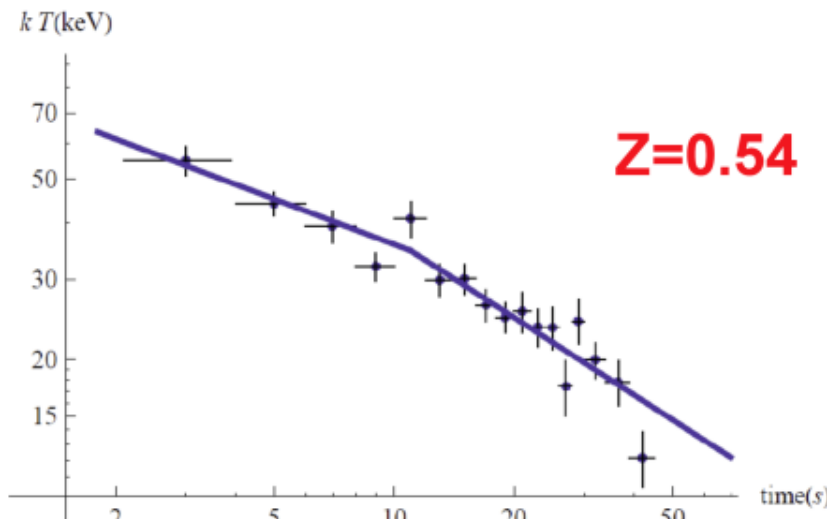
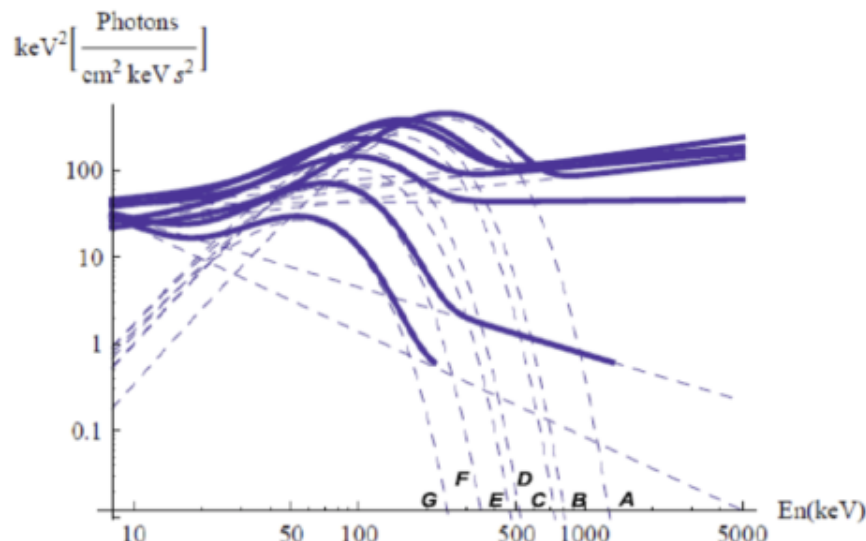
Herschel telescope

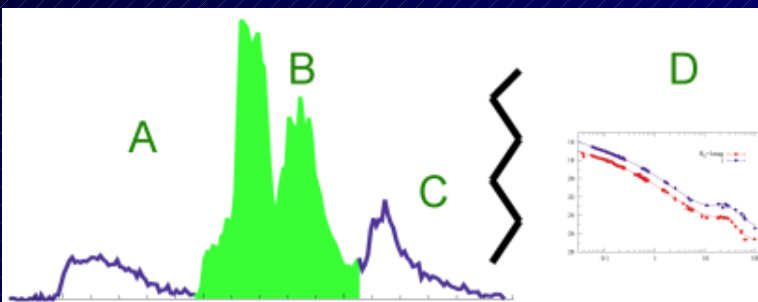
Newton telescope





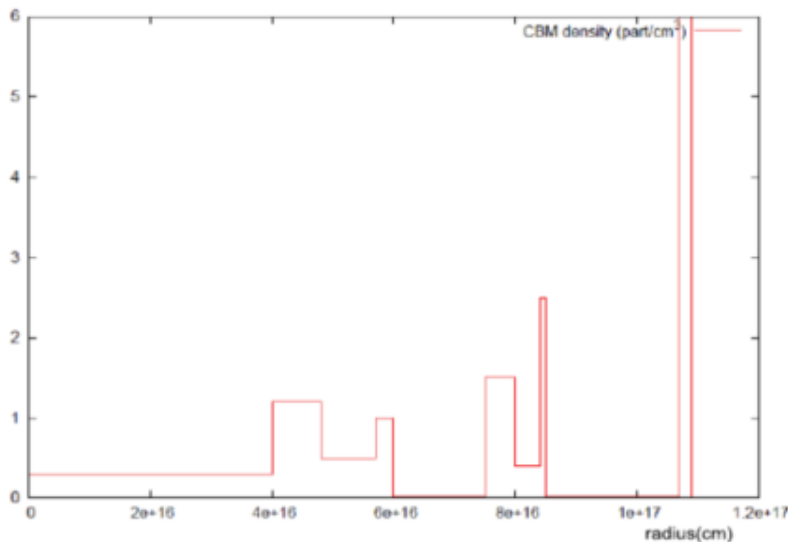
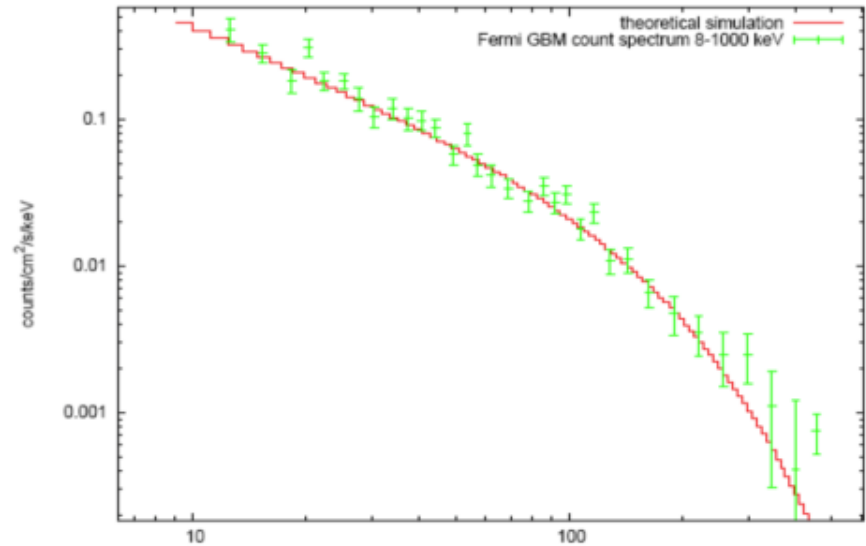
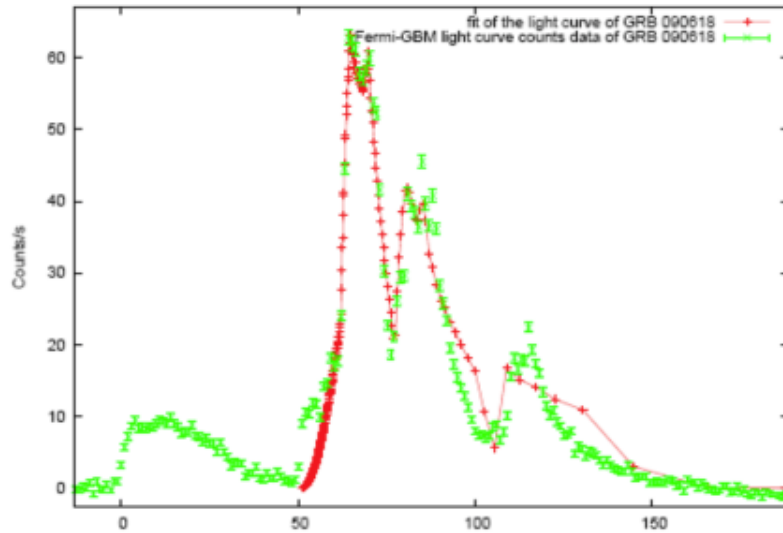
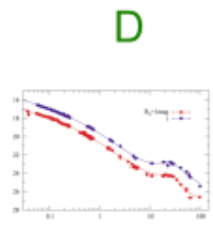
The first emission episode  
 $E_{\text{iso}} = 3.4 \times 10^{52}$  ergs





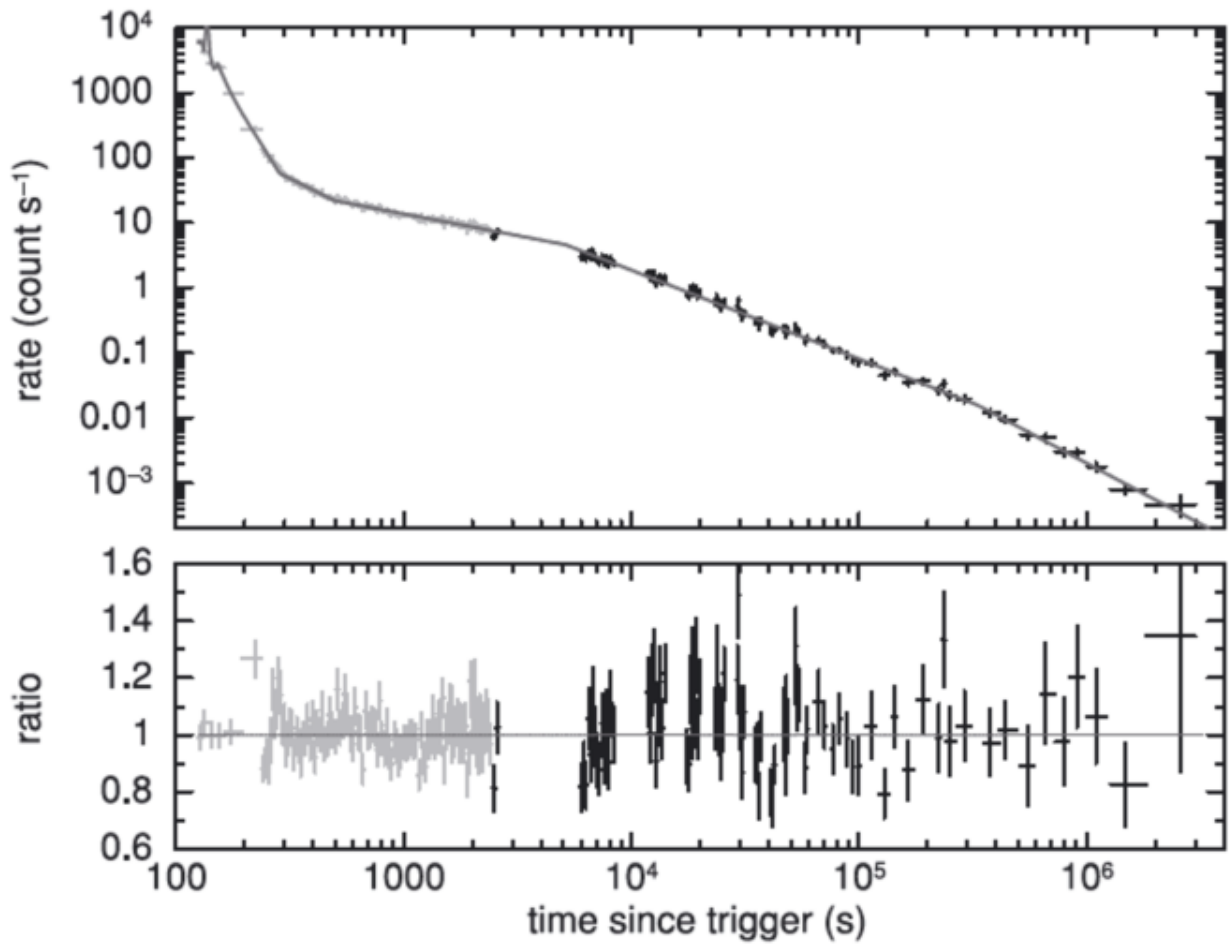
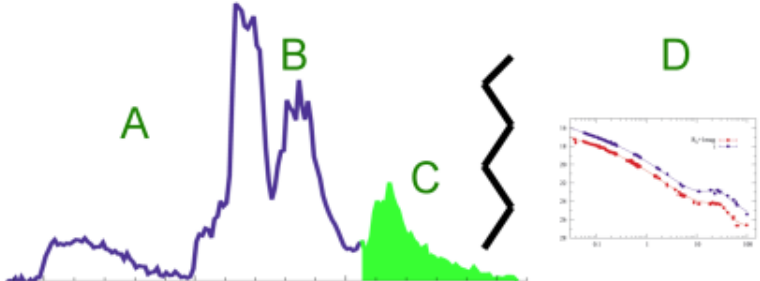
## The second emission episode : the GRB

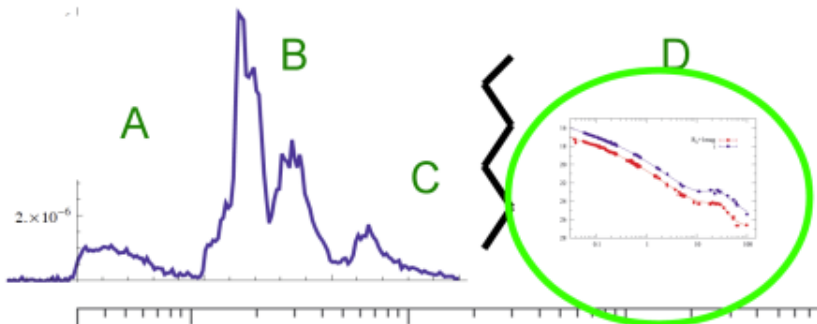
$E_{iso} = 2.49 \times 10^{53}$  ergs



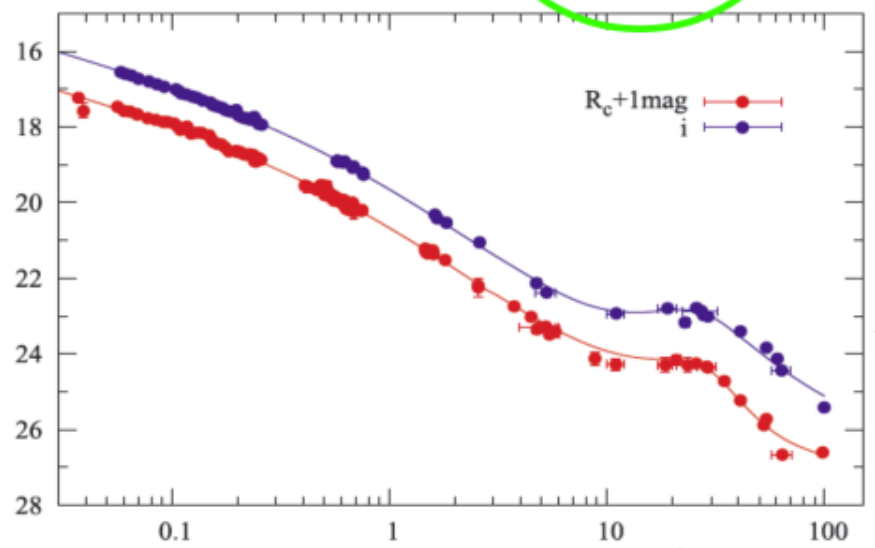
Parameter	Value
$E_{tot}^{e^+e^-}$	$2.49 \pm 0.02 \times 10^{53}$ ergs
$B$	$1.98 \pm 0.15 \times 10^{-3}$
$\Gamma_0$	$495 \pm 40$
$kT_{th}$	$29.22 \pm 2.21$ keV
$E_{P-GRB,th}$	$4.33 \pm 0.28 \times 10^{51}$ ergs
$\langle n \rangle$	$0.6 \text{ part/cm}^3$
$\langle \delta n/n \rangle$	$2 \text{ part/cm}^3$

# The X-ray afterglow

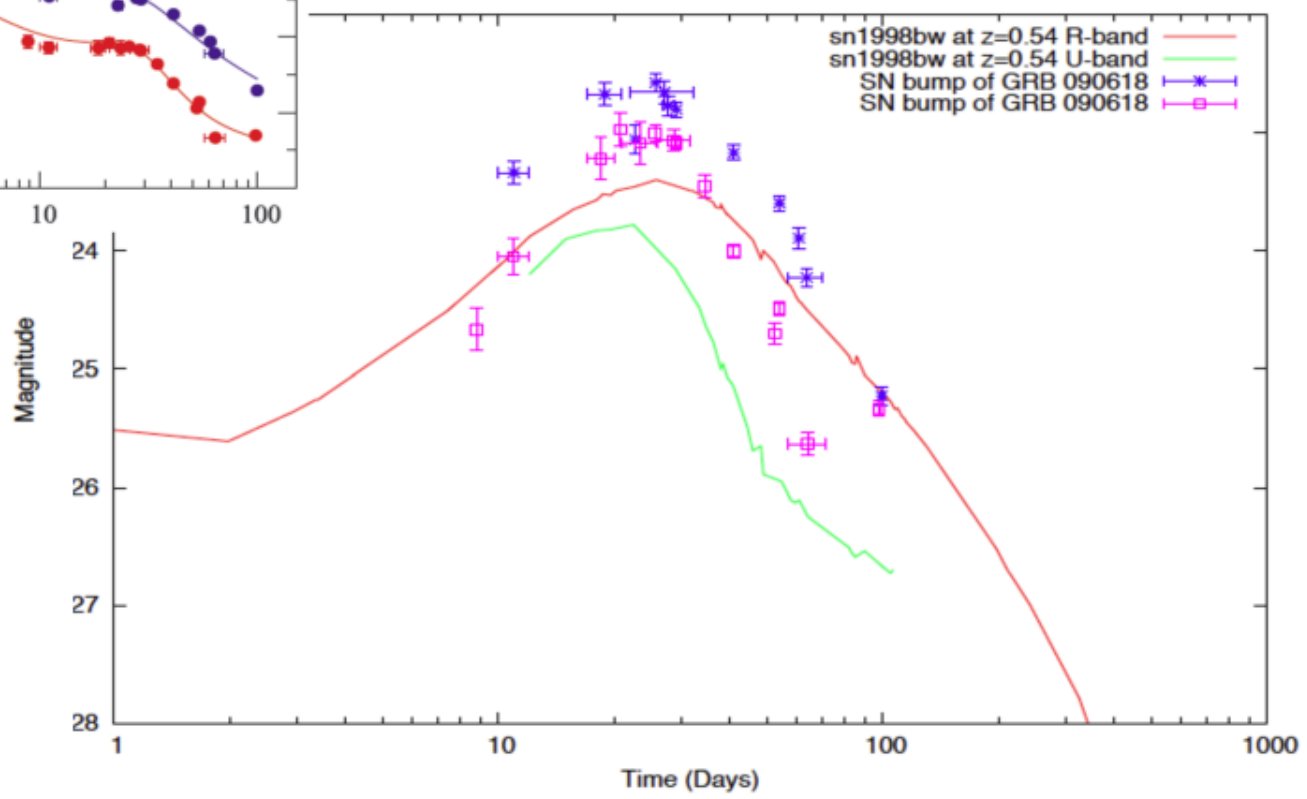




# The supernova emission

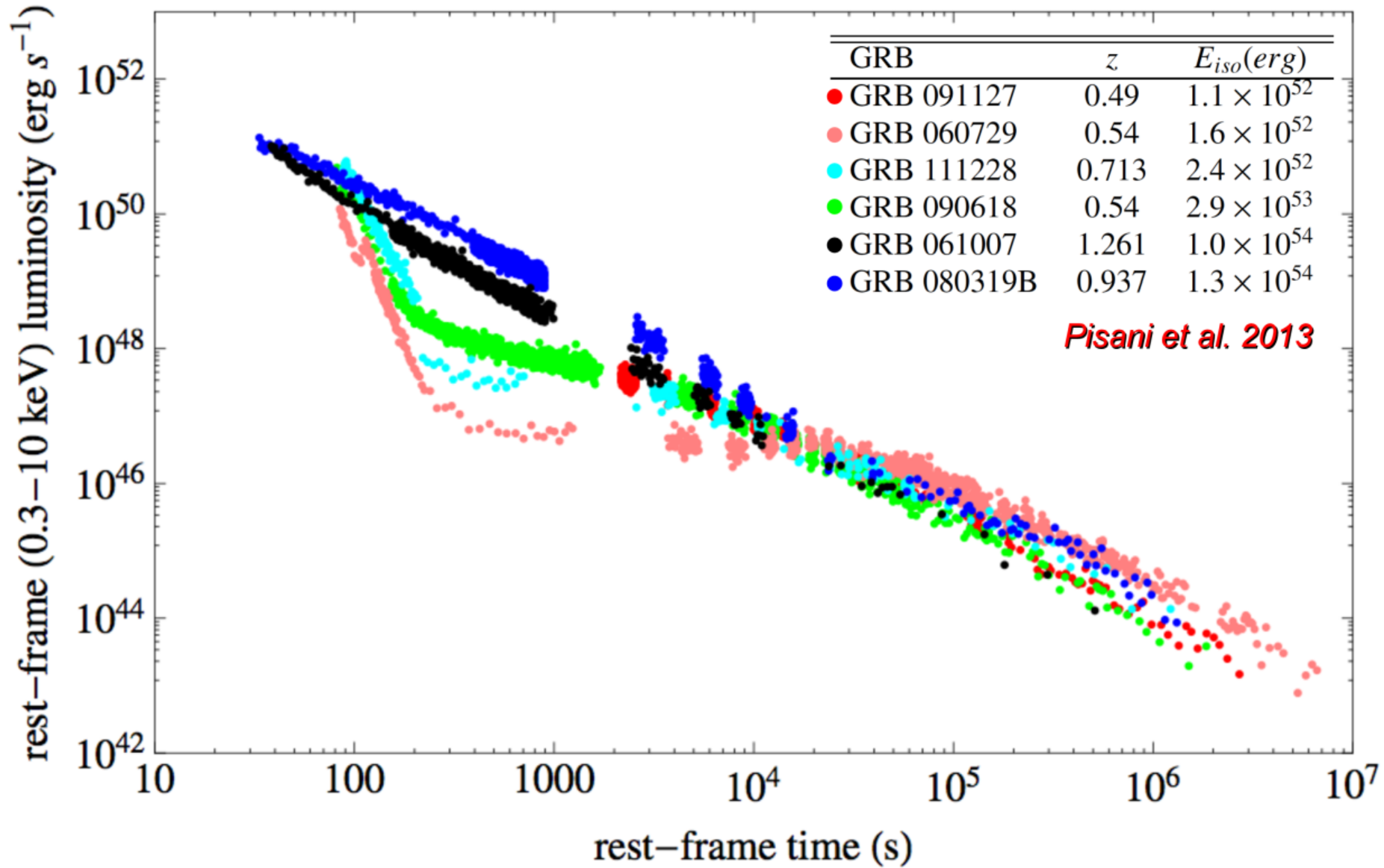


## sn1998bw and "bump" in GRB 090618

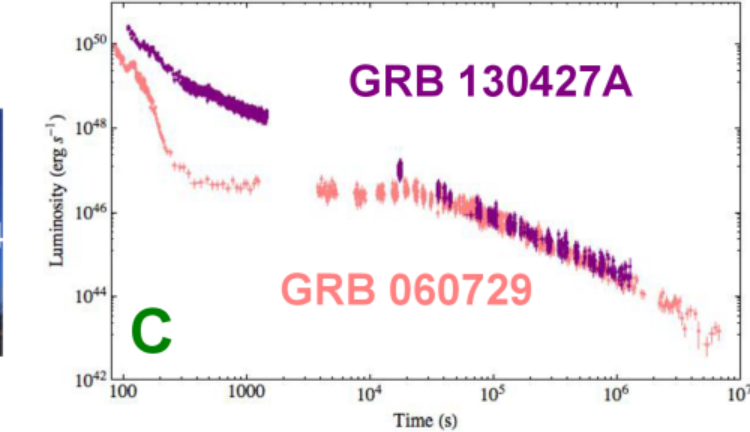
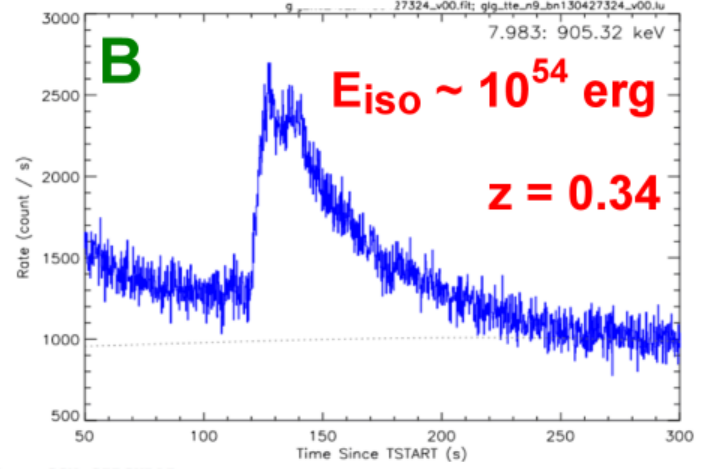
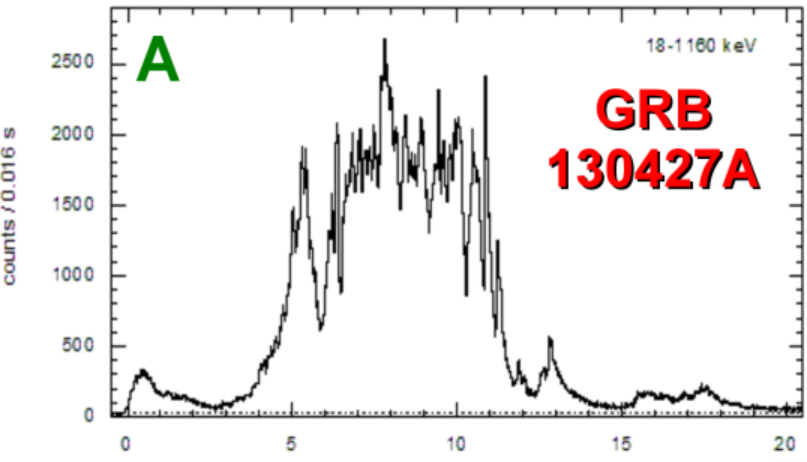
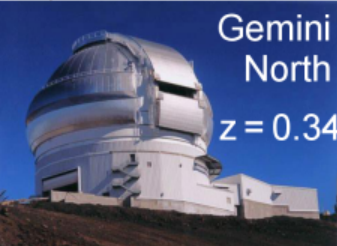
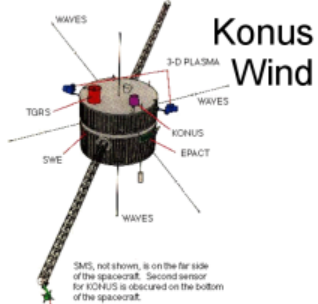
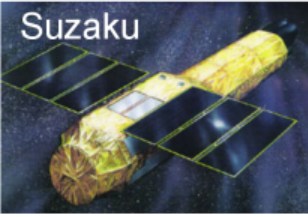
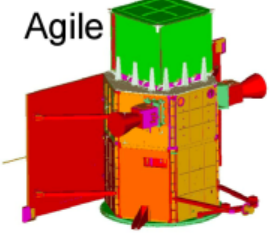
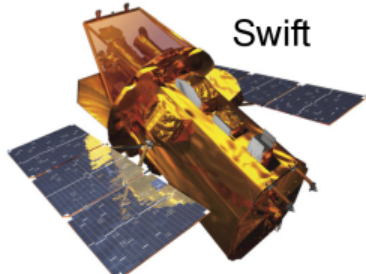


Cano et al. 2011

# The universal behavior of late time X-ray emission in IGC GRB-SN events







**20**

TITLE: GCN CIRCULAR  
 NUMBER: 14526  
 SUBJECT: GRB 130427A: Predictions about the occurrence of a supernova  
 DATE: 13/05/02 09:15:09 GMT  
 FROM: Remo Ruffini at ICRA <ruffini@icra.it>

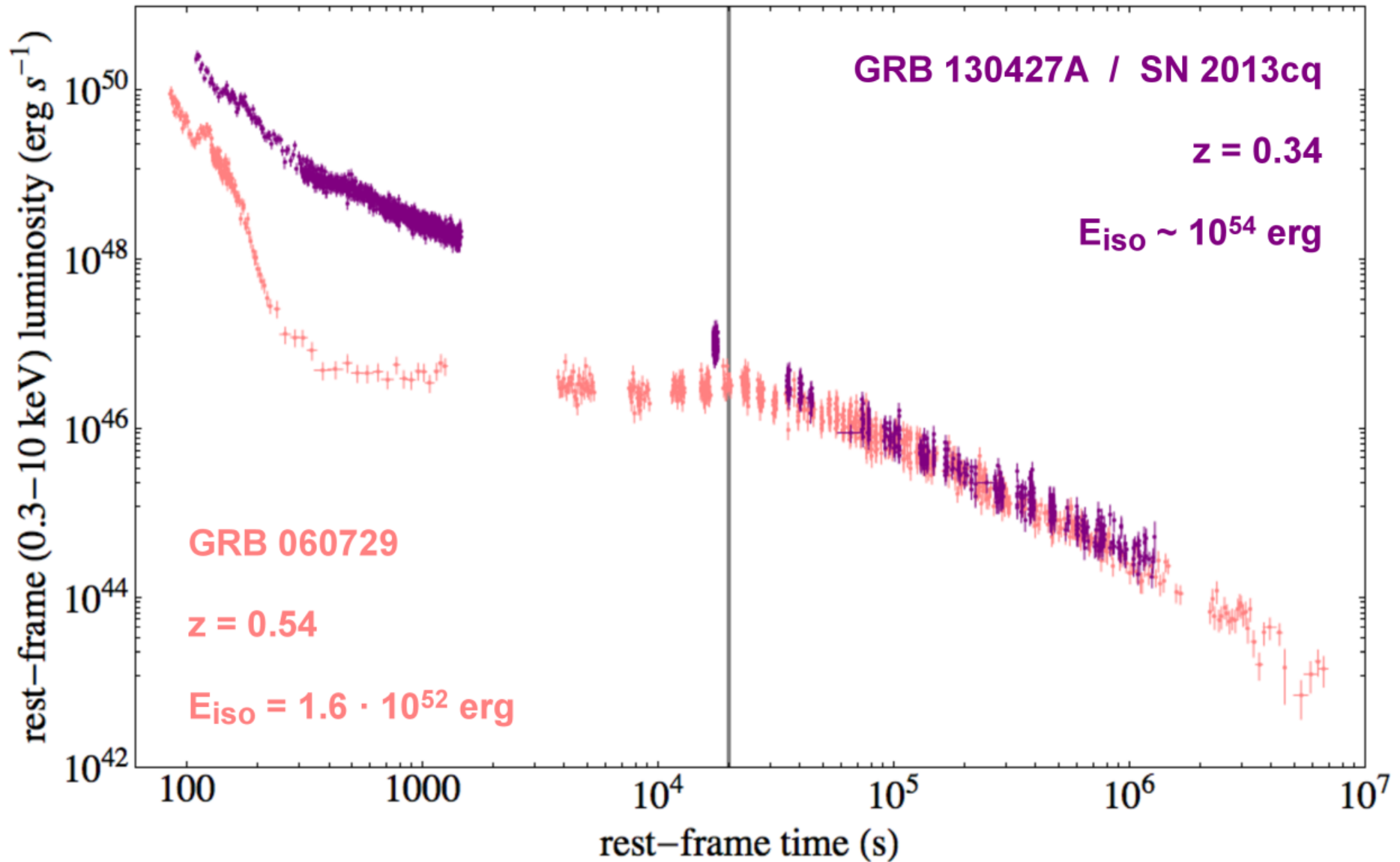
R. Ruffini, C.L. Bianco, M. Enderli, M. Muccino, A.V. Penacchioni, G.B. Pisani, J.A. Rueda, N. Sahakyan, Y. Wang, L. Izzo report:

The late x ray observations of GRB 130427A by Swift-XRT clearly evidence a pattern typical of a family of GRBs associated to supernova (SN) following the Induce Gravitational Collapse (IGC) paradigm (Rueda & Ruffini 2012; Pisani et al. 2013). We assume that the luminosity of the possible SN associated to GRB 130427A would be the one of 1998bw, as found in the IGC sample described in Pisani et al. 2013. Assuming the intergalactic absorption in the I-band (which corresponds to the R-band rest-frame) and the intrinsic one, assuming a Milky Way type for the host galaxy, we obtain a magnitude expected for the peak of the SN of  $I = 22 - 23$  occurring 13-15 days after the GRB trigger, namely between the 10th and the 12th of May 2013.

Further optical and radio observations are encouraged.

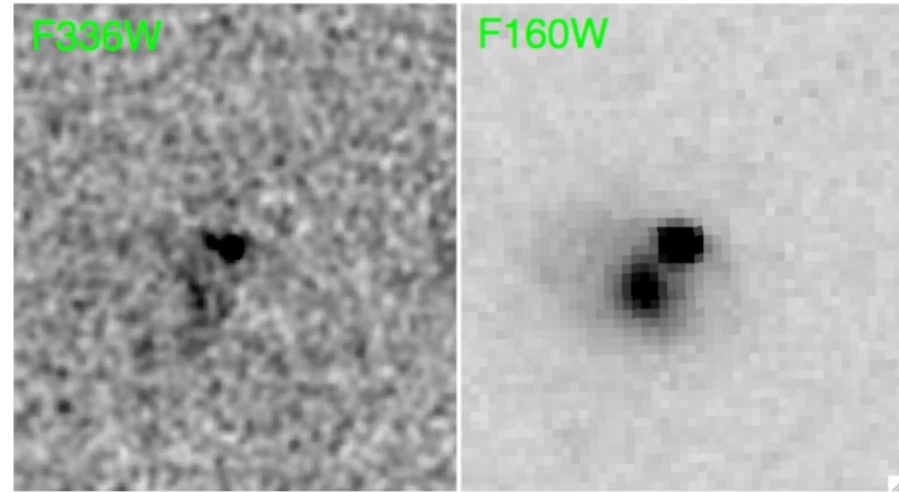
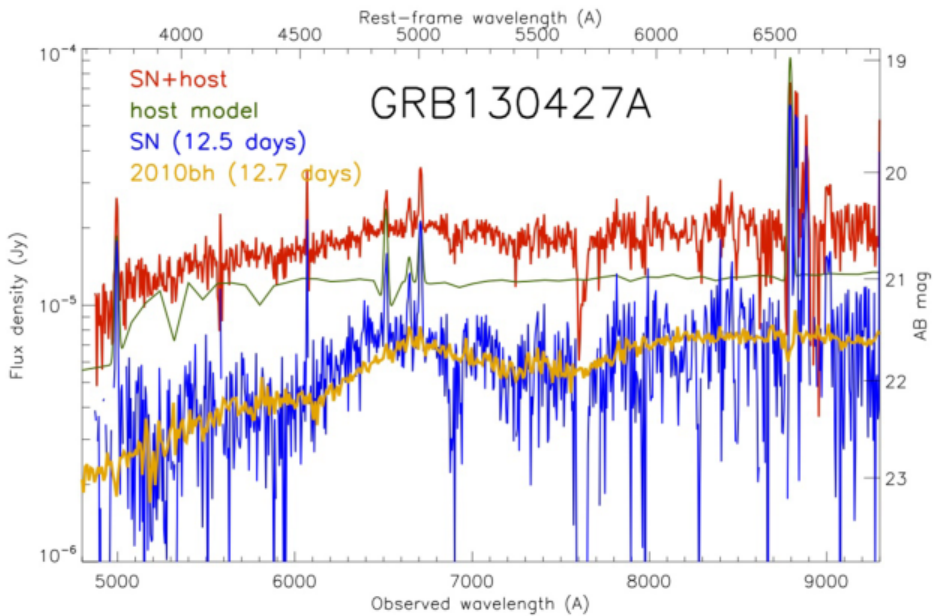


# GRB 130427A: late X-ray luminosity overlap with GRB 060729



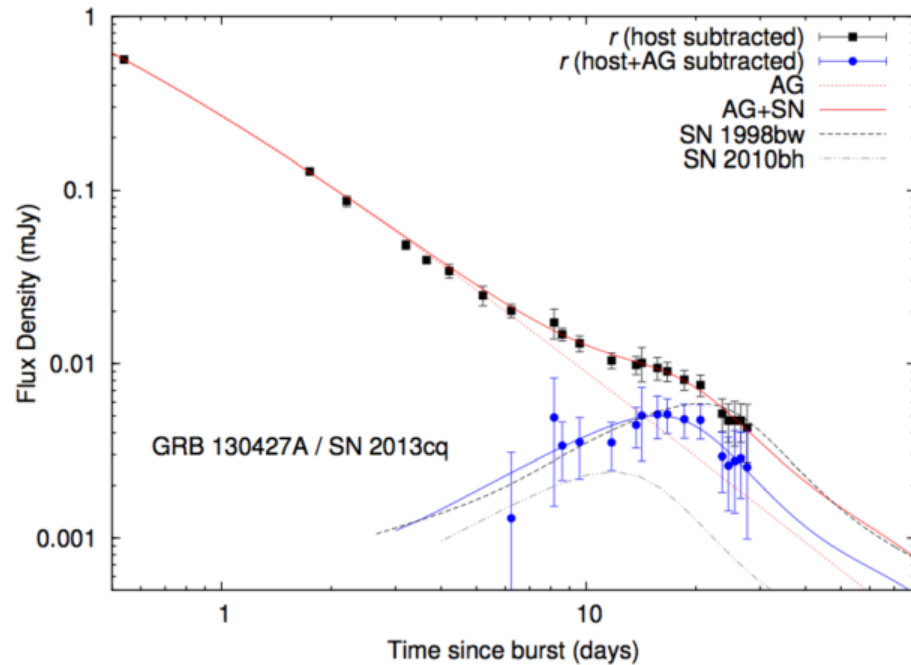
*Ruffini et al. (in preparation)*

# GRB 130427A / SN 2013cq



*Levan et al. 2013 (Hubble Space Telescope)*

*de Ugarte Postigo et al. 2013  
(Gran Telescopio Canarias)*

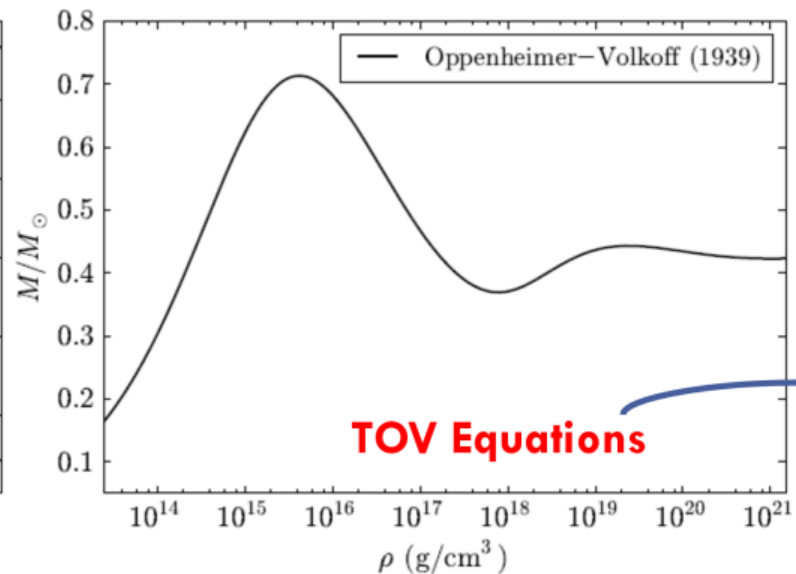
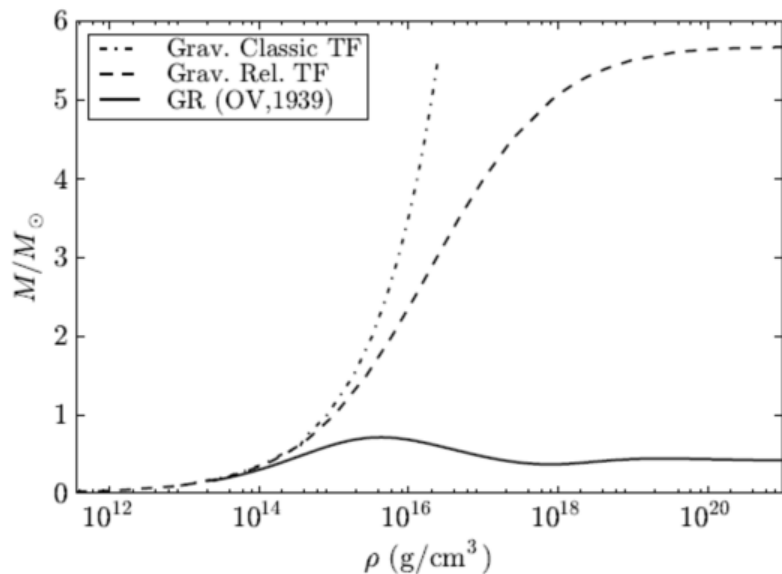


*Xu et al. 2013*

“The Thomas-Fermi model works much better than it should” (E. Wigner to R. Ruffini, 1972)

## The Oppenheimer-Volkoff Neutron Star

$$\frac{dM(r)}{dr} = 4\pi r^2 \rho(r), \quad \frac{dP(r)}{dr} = -\frac{G[\rho(r) + P(r)/c^2][4\pi r^3 P(r)/c^2 + M(r)]}{r^2[1 - 2GM(r)/(c^2 r)]}$$



# “The Thomas-Fermi model works much better than it should” (E. Wigner to R. Ruffini, 1972)

## Generalizing to the Strongly Interacting Case

(Rueda, Ruffini, Xue, Nucl. Phys. A 872, 286, 2011)

### Einstein-Maxwell-Thomas-Fermi with sigma-omega-rho Model

$$e^{-\lambda(r)} \left( \frac{1}{r^2} + \frac{1}{r} \frac{d\nu}{dr} \right) - \frac{1}{r^2} = -8\pi G T_1^1,$$

$$\frac{d^2 V}{dr^2} + \frac{dV}{dr} \left[ \frac{2}{r} - \frac{1}{2} \left( \frac{d\nu}{dr} + \frac{d\lambda}{dr} \right) \right] = -e e^{\nu/2} e^\lambda (n_p - n_e),$$

$$\frac{d^2 \sigma}{dr^2} + \frac{d\sigma}{dr} \left[ \frac{2}{r} + \frac{1}{2} \left( \frac{d\nu}{dr} - \frac{d\lambda}{dr} \right) \right] = e^\lambda [\partial_\sigma U(\sigma) + g_s n_s],$$

$$\frac{d^2 \omega}{dr^2} + \frac{d\omega}{dr} \left[ \frac{2}{r} - \frac{1}{2} \left( \frac{d\nu}{dr} + \frac{d\lambda}{dr} \right) \right] = -e^\lambda [g_\omega J_0^\omega - m_\omega^2 \omega],$$

$$\frac{d^2 \rho}{dr^2} + \frac{d\rho}{dr} \left[ \frac{2}{r} - \frac{1}{2} \left( \frac{d\nu}{dr} + \frac{d\lambda}{dr} \right) \right] = -e^\lambda [g_\rho J_0^\rho - m_\rho^2 \rho],$$

$$E_e = e^{\nu/2} \mu_e - eV = \text{constant},$$

$$E_p = e^{\nu/2} \mu_p + \mathcal{V}_p = \text{constant},$$

$$E_n = e^{\nu/2} \mu_n + \mathcal{V}_n = \text{constant},$$



### Energy-Momentum Tensor

$$T_\gamma^{\mu\nu} = F^\mu_\alpha F^{\alpha\nu} + \frac{1}{4} g^{\mu\nu} F_{\alpha\beta} F^{\alpha\beta},$$

$$T_\sigma^{\mu\nu} = \nabla^\mu \sigma \nabla^\nu \sigma - g^{\mu\nu} \left[ \frac{1}{2} \nabla_\sigma \sigma \nabla^\sigma \sigma - U(\sigma) \right],$$

$$T_\omega^{\mu\nu} = \Omega^\mu_\alpha \Omega^{\alpha\nu} + \frac{1}{4} g^{\mu\nu} \Omega_{\alpha\beta} \Omega^{\alpha\beta} + m_\omega^2 \left( \omega^\mu \omega^\nu - \frac{1}{2} g^{\mu\nu} \omega_\alpha \omega^\alpha \right),$$

$$T_\rho^{\mu\nu} = \mathcal{R}^\mu_\alpha \mathcal{R}^{\alpha\nu} + \frac{1}{4} g^{\mu\nu} \mathcal{R}_{\alpha\beta} \mathcal{R}^{\alpha\beta} + m_\rho^2 \left( \mathcal{R}^\mu \mathcal{R}^\nu - \frac{1}{2} g^{\mu\nu} \mathcal{R}_\alpha \omega^\alpha \right)$$

$$\text{Nucleon Potentials} \begin{cases} \mathcal{V}_p = g_\omega \omega + g_\rho \rho + eV, \\ \mathcal{V}_n = g_\omega \omega - g_\rho \rho. \end{cases}$$

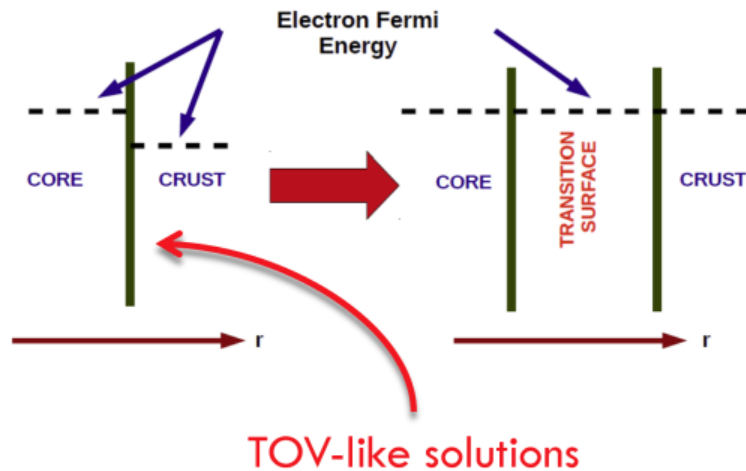
Constancy of Klein Potentials (Generalized, Non-local Particle Chemical Potentials)

“The Thomas-Fermi model works much better than it should” (E. Wigner to R. Ruffini, 1972)

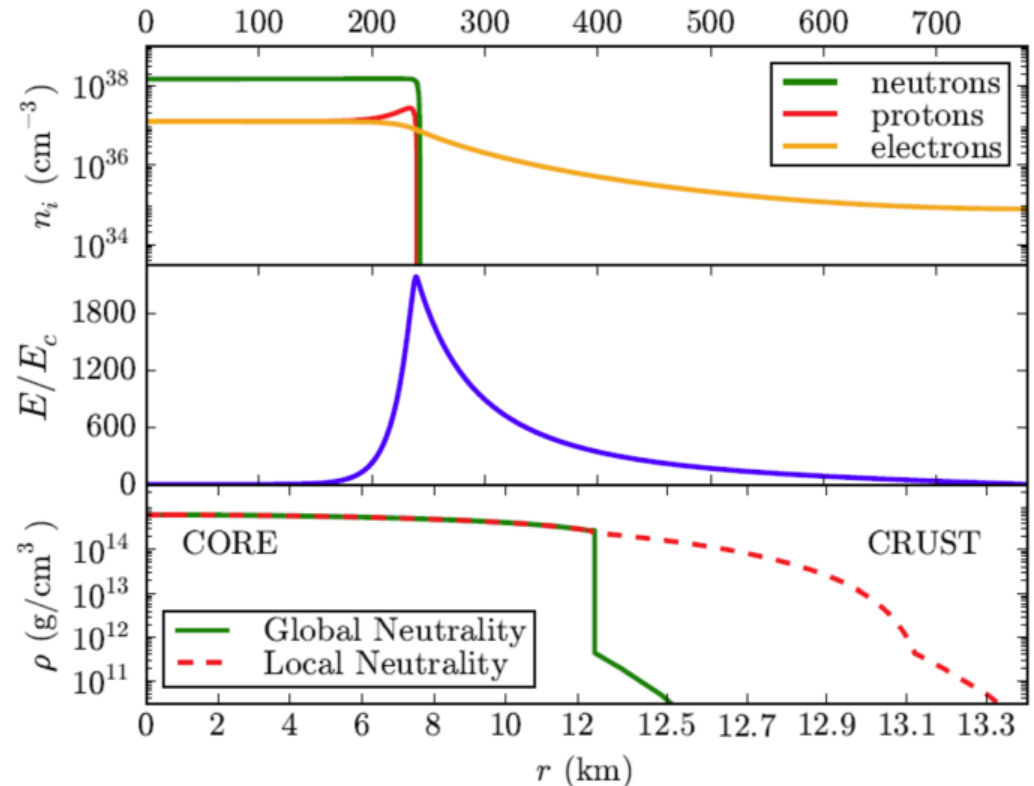
# Neutron Star Equilibrium Configurations

(Belvedere, Pugliese, Rueda, Ruffini, Xue, *Nucl. Phys. A* 883, 1, 2012)

## Boundary Conditions



See Belvedere's talk for details



$$M_{crit} = (5\pi)^{0.5} 15m_p^3 / (16m^2) \sim 6.89 M_{\odot}$$

Replacing the sum by an integral, we have

$$E = \frac{\pi^2 \hbar^2}{2ml^2} \int_0^{n_{\max}} n^4 dn = \frac{\pi^2 \hbar^2}{10ml^2} n_{\max}^5 \quad (7)$$

Now  $n_{\max}$  is given by the condition that all levels are occupied.

$$\pi \sum_{n=1}^{n_{\max}} n^2 = N \quad \text{or} \quad \pi \frac{1}{3} n_{\max}^3 = N, \quad \pi = 1! \quad (8)$$

where  $N$  is the total number of particles. Combining (7) with (8), we obtain

$$E = \frac{3^{1/2} \pi^2 \hbar^2}{10ml^2} N^{4/3} \quad (9)$$

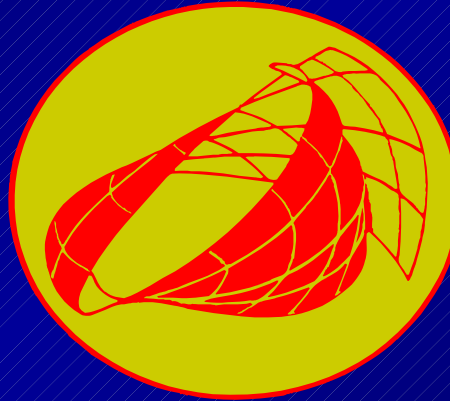
both pressures increase with the same power of  $\rho$ , so that if originally  $P_g$  is larger than  $P_{F,R}$  equilibrium will never be possible for larger densities and the compression will proceed without limit. The condition for such unlimited contraction is evidently

$$\frac{1}{5} \left( \frac{4\pi}{3} \right)^{1/3} k M^{4/3} > \frac{3^{1/2} \pi \hbar c}{4m^{4/3}}, \quad (14)$$

which gives†

$$M > M_0 \sim \left[ \gamma \frac{\hbar c}{km^{4/3}} \right]^{3/2} \sim 3 \cdot 10^{33} \text{ gm.} \sim 1.5 \text{ sun-masses} \quad (15)$$

# ICRANet Members







RIO



SHANGHAI



KOLKOTA

